

Prof. Dr. Alfred Toth

**Grundlegung einer
polykontexturalen
Semiotik**

Tucson, AZ, 2019

Vorwort

Dem Menschen, der die Erfahrung macht, daß es intensivere und höhere Formen des geistigen Lebens gibt, als sie durch die humane Gestalt repräsentiert werden, bleibt nichts übrig, als aus der Menschheit zu desertieren. Denn es ist die kategorische Pflicht des Bewußtseins, in sich die höchste Form des Erlebens zu realisieren, deren es überhaupt fähig ist.

Gotthard Günther (1952, S. 232)

Genauso wie die Mathematik, die an Schulen und Universitäten gelehrt wird, durch die 2-wertige aristotelische Logik und damit durch die drei Grundgesetze des Denkens, den Satz der Identität, den Satz vom Ausgeschlossenen Dritten und den Satz vom Verbotenen Widerspruch, als rein quantitatives System etabliert ist, ist es auch die von Peirce und Bense inaugurierte Theoretische Semiotik. Bedenkt man allerdings, daß zwar die Zahl tatsächlich eine Quantität ist, daß hingegen das Zeichen als ein Etwas definiert wird, das eine Relation von der Zahl zu Bedeutung und Sinn und damit zur Qualität eingeht, dann erhebt sich die Frage, ob es nicht viel sinnvoller sei, die Semiotik mittels der von Günther, Kronthaler und Kaehr inaugurierten qualitativen Mathematik zu redefinieren.

Als erster hatte diese durch die logische Zweiwertigkeit verursachte Differenz von Zahl und Zeichen Kronthaler formuliert: „Zeichen sind hier (mindestens) doppelt begrenzt: einmal durch ihre Materialität und Objekthaftigkeit, ferner durch das ihnen ewig transzendente Bezeichnete, das Objekt. Kenogramme (kenos = leer), Leer-schriften also, 'Leerzeichen', die von beliebigen Zeichen und Werten belegt werden können, Gestelle für Zeichen, unterliegen dieser doppelten Begrenzung nicht“ (1992, S. 292). Kronthaler schlägt dann anstelle des peirceschen triangulären Modells ein mäandrisches Zeichenmodell einer „abgeschlossen-offenen, ihre eigene Geortetheit mitreflektierenden Vierheit“ (ibd.) vor. Dabei blieb es allerdings vorerst.

Mein eigener, 2003 publizierter Versuch einer „Hochzeit von Semiotik und Struktur“ (einem Titel, der auf eine Bezeichnung Kronthalers zurückgeht) wollte, ausgehend von Kronthalers „Mathematik der Qualitäten“ (1986), die Kenogrammstrukturen und Morphogrammsequenzen für alle drei in der Polykontextualitätstheorie unterschiedenen Zahlenarten, d.h. Proto-, Deutero- und Tritozahlen, als eine polykontexturale Semiotik etablieren, in der Überzeugung,

eine solche kreieren zu können, indem die bestehenden polykontexturalen Systeme einfach mit semiotischen statt mit logischen oder mathematischen Werten belegt werden.

Dieser Versuch muß aus heutiger Sicht als mißglückt bezeichnet werden. Erst die Weiterführung und rigorose Formalisierung der Polykontextualitätstheorie durch Rudolf Kaehr (und besonders die enge Zusammenarbeit zwischen seinem und meinem Institut ab 2007) führte in einer langen Reihe von Jahren und durch zahlreiche publizierte Arbeiten schrittweise zur Konstruktion einer echten polykontexturalen Semiotik. Während sich jedoch Kaehr auf die Konexturierung der triadisch-trichotomischen (sowie logisch höherer) semiotischer Relationen beschränkte, hatte ich im Sinne, die alte Idee der Kreation einer morphogrammatistischen Semiotik neu aufzunehmen. Leider kam der Durchbruch erst vor wenigen Monaten und fast drei Jahre nach dem Tode Kaehrs.

Im vorliegenden Buch wird eine polykontexturale Logik systematisch aufgebaut, von den Abbildungen der monokontexturalen Peanozahlen durch die Schadach-Definitionen auf die drei polykontexturalen Zahlen und unter Benutzung der Morphogrammatik von Kaehr und Mahler (1993) über die Theorie kategorientheoretischer Diamanten von Kaehr (2007) bis hin zu meinem erst jüngst geführten Beweis, daß eine dyadisch-trichotomische Semiotik für 3 Werte nur die Ebene der Proto- und Deuterozahlen und erst für 4 Werte die Ebene der Tritozahlen – und damit das vollständige morphogrammatistische System erfüllt. Wesentlich ist, daß man Abschied nimmt vom kategorial definierten peirce-benseschen drittheitlichen Interpretantenbezug und daß man Zeichenkonexe statt dessen durch topologische closures definiert. Dadurch wird es möglich, nicht nur 3- und 4-wertige, sondern auch höherwertige Semiotiken zu konstruieren, ohne an dem nun kategorial dyadischen Zeichenmodell zu rütteln. Als schöner *side effect* ergibt sich ferner die Isomorphie dieser neuen Zeichenrelation mit denjenigen, die den dyadischen Semiotiken, v.a. derjenigen de Saussures, zugrunde liegen.

Das vorliegende Buch, das kurz vor dem 1. Todestag meiner geliebten Frau Rose M. Davila († 6.5.2018) erscheint, stellt mein Lebenswerk dar. Es ist Rose in Liebe und Dankbarkeit gewidmet.

Tucson, AZ, 11.4.2019

Prof. Dr. Alfred Toth

Inhaltsverzeichnis

I. Die Abbildungen der Peanozahlen auf die polykontexturalen Zahlen	7
II. Voraussetzungen einer polykontexturalen Semiotik I	9
III. Kenogrammatisches System der proto- und deuteroäquivalenten Semiotik	20
IV. System der proto- und deuteroäquivalenten zellulären Automaten	38
V. Voraussetzungen einer polykontexturalen Semiotik II	255
VI. Kenogrammatisches System der tritoäquivalenten Semiotik	261
VII. System der tritoäquivalenten zellulären Automaten	294
VIII. Ausblick: Höherwertige polykontexturale Semiotiken	679
Bibliographie	682

I. Die Abbildungen der Peanozahlen auf die polykontexturalen Zahlen

1. Seien A und B zwei nichtleere endliche Mengen

$$A = (a_1, a_2, \dots, a_n)$$

$$B = (b_1, b_2, \dots, b_n).$$

B^A bezeichne die Menge aller Abbildungen μ von A auf B

$$B^A = (\mu \mid \mu: A \rightarrow B).$$

Dann ist die Kardinalität von B^A

$$\text{card } B^A = (\text{card } B)^{\text{card } A} = m^n$$

2. Bezeichne \sim^p die Proto-Äquivalenz. Die Proto-Äquivalenz zweier Abbildungen μ_1 und μ_2 von B^A ist gegeben durch

$$\text{DEFINITION 1: } \mu_1 \sim^p \mu_2 \Leftrightarrow \text{card } A/\ker \mu_1 = \text{card } A/\ker \mu_2.$$

Wie man leicht sieht, ist die Proto-Äquivalenz reflexiv, symmetrisch und transitiv. Damit wird B^A in paarweise disjunkte nichtleere Teilmengen partitioniert, deren Anzahl

$$\text{card } B^A / \sim^p = \min(\text{card } A, \text{card } B)$$

ist.

3. Bezeichne \sim^d die Deutero-Äquivalenz.

$$\text{DEFINITION 2: } \mu_1 \sim^d \mu_2 \Leftrightarrow A/\ker \mu_1 \equiv A/\ker \mu_2.$$

Offensichtlich ist die Deutero-Äquivalenz ebenfalls reflexiv, symmetrisch und transitiv. Ihre Anzahl ist

$$\text{card } B^A / \sim^d = \sum_{k=1}^M P(n, k),$$

darin $M = \min(\text{card } A, \text{card } B)$, $n = \text{card } A$, und $P(n, k) =$ Anzahl der Partitionen von n in k ganzzahlige Summanden ohne Berücksichtigung der Ordnung.

4. Bezeichne \sim^t die Trito-Äquivalenz.

$$\text{DEFINITION 3: } \mu_1 \sim^t \mu_2 \Leftrightarrow A/\ker \mu_1 = A/\ker \mu_2,$$

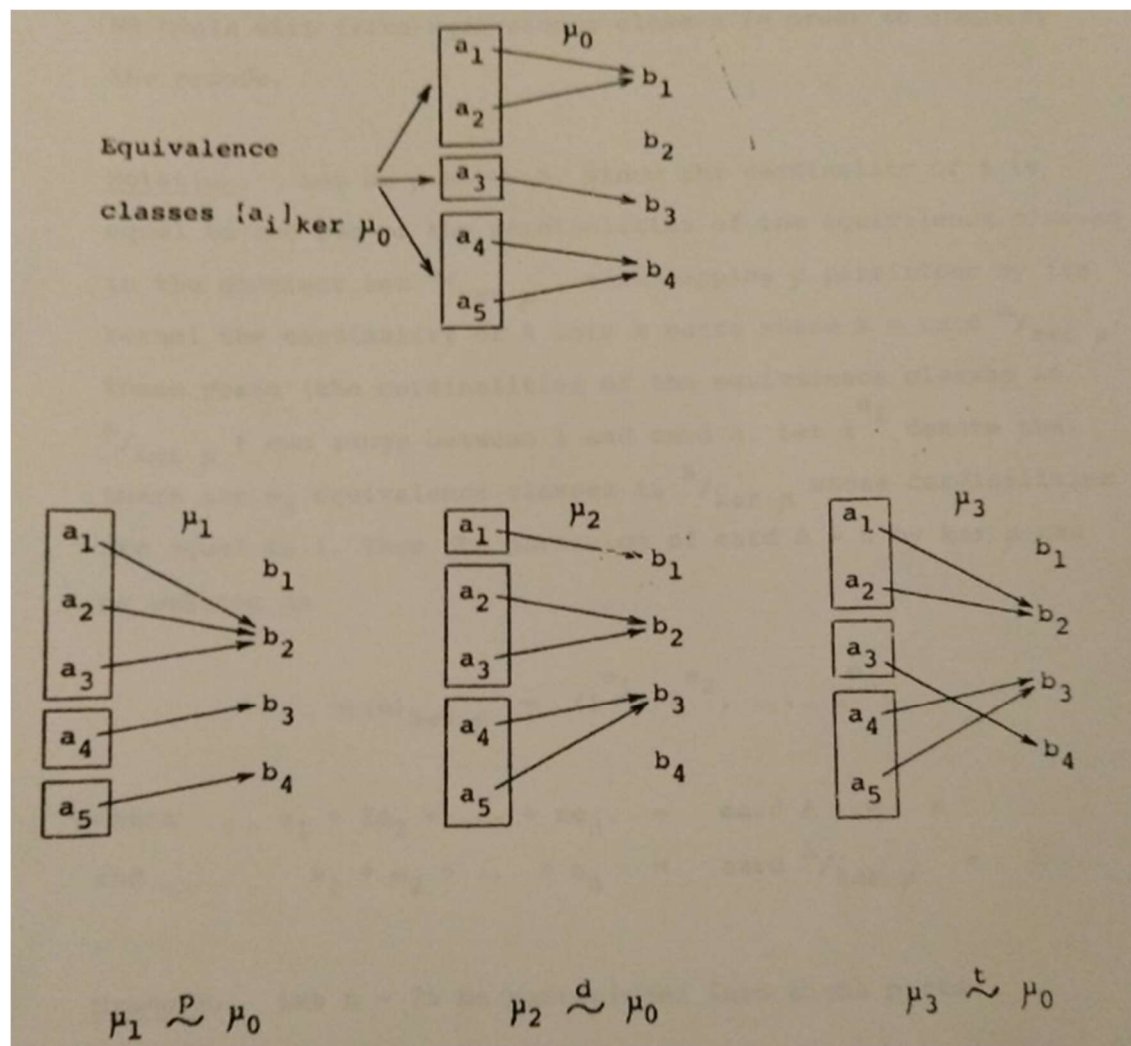
d.h. $(a_i)_{\ker \mu_1} = (a_i)_{\ker \mu_2}$ für alle $a_i \in A$.

Auch die Trito-Äquivalenz ist also reflexiv, symmetrisch und transitiv. Somit wird B^A in disjunkte Teilmengen partitioniert, deren Anzahl gegeben ist durch

$$\text{card } B^A / \sim^t = \sum_{k=1}^M S(n, k),$$

darin $M = \min(\text{card } A, \text{card } B)$, $n = \text{card } A$, und $S(n, k) = \text{Anzahl der Möglichkeiten, eine Menge von } n \text{ Elementen in } k \text{ nichtleere Teilmengen zu partitionieren. } S(n, k) \text{ sind also die Stirling-Zahlen 2. Art.}$

Informell ausgedrückt, werden also bei protoäquivalenten Zahlen nur die verschiedenen Symbole (Werte), bei deutoäquivalenten Zahlen nur die verschiedenen und die gleichen Symbole (Werte), und bei tritoäquivalenten Zahlen die verschiedenen und die gleichen Symbole (Werte) sowie deren Ort berücksichtigt. Zur Illustration der durch die drei Definitionen erzeugten Schach-Abbildungen sei die folgende Tafel aus Schadach (1967, S. 10) gegeben.



II. Voraussetzungen einer polykontexturalen Semiotik I

1. In Toth (2019a) hatten wir argumentiert, daß die Definition der drittheitlichen Trichotomie überflüssig und zudem inkonsistent ist, weil sie erstens die logische Subjektposition repräsentiert, aber von Peirce, Bense und Walther (1979) topologisch und logisch definiert wird. Zweitens weil der Zusammenhang von Zeichen ein Problem einer Zeichensyntax ist, aber keine Eigenschaft des Zeichens selbst (vgl. Klaus 1962). Bense selbst hatte das Zeichen wiederholt rein mathematisch definiert, so etwa kategoriethoretisch in (1979, S. 53 u. 67) oder zahlentheoretisch in (1981, S. 17 ff.). Drittens lassen sich die ersten zwei Trichotomien durch

$$(x.1): \quad Z = f(\Omega)$$

$$(x.2): \quad Z = f(\omega, t)$$

$$(x.3): \quad Z \neq f(\Omega)$$

mit $x \in (1, 2)$ definieren, was jedoch für die dritte Trichotomie nicht möglich ist, da der Zusammenhang von Zeichen keine Funktion des Objektes, sondern eine solche einer Menge von Zeichen ist

$$Z = f((Z)).$$

Für den Trivialfall, daß die Menge aus dem Zeichen selbst besteht, gilt dann natürlich

$$Z = f(Z).$$

Es genügt also völlig, von der semiotischen 2×3 -Teilmatrix

	.1	.2	.3
1.	1.1	1.2	1.3
2.	2.1	2.2	2.3

auszugehen und jedes Subzeichen der Form

$$S = (x.y)$$

mit $x \in (1, 2)$ und $y \in (1, 2, 3)$

durch

$$(x.1) = f(\Omega)$$

$$(x.2) = f(\omega, t)$$

$$(x.3) \neq f(\Omega)$$

zu definieren. Ein offener Konnex kann dann definiert werden durch

$$(x.y),$$

ein abgeschlossener Konnex durch

$$(x.y] \text{ oder } [x.y)$$

und ein vollständiger Konnex durch

$$[x.y].$$

2. Bekanntlich wurde die auf der 3×3 -Matrix definierte triadisch-trichotomische Zeichenrelation Benses (vgl. Bense 1975, S. 37) als eine „verschachtelte Relation“ bzw. als eine „Relation über Relationen“ durch Bense (1979, S. 53 u. 67) wie folgt eingeführt

$$Z^{3,3} = (M \rightarrow ((M \rightarrow O) \rightarrow (M \rightarrow O \rightarrow I))),$$

d.h. jede Teilrelation der Stufe $n = 1$ ist in den Teilrelationen der Stufen $n > 1$ eingebettet.

Gehen wir also aus von

$$Z^{2,3} = ((w.x), (y.z))$$

und setzen $(w.x) = A$ und $(y.z) = B$,

dann können wir auch die dyadisch-trichotomische Zeichenrelation als Relation über Relationen darstellen, und zwar auf 6-fache Weise

$$Z^{2,3} = (A, B) = ((w.x), (y.z)) \quad \text{keine Einbettung}$$

$$Z^{2,3} = ((A), B) = (((w.x)), (y.z)) \quad \text{nur A links eingebettet}$$

$$Z^{2,3} = ((B), A) = (((y.z)), (w.x)) \quad \text{nur B links eingebettet}$$

$$Z^{2,3} = (B, (A)) = ((y.z), ((w.x))) \quad \text{nur A rechts eingebettet}$$

$$Z^{2,3} = (A, (B)) = ((w.x), ((y.z))) \quad \text{nur B rechts eingebettet}$$

$$Z^{2,3} = ((A, B)) = (((w.x), (y.z))) \quad \text{A und B eingebettet}$$

Damit haben wir außerdem eine Isomorphie zwischen der in Toth (2015) ebenfalls auf 6-fache Weise darstellbaren Logik L^* und $Z^{2,3}$ gefunden. Will man nämlich die Reflexionsidentität der klassischen 2-wertigen aristotelischen Logik

$$L = (0, 1)$$

aufheben, ohne das Gesetz des Tertium non datur zu verletzen, so kann man dies durch Einführung eines Einbettungsoperators E mit

$$E: \quad x \rightarrow (x)$$

tun. Dadurch erhält man folgende Abbildung

$$L \rightarrow L^* = ((0, 1), ((0), 1), ((1), 0), (0, (1)), (1, (0)), ((0, 1))),$$

und damit

$$Z^{2,3} \cong L^*.$$

Die 36 möglichen dyadisch-trichotomischen semiotischen Relationen

(1.1, 2.1)	(1.1, 2.1]	[1.1, 2.1)	[1.1, 2.1]
(1.1, 2.2)	(1.1, 2.2]	[1.1, 2.2)	[1.1, 2.2]
(1.1, 2.3)	(1.1, 2.3]	[1.1, 2.3)	[1.1, 2.3]
(1.2, 2.1)	(1.2, 2.1]	[1.2, 2.1)	[1.2, 2.1]
(1.2, 2.2)	(1.2, 2.2]	[1.2, 2.2)	[1.2, 2.2]
(1.2, 2.3)	(1.2, 2.3]	[1.2, 2.3)	[1.2, 2.3]
(1.3, 2.1)	(1.3, 2.1]	[1.3, 2.1)	[1.3, 2.1]
(1.3, 2.2)	(1.3, 2.2]	[1.3, 2.2)	[1.3, 2.2]
(1.3, 2.3)	(1.3, 2.3]	[1.3, 2.3)	[1.3, 2.3]

müssen somit je 6-fach ausdifferenziert werden. Dadurch erhält man also 6 mal $36 = 216$ durch E differenzierbare topologische semiotische Relationen

(1.1, 2.1)	((1.1), 2.1)	(1.1, (2.1))	((2.1), 1.1)	(2.1, (1.1))	((2.1, 1.1))
(1.1, 2.1]	((1.1), 2.1]	(1.1, (2.1)]	((2.1), 1.1]	(2.1, (1.1)]	((1.1, 2.1)]
[1.1, 2.1)	[(1.1), 2.1)	[1.1, (2.1))	[(2.1), 1.1)	[2.1, (1.1))	[(1.1, 2.1))

[1.1, 2.1]	[(1.1), 2.1]	[1.1, (2.1)]	[(2.1), 1.1]	[2.1, (1.1)]	[(1.1, 2.1)]
(1.1, 2.2)	((1.1), 2.2)	(1.1, (2.2))	((2.2), 1.1)	(2.2, (1.1))	((1.1, 2.2))
(1.1, 2.2]	((1.1), 2.2]	(1.1, (2.2])	((2.2), 1.1]	(2.2, (1.1])	((1.1, 2.2])
[1.1, 2.2)	[(1.1), 2.2)	[1.1, (2.2))	[(2.2), 1.1)	[2.2, (1.1))	[(1.1, 2.2))
[1.1, 2.2]	[(1.1), 2.2]	[1.1, (2.2)]	[(2.2), 1.1]	[2.2, (1.1)]	[(1.1, 2.2)]
(1.1, 2.3)	((1.1), 2.3)	(1.1, (2.3))	((2.3), 1.1)	(2.3, (1.1))	((1.1, 2.3))
(1.1, 2.3]	((1.1), 2.3]	(1.1, (2.3])	((2.3), 1.1]	(2.3, (1.1])	((1.1, 2.3])
[1.1, 2.3)	[(1.1), 2.3)	[1.1, (2.3))	[(2.3), 1.1)	[2.3, (1.1))	[(1.1, 2.3))
[1.1, 2.3]	[(1.1), 2.3]	[1.1, (2.3)]	[(2.3), 1.1]	[2.3, (1.1)]	[(1.1, 2.3)]
(1.2, 2.1)	((1.2), 2.1)	(1.2, (2.1))	((2.1), 1.2)	(2.1, (1.2))	((1.2, 2.1))
(1.2, 2.1]	((1.2), 2.1]	(1.2, (2.1])	((2.1), 1.2]	(2.1, (1.2])	((1.2, 2.1])
[1.2, 2.1)	[(1.2), 2.1)	[1.2, (2.1))	[(2.1), 1.2)	[2.1, (1.2))	[(1.2, 2.1))
[1.2, 2.1]	[(1.2), 2.1]	[1.2, (2.1)]	[(2.1), 1.2]	[2.1, (1.2)]	[(1.2, 2.1)]
(1.2, 2.2)	((1.2), 2.2)	(1.2, (2.2))	((2.2), 1.2)	(2.2, (1.2))	((1.2, 2.2))
(1.2, 2.2]	((1.2), 2.2]	(1.2, (2.2])	((1.2), 2.2]	(1.2, (2.2])	((1.2, 2.2])
[1.2, 2.2)	[(1.2), 2.2)	[1.2, (2.2))	[(2.2), 1.2)	[2.2, (1.2))	[(1.2, 2.2))
[1.2, 2.2]	[(1.2), 2.2]	[1.2, (2.2)]	[(2.2), 1.2]	[2.2, (1.2)]	[(1.2, 2.2)]
(1.2, 2.3)	((1.2), 2.3)	(1.2, (2.3))	((2.3), 1.2)	(2.3, (1.2))	((1.2, 2.3))
(1.2, 2.3]	((1.2), 2.3]	(1.2, (2.3])	((2.3), 1.2]	(2.3, (1.2])	((1.2, 2.3])
[1.2, 2.3)	[(1.2), 2.3)	[1.2, (2.3))	[(2.3), 1.2)	[2.3, (1.2))	[(1.2, 2.3))
[1.2, 2.3]	[(1.2), 2.3]	[1.2, (2.3)]	[(2.3), 1.2]	[2.3, (1.2)]	[(1.2, 2.3)]
(1.3, 2.1)	((1.3), 2.1)	(1.3, (2.1))	((2.1), 1.3)	(2.1, (1.3))	((1.3, 2.1))
(1.3, 2.1]	((1.3), 2.1]	(1.3, (2.1])	((2.1), 1.3]	(2.1, (1.3])	((1.3, 2.1])
[1.3, 2.1)	[(1.3), 2.1)	[1.3, (2.1))	[(2.1), 1.3)	[2.1, (1.3))	[(1.3, 2.1))
[1.3, 2.1]	[(1.3), 2.1]	[1.3, (2.1)]	[(2.1), 1.3]	[2.1, (1.3)]	[(1.3, 2.1)]

(1.3, 2.2)	((1.3), 2.2)	(1.3, (2.2))	((2.2), 1.3)	(2.2, (1.3))	((1.3, 2.2))
(1.3, 2.2]	((1.3), 2.2]	(1.3, (2.2])	((2.2), 1.3]	(2.2, (1.3])	((1.3, 2.2])
[1.3, 2.2)	[(1.3), 2.2)	[1.3, (2.2))	[(2.2), 1.3)	[2.2, (1.3))	[(1.3, 2.2))
[1.3, 2.2]	[(1.3), 2.2]	[1.3, (2.2)]	[(2.2), 1.3]	[2.2, (1.3)]	[(1.3, 2.2)]
(1.3, 2.3)	((1.3), 2.3)	(1.3, (2.3))	((2.3), 1.3)	(2.3, (1.3))	((1.3, 2.3))
(1.3, 2.3]	((1.3), 2.3]	(1.3, (2.3])	((2.3), 1.3]	(2.3, (1.3])	((1.3, 2.3])
[1.3, 2.3)	[(1.3), 2.3)	[1.3, (2.3))	[(2.3), 1.3)	[2.3, (1.3))	[(1.3, 2.3))
[1.3, 2.3]	[(1.3), 2.3]	[1.3, (2.3)]	[(2.3), 1.3]	[2.3, (1.3)]	[(1.3, 2.3)].

Ferner enthält die bensesche 3×3 -Matrix bekanntlich in den Zeilen die Triaden und in den Spalten die Trichotomien

	.1	.2	.3
1.	1.1	1.2	1.3
2.	2.1	2.2	2.3
3.	3.1	3.2	3.3.

Da es sich hier um eine quadratische Matrix handelt, ist natürlich $n = m$.

Dagegen ist die in Toth (2019b) eingeführte dyadisch-trichotomische Matrix eine 2×3 -Matrix, bei der also $n \neq m$ gilt

	.1	.2	.3
1.	1.1	1.2	1.3
2.	2.1	2.2	2.3.

Während also die bensesche Zeichenrelation durch

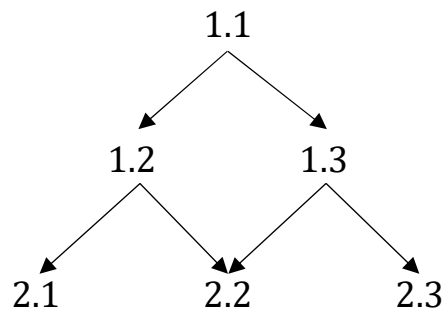
$$Z^{3,3} = (3.x, 2.y, 1.z)$$

mit $x, y, z \in (1, 2, 3)$ definiert ist, ist unsere Zeichenrelation durch

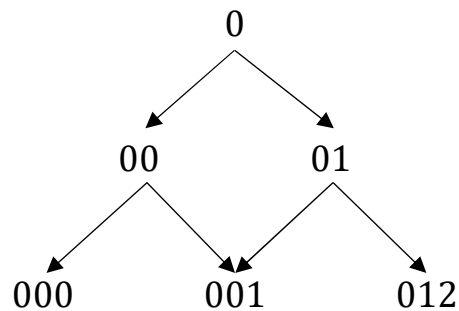
$$Z^{2,3} = ((w.x), (y.z))$$

mit $w, y \in (1, 2)$, aber $x, z \in (1, 2, 3)$ definiert.

3. Wie in Toth (2019c) gezeigt wurde, kann man die Subzeichen der 2×3 -Matrix in einer Pseudo-Proto-Darstellung wie folgt anordnen



Dagegen ist die echte Proto- und die ihr gleiche Deutero-Darstellung für die Kontexturen $K = 1$ bis $K = 3$



Dadurch sind wir erstmals in der Geschichte der polykontexturalen Semiotik, die mit Kronthaler (1992) und Toth (2003) begonnen hatte, imstande, die 6 Subzeichen von $Z^{2,3}$ einer (bijektiven) Kenose zu unterziehen, denn aus der Äquivalenz der Pseudo-Proto-Deutero-Struktur von $Z^{2,3}$ und der Proto-Deutero-Struktur von $K = 1$ bis $K = 3$ folgt

- (1.1) \leftrightarrow 0
- (1.2) \leftrightarrow 00
- (1.3) \leftrightarrow 01
- (2.1) \leftrightarrow 000
- (2.2) \leftrightarrow 001
- (2.3) \leftrightarrow 012.

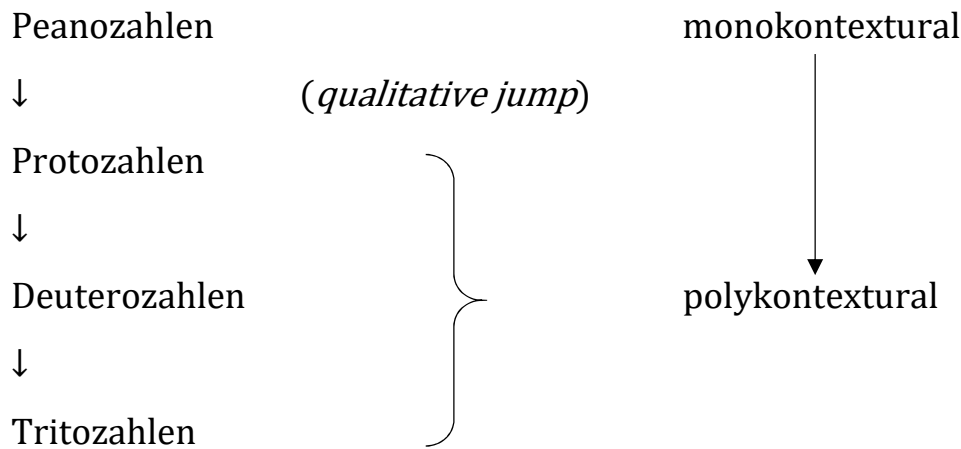
Was die dyadische Form-Inhalts (FI)-Differenz von $Z^{2,3}$ – wie aller dyadischen Zeichenrelationen - betrifft, so können wir die obigen umkehrbar eindeutigen Zuordnungen weiter wie folgt kategorisieren

$$\begin{array}{lll}
(1.1) & \leftrightarrow & 0 & & F \cup I \\
(1.2) & \leftrightarrow & 00 & & \\
(1.3) & \rightarrow & 01 & & F \\
(2.1) & \leftrightarrow & 000 & & \\
(2.2) & \leftrightarrow & 001 & & I \\
(2.3) & \leftrightarrow & 012 & &
\end{array}$$

Da wir in Toth (2019d) angedeutet hatten, daß man eine polykontexturale Semiotik konstruieren kann, stellen wir also fest, daß beim Übergang von der reinen Quantität der Bense-Semiotik zur Quali-Quantität der polykontexturalen Semiotik die Spalten für jede Zeile wachsen, d.h. statt -tomien haben wir in den entsprechenden Matrizen Kontexturen, d.h. Längen von Kenfolgen.

	Proto-Semiotik	Deutero-Semiotik	Trito-Semiotik
K = 1	(0)	(0)	(0)
K = 2	$\begin{pmatrix} 00 \\ 001 \end{pmatrix}$	$\begin{pmatrix} 00 \\ 01 \end{pmatrix}$	$\begin{pmatrix} 00 \\ 01 \end{pmatrix}$
K = 3	$\begin{pmatrix} 000 \\ 001 \\ - \\ - \\ 012 \end{pmatrix}$	$\begin{pmatrix} 000 \\ 001 \\ - \\ - \\ 012 \end{pmatrix}$	$\begin{pmatrix} 000 \\ 001 \\ 010 \\ 011 \\ 012 \end{pmatrix}$

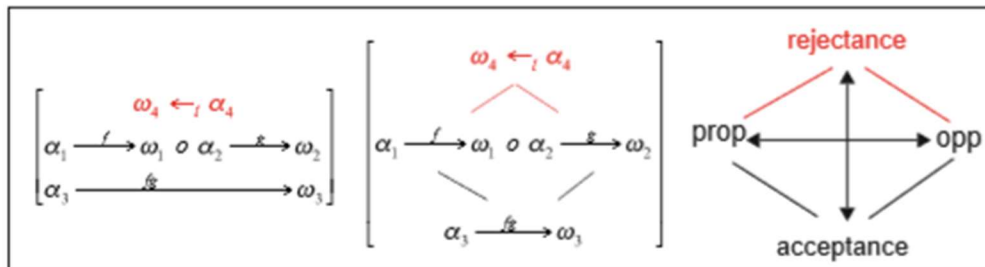
Die Striche deuten hier die *qualitative gaps* zwischen den Proto-, Deutero- und Tritozahlen an (vgl. Toth 2019e, f). Da bei den Protozahlen nur die verschiedenen Zahlen, bei den Deuterozahlen die verschiedenen und die gleichen sowie bei den Tritozahlen zusätzlich die Orte relevant sind, findet also eine graduelle Ausdifferenzierung zwischen den drei polykontexturalen Zahlen statt:



4. Kaehr (2007, S. 19) führte polykontexturale Kategorien, von ihm als „diamonds“ bezeichnet, zunächst anhand eines konkreten Beispiels ein



und gab hernach die drei folgenden äquivalenten kategoriethoretischen und logischen Modelle.



Wenn wir wiederum von der Definition des dyadisch-trichotomischen Zeichenmodelles ausgehen

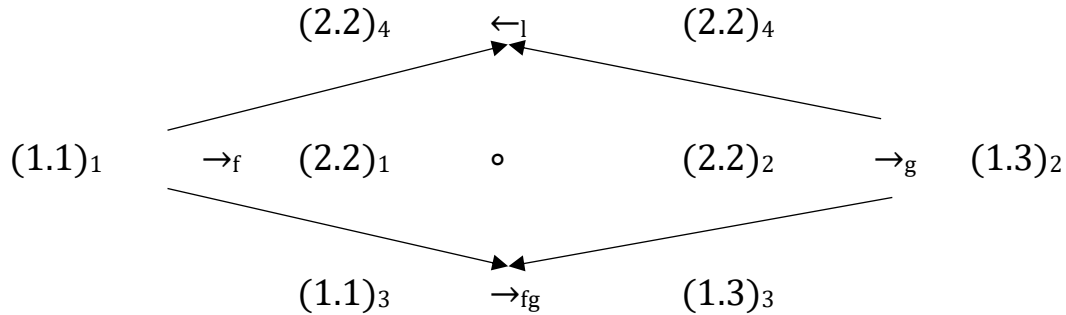
$$Z^{2,3} = ((w.x), (y.z))$$

mit $w, y \in (1, 2)$ und $x, z \in (1, 2, 3)$,

dann bekommen wir z.B. für

$$Z_i^{2,3} \circ Z_{(i+1)}^{2,3} =$$

$$((1.1, 2.2)) \circ ((2.2), (1.3)) =$$



d.h. es gilt

$$(2.2)_1 \neq (2.2)_2$$

und

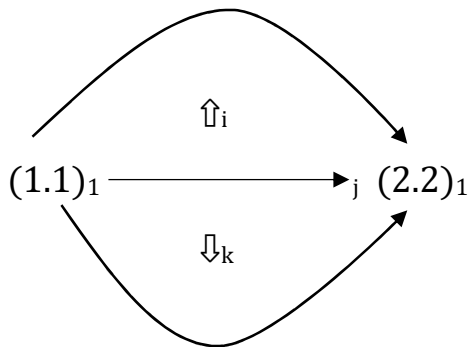
$$(1.1)_3 \rightarrow_{fg} (1.3)_3 \neq ((1.1)_3 \rightarrow_{gf} (1.3)_3)^\circ,$$

da

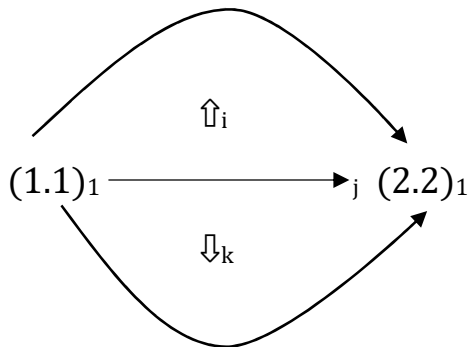
$$((1.1)_3 \rightarrow_{gf} (1.3)_3)^\circ = (2.2)_4 \leftarrow_1 (2.2)_4.$$

Eine zusätzliche Möglichkeit bietet hier die Theorie der n-Kategorien (vgl. Leinster 2003). Man kann nämlich nicht nur Subzeichen, sondern auch Primzeichen aufeinander abbilden.

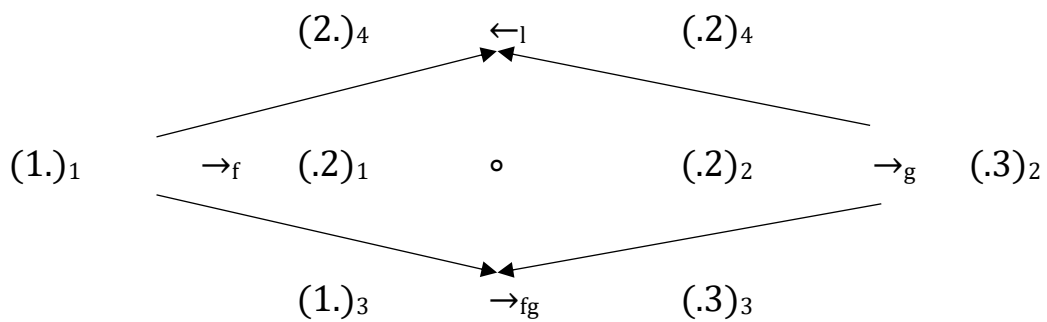
In Falle der Abbildung homogener Zeichenwerte werden triadische Hauptwerte auf triadische Hauptwerte und trichotomische Stellenwerte auf trichotomische Stellenwerte abgebildet



Im Falle der Abbildung heterogener Zeichenwerte werden triadische Hauptwerte auf trichotomische Stellenwerte und umgekehrt abgebildet, d.h. Haupt- und Stellenwerte sind chiasmisch.



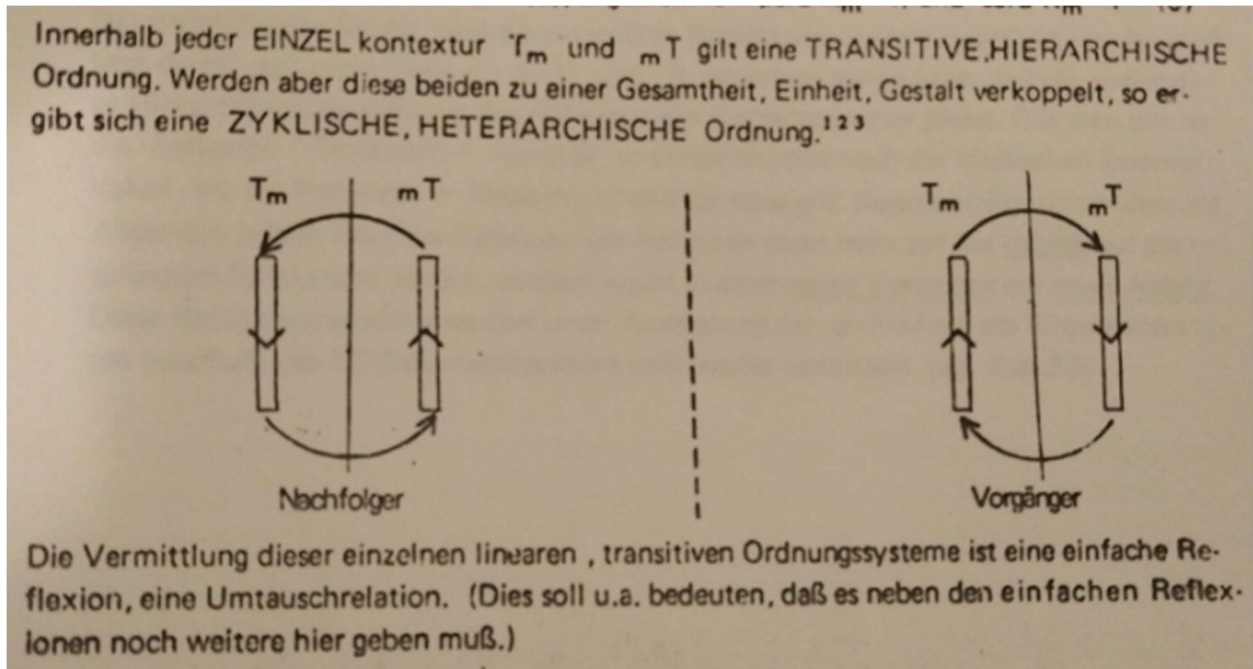
In diesem Falle sieht der zugrunde liegende $n=1$ -kategoriale Diamant also z.B. wie folgt aus



=

$$(1.2) \circ (2.3) = ((1.2), (2.3)).$$

5. Auf die Existenz von Paaren von reflektorischen Systemen, die wir im folgenden mit R und R^* bezeichnen, hatte bereits Kronthaler (1986, S. 48) hingewiesen.



Deshalb stellen wir das vollständige System der 18 Teilsysteme der 3-wertigen proto- und deuteroäquivalenten polykontexturalen Semiotik auf der Basis der dyadisch-trichotomischen topologischen Zeichenrelation $Z^{2,3} = ((w.x), (y.z))$ als Paare von $R : R^*$ -Systemen dar (vgl. Toth 2010g).

III. Kenogrammatisches System der proto- und deuteroäquivalenten Semiotik

1. (1.1, 2.1)-System

1.1. R-System

(o)(ooo)	((o))(ooo)	(o)((ooo))	((ooo))(o)	(ooo)((o))	((o))((ooo))
(o)(ooo]	((o))(ooo]	(o)((ooo])	((ooo))(o]	(ooo)((o])	((o))((ooo])
(o)[ooo)	((o))[ooo)	(o)[(ooo))	((ooo))[o)	(ooo)[(o))	((o))[((ooo))
(o)[ooo]	((o))[ooo]	(o)[(ooo)]	((ooo))[o]	(ooo)[(o)]	((o))[((ooo)]
[o)(ooo)	[(o)](ooo)	[o]((ooo))	[(ooo)](o)	[ooo]((o))	[(o)]((ooo))
[o)(ooo]	[(o)](ooo]	[o]((ooo])	[(ooo)](o]	[ooo]((o])	[(o)]((ooo])
[o][ooo)	[(o)][ooo)	[o][(ooo))	[(ooo)][o)	[ooo][(o))	[(o)][((ooo))
[o][ooo]	[(o)][ooo]	[o][(ooo)]	[(ooo)][o]	[ooo][(o)]	[(o)][((ooo)]
[o)(ooo)	[(o)](ooo)	[o]((ooo))	[(ooo)](o)	[ooo]((o))	[(o)]((ooo))
[o)(ooo]	[(o)](ooo]	[o]((ooo])	[(ooo)](o]	[ooo]((o])	[(o)]((ooo])
[o][ooo)	[(o)][ooo)	[o][(ooo))	[(ooo)][o)	[ooo][(o))	[(o)][((ooo))
[o][ooo]	[(o)][ooo]	[o][(ooo)]	[(ooo)][o]	[ooo][(o)]	[(o)][((ooo)].

1.2. R*-System

(ooo)(o)	((ooo))(o)	(ooo)((o))	((o))(ooo)	(o)((ooo))	((ooo))((o))
(ooo)(o]	((ooo))(o]	(ooo)((o)]	((o))(ooo]	(o)((ooo)]	((ooo))((o)]
(ooo)[o)	((ooo))[o)	(ooo)[(o))	((o))[ooo)	(o)[(ooo))	((ooo))[o))
(ooo)[o]	((ooo))[o]	(ooo)[(o)]	((o))[ooo]	(o)[(ooo)]	((ooo))[o)]
(ooo](o)	((ooo)](o)	(ooo]((o))	((o)](ooo)	(o]](ooo))	((ooo)]((o))
(ooo](o]	((ooo)](o]	(ooo]((o)]	((o)](ooo]	(o]](ooo)]	(ooo]((o)]
(ooo][o)	((ooo)][o)	(ooo][o))	((o)][ooo)	(o)][(ooo))	((ooo)][o))
(ooo][o]	((ooo)][o]	(ooo][o)]	((o)][ooo]	(o)][(ooo)]	((ooo)][o)]
[ooo)(o)	[(ooo))(o)	[ooo)((o))	[(o))(ooo)	[o)((ooo))	[(ooo))((o))
[ooo)(o]	[(ooo))(o]	[ooo)((o)]	[(o))(ooo]	[o)((ooo)]	[(ooo))((o)]
[ooo][o)	[(ooo))[o)	[ooo][o))	[(o))[ooo)	[o][o))	[(ooo))[o))
[ooo][o]	[(ooo))[o]	[ooo][o)]	[(o))[ooo]	[o][o)]	[(ooo))[o)]
[ooo](o)	[(ooo)](o)	[ooo]((o))	[(o)](ooo)	[o]](ooo))	[(ooo)]((o))
[ooo](o]	[(ooo)](o]	[ooo]((o)]	[(o)](ooo]	[o]](ooo)]	[(ooo)]((o)]
[ooo][o)	[(ooo)][o)	[ooo][o))	[(o)][ooo)	[o]][o))	[(ooo)][o))
[ooo][o]	[(ooo)][o]	[ooo][o)]	[(o)][ooo]	[o]][o)]	[(ooo)][o)]

2. (1.1, 2.2)-System

2.1. R-System

(o)(ooΔ) ((o))(ooΔ) (o)((ooΔ)) ((ooΔ))(o) (ooΔ)((o)) ((o))((ooΔ))

(o)(ooΔ] ((o))(ooΔ] (o)((ooΔ]) ((ooΔ))(o] (ooΔ)((o]) ((o))((ooΔ])

(o)[ooΔ) ((o))[ooΔ) (o)[(ooΔ)) ((ooΔ)][o) (ooΔ)[(o)) ((o))[ooΔ))

(o)[ooΔ] ((o))[ooΔ] (o)[(ooΔ)] ((ooΔ)][o] (ooΔ)[(o)] ((o))[ooΔ]

(o](ooΔ) ((o)](ooΔ) (o]((ooΔ)) ((ooΔ)](o) (ooΔ]((o)) ((o)](ooΔ))

(o](ooΔ] ((o)](ooΔ] (o]((ooΔ]) ((ooΔ)](o] (ooΔ]((o]) (o]((ooΔ])

(o])[ooΔ) ((o])[ooΔ) (o])[ooΔ)) ((ooΔ)](o) (ooΔ])[ooΔ)) ((o])[ooΔ))

(o])[ooΔ] ((o])[ooΔ] (o])[ooΔ)] ((ooΔ)](o] (ooΔ])[ooΔ)] ((o])[ooΔ]

[o)(ooΔ) [(o))(ooΔ) [o)((ooΔ)) [(ooΔ))(o) [ooΔ)((o)) [(o))((ooΔ))

[o)(ooΔ] [(o))(ooΔ] [o)((ooΔ]) [(ooΔ))(o] [ooΔ)((o]) [(o))((ooΔ])

[o][ooΔ) [(o))[ooΔ) [o][ooΔ)) [(ooΔ)][o) [ooΔ][ooΔ)) [(o))[ooΔ))

[o][ooΔ] [(o))[ooΔ] [o][ooΔ)] [(ooΔ)][o] [ooΔ][ooΔ)] [(o))[ooΔ]

[o](ooΔ) [(o)](ooΔ) [o]((ooΔ)) [(ooΔ)](o) [ooΔ]((o)) [(o)](ooΔ))

[o](ooΔ] [(o)](ooΔ] [o]((ooΔ]) [(ooΔ)](o] [ooΔ]((o]) [(o)](ooΔ])

[o][ooΔ) [(o))[ooΔ) [o][ooΔ)) [(ooΔ)](o) [ooΔ][ooΔ)) [(o))[ooΔ))

[o][ooΔ] [(o))[ooΔ] [o][ooΔ)] [(ooΔ)](o] [ooΔ][ooΔ)] [(o))[ooΔ].

2.2. R*-System

$(\circ\circ\Delta)(\circ)$	$((\circ\circ\Delta))(\circ)$	$(\circ\circ\Delta)((\circ))$	$((\circ))(\circ\circ\Delta)$	$(\circ)((\circ\circ\Delta))$	$((\circ\circ\Delta))((\circ))$
$(\circ\circ\Delta)(\circ]$	$((\circ\circ\Delta))(\circ]$	$(\circ\circ\Delta)((\circ])$	$((\circ))(\circ\circ\Delta]$	$(\circ)((\circ\circ\Delta])$	$((\circ\circ\Delta))((\circ])$
$(\circ\circ\Delta)[\circ)$	$((\circ\circ\Delta))[\circ)$	$(\circ\circ\Delta)[(\circ))$	$((\circ))[(\circ\circ\Delta)$	$(\circ)[(\circ\circ\Delta))$	$((\circ\circ\Delta))[(\circ))$
$(\circ\circ\Delta)[\circ]$	$((\circ\circ\Delta))[\circ]$	$(\circ\circ\Delta)[(\circ)]$	$((\circ))[(\circ\circ\Delta]$	$(\circ)[(\circ\circ\Delta)]$	$((\circ\circ\Delta))[(\circ)]$
$(\circ\circ\Delta](\circ)$	$((\circ\circ\Delta)](\circ)$	$(\circ\circ\Delta]((\circ))$	$((\circ)](\circ\circ\Delta)$	$(\circ)]((\circ\circ\Delta))$	$((\circ\circ\Delta)]((\circ))$
$(\circ\circ\Delta](\circ]$	$((\circ\circ\Delta)](\circ]$	$(\circ\circ\Delta]((\circ])$	$((\circ)](\circ\circ\Delta]$	$(\circ)]((\circ\circ\Delta])$	$(\circ\circ\Delta]((\circ])$
$(\circ\circ\Delta][\circ)$	$((\circ\circ\Delta)][\circ)$	$(\circ\circ\Delta][(\circ))$	$((\circ)][(\circ\circ\Delta)$	$(\circ)][(\circ\circ\Delta))$	$((\circ\circ\Delta)][(\circ))$
$(\circ\circ\Delta][\circ]$	$((\circ\circ\Delta)][\circ]$	$(\circ\circ\Delta][(\circ)]$	$((\circ)][(\circ\circ\Delta]$	$(\circ)][(\circ\circ\Delta)]$	$((\circ\circ\Delta)][(\circ)]$
$[\circ\circ\Delta)(\circ)$	$[(\circ\circ\Delta))(\circ)$	$[\circ\circ\Delta)((\circ))$	$[(\circ))(\circ\circ\Delta)$	$[\circ)((\circ\circ\Delta))$	$[(\circ\circ\Delta))((\circ))$
$[\circ\circ\Delta)(\circ]$	$[(\circ\circ\Delta))(\circ]$	$[\circ\circ\Delta)((\circ])$	$[(\circ))(\circ\circ\Delta]$	$[\circ)((\circ\circ\Delta])$	$[(\circ\circ\Delta))((\circ])$
$[\circ\circ\Delta)[\circ)$	$[(\circ\circ\Delta))[\circ)$	$[\circ\circ\Delta][(\circ))$	$[(\circ))[(\circ\circ\Delta)$	$[\circ)[(\circ\circ\Delta))$	$[(\circ\circ\Delta))[(\circ))$
$[\circ\circ\Delta)[\circ]$	$[(\circ\circ\Delta))[\circ]$	$[\circ\circ\Delta][(\circ)]$	$[(\circ))[(\circ\circ\Delta]$	$[\circ)[(\circ\circ\Delta)]$	$[(\circ\circ\Delta))[(\circ)]$
$[\circ\circ\Delta](\circ)$	$[(\circ\circ\Delta)](\circ)$	$[\circ\circ\Delta]((\circ))$	$[(\circ)](\circ\circ\Delta)$	$[\circ]((\circ\circ\Delta))$	$[(\circ\circ\Delta)]((\circ))$
$[\circ\circ\Delta](\circ]$	$[(\circ\circ\Delta)](\circ]$	$[\circ\circ\Delta]((\circ])$	$[(\circ)](\circ\circ\Delta]$	$[\circ]((\circ\circ\Delta])$	$[(\circ\circ\Delta)]((\circ])$
$[\circ\circ\Delta][\circ)$	$[(\circ\circ\Delta)][\circ)$	$[\circ\circ\Delta][(\circ))$	$[(\circ)][(\circ\circ\Delta)$	$[\circ][(\circ\circ\Delta))$	$[(\circ\circ\Delta)][(\circ))$
$[\circ\circ\Delta][\circ]$	$[(\circ\circ\Delta)][\circ]$	$[\circ\circ\Delta][(\circ)]$	$[(\circ)][(\circ\circ\Delta]$	$[\circ][(\circ\circ\Delta)]$	$[(\circ\circ\Delta)][(\circ)]$

3. (1.1, 2.3)-System

3.1. R-System

$(\circ)(\circ\Delta\Box)$ $((\circ))(\circ\Delta\Box)$ $(\circ)((\circ\Delta\Box))$ $((\circ\Delta\Box))(\circ)$ $(\circ\Delta\Box)((\circ))$ $((\circ))((\circ\Delta\Box))$
 $(\circ)(\circ\Delta\Box]$ $((\circ))(\circ\Delta\Box]$ $(\circ)((\circ\Delta\Box])$ $((\circ\Delta\Box))(\circ]$ $(\circ\Delta\Box)((\circ])$ $((\circ))((\circ\Delta\Box])$
 $(\circ)[\circ\Delta\Box)$ $((\circ))[\circ\Delta\Box)$ $(\circ)[(\circ\Delta\Box))$ $((\circ\Delta\Box))[\circ)$ $(\circ\Delta\Box)[(\circ))$ $((\circ))[(\circ\Delta\Box))$
 $(\circ)[\circ\Delta\Box]$ $((\circ))[\circ\Delta\Box]$ $(\circ)[(\circ\Delta\Box)]$ $((\circ\Delta\Box))[\circ]$ $(\circ\Delta\Box)[(\circ)]$ $((\circ))[(\circ\Delta\Box)]$

$(\circ](\circ\Delta\Box)$ $((\circ)](\circ\Delta\Box)$ $(\circ]((\circ\Delta\Box))$ $((\circ\Delta\Box)](\circ)$ $(\circ\Delta\Box]((\circ))$ $((\circ)]((\circ\Delta\Box))$
 $(\circ](\circ\Delta\Box]$ $((\circ)](\circ\Delta\Box]$ $(\circ]((\circ\Delta\Box])$ $((\circ\Delta\Box)](\circ]$ $(\circ\Delta\Box]((\circ])$ $((\circ)]((\circ\Delta\Box])$
 $(\circ][\circ\Delta\Box)$ $((\circ))][\circ\Delta\Box)$ $(\circ][(\circ\Delta\Box))$ $((\circ\Delta\Box))][\circ)$ $(\circ\Delta\Box][(\circ))$ $((\circ))][(\circ\Delta\Box))$
 $(\circ][\circ\Delta\Box]$ $((\circ))][\circ\Delta\Box]$ $(\circ][(\circ\Delta\Box)]$ $((\circ\Delta\Box))][\circ]$ $(\circ\Delta\Box][(\circ)]$ $((\circ))][(\circ\Delta\Box)]$

$[\circ)(\circ\Delta\Box)$ $[(\circ))(\circ\Delta\Box)$ $[\circ)((\circ\Delta\Box))$ $[(\circ\Delta\Box))(\circ)$ $[\circ\Delta\Box)((\circ))$ $[(\circ))((\circ\Delta\Box))$
 $[\circ)(\circ\Delta\Box]$ $[(\circ))(\circ\Delta\Box]$ $[\circ)((\circ\Delta\Box])$ $[(\circ\Delta\Box))(\circ]$ $[\circ\Delta\Box)((\circ])$ $[(\circ))((\circ\Delta\Box])$
 $[\circ)[\circ\Delta\Box)$ $[(\circ))][\circ\Delta\Box)$ $[\circ)[(\circ\Delta\Box))$ $[(\circ\Delta\Box))][\circ)$ $[\circ\Delta\Box][(\circ))$ $[(\circ))][(\circ\Delta\Box))$
 $[\circ)[\circ\Delta\Box]$ $[(\circ))][\circ\Delta\Box]$ $[\circ)[(\circ\Delta\Box)]$ $[(\circ\Delta\Box))][\circ]$ $[\circ\Delta\Box][(\circ)]$ $[(\circ))][(\circ\Delta\Box)]$

$[\circ](\circ\Delta\Box)$ $[(\circ)](\circ\Delta\Box)$ $[\circ]((\circ\Delta\Box))$ $[(\circ\Delta\Box)](\circ)$ $[\circ\Delta\Box]((\circ))$ $[(\circ)]((\circ\Delta\Box))$
 $[\circ](\circ\Delta\Box]$ $[(\circ)](\circ\Delta\Box]$ $[\circ]((\circ\Delta\Box])$ $[(\circ\Delta\Box)](\circ]$ $[\circ\Delta\Box]((\circ])$ $[(\circ)]((\circ\Delta\Box])$
 $[\circ][\circ\Delta\Box)$ $[(\circ)]][\circ\Delta\Box)$ $[\circ][(\circ\Delta\Box))$ $[(\circ\Delta\Box)]][\circ)$ $[\circ\Delta\Box][(\circ))$ $[(\circ)]][(\circ\Delta\Box))$
 $[\circ][\circ\Delta\Box]$ $[(\circ)]][\circ\Delta\Box]$ $[\circ][(\circ\Delta\Box)]$ $[(\circ\Delta\Box)]][\circ]$ $[\circ\Delta\Box][(\circ)]$ $[(\circ)]][(\circ\Delta\Box)]$.

3.2. R*-System

$(\circ\Delta\Box)(\circ)$	$((\circ\Delta\Box))(\circ)$	$(\circ\Delta\Box)((\circ))$	$((\circ))(\circ\Delta\Box)$	$(\circ)((\circ\Delta\Box))$	$((\circ\Delta\Box))((\circ))$
$(\circ\Delta\Box)(\circ]$	$((\circ\Delta\Box))(\circ]$	$(\circ\Delta\Box)((\circ])$	$((\circ))(\circ\Delta\Box]$	$(\circ)((\circ\Delta\Box])$	$((\circ\Delta\Box))((\circ])$
$(\circ\Delta\Box)[\circ)$	$((\circ\Delta\Box))[\circ)$	$(\circ\Delta\Box)[(\circ))$	$((\circ))[(\circ\Delta\Box)$	$(\circ)[(\circ\Delta\Box))$	$((\circ\Delta\Box))[(\circ))$
$(\circ\Delta\Box)[\circ]$	$((\circ\Delta\Box))[\circ]$	$(\circ\Delta\Box)[(\circ)]$	$((\circ))[(\circ\Delta\Box]$	$(\circ)[(\circ\Delta\Box)]$	$((\circ\Delta\Box))[(\circ)]$
$(\circ\Delta\Box](\circ)$	$((\circ\Delta\Box])](\circ)$	$(\circ\Delta\Box]((\circ))$	$((\circ)](\circ\Delta\Box)$	$(\circ)]((\circ\Delta\Box))$	$((\circ\Delta\Box])](\circ))$
$(\circ\Delta\Box](\circ]$	$((\circ\Delta\Box])](\circ]$	$(\circ\Delta\Box]((\circ])$	$((\circ)](\circ\Delta\Box]$	$(\circ)]((\circ\Delta\Box])$	$(\circ\Delta\Box]((\circ])$
$(\circ\Delta\Box][\circ)$	$((\circ\Delta\Box])][\circ)$	$(\circ\Delta\Box][(\circ))$	$((\circ)][(\circ\Delta\Box)$	$(\circ)][(\circ\Delta\Box))$	$((\circ\Delta\Box])][(\circ))$
$(\circ\Delta\Box][\circ]$	$((\circ\Delta\Box])][\circ]$	$(\circ\Delta\Box][(\circ)]$	$((\circ)][(\circ\Delta\Box]$	$(\circ)][(\circ\Delta\Box)]$	$((\circ\Delta\Box])][(\circ)]$
$[\circ\Delta\Box)(\circ)$	$[(\circ\Delta\Box)))(\circ)$	$[\circ\Delta\Box)((\circ))$	$[(\circ))(\circ\Delta\Box)$	$[\circ)((\circ\Delta\Box))$	$[(\circ\Delta\Box)))(\circ))$
$[\circ\Delta\Box)(\circ]$	$[(\circ\Delta\Box)))(\circ]$	$[\circ\Delta\Box)((\circ])$	$[(\circ))(\circ\Delta\Box]$	$[\circ)((\circ\Delta\Box])$	$[(\circ\Delta\Box)))(\circ])$
$[\circ\Delta\Box)[\circ)$	$[(\circ\Delta\Box)))[\circ)$	$[\circ\Delta\Box)[(\circ))$	$[(\circ))[(\circ\Delta\Box)$	$[\circ)[(\circ\Delta\Box))$	$[(\circ\Delta\Box)))[(\circ))$
$[\circ\Delta\Box)[\circ]$	$[(\circ\Delta\Box)))[\circ]$	$[\circ\Delta\Box)[(\circ)]$	$[(\circ))[(\circ\Delta\Box]$	$[\circ)[(\circ\Delta\Box)]$	$[(\circ\Delta\Box)))[(\circ)]$
$[\circ\Delta\Box](\circ)$	$[(\circ\Delta\Box)]](\circ)$	$[\circ\Delta\Box]((\circ))$	$[(\circ)](\circ\Delta\Box)$	$[\circ]((\circ\Delta\Box))$	$[(\circ\Delta\Box)]](\circ))$
$[\circ\Delta\Box](\circ]$	$[(\circ\Delta\Box)]](\circ]$	$[\circ\Delta\Box]((\circ])$	$[(\circ)](\circ\Delta\Box]$	$[\circ]((\circ\Delta\Box])$	$[(\circ\Delta\Box)]](\circ])$
$[\circ\Delta\Box][\circ)$	$[(\circ\Delta\Box)]][\circ)$	$[\circ\Delta\Box][(\circ))$	$[(\circ)][(\circ\Delta\Box)$	$[\circ][(\circ\Delta\Box))$	$[(\circ\Delta\Box)]][(\circ))$
$[\circ\Delta\Box][\circ]$	$[(\circ\Delta\Box)]][\circ]$	$[\circ\Delta\Box][(\circ)]$	$[(\circ)][(\circ\Delta\Box]$	$[\circ][(\circ\Delta\Box)]$	$[(\circ\Delta\Box)]][(\circ)]$

4. (1.2, 2.1)-System

4.1. R-System

(oo)(ooo) ((oo))(ooo) (oo)((ooo)) ((ooo))(oo) (ooo)((oo)) ((oo))((ooo))
(oo)(ooo] ((oo))(ooo] (oo)((ooo)] ((ooo))(oo] (ooo)((oo)] ((oo))((ooo)]
(oo)[ooo) ((oo))[ooo) (oo)[(ooo)) ((ooo))[oo] (ooo)[(oo)] ((oo))[(ooo))
(oo)[ooo] ((oo))[ooo] (oo)[(ooo)] ((ooo))[oo] (ooo)[(oo)] ((oo))[(ooo)]

(oo](ooo) ((oo)](ooo) (oo]((ooo)) ((ooo)](oo) (ooo]((oo)) ((oo)]((ooo))
(oo](ooo] ((oo)](ooo] (oo]((ooo)] ((ooo)](oo] (ooo]((oo)] (oo]((ooo)]
(oo][ooo) ((oo)][ooo) (oo][(ooo)) ((ooo)][oo] (ooo)[(oo)] ((oo)][(ooo))
(oo][ooo] ((oo)][ooo] (oo][(ooo)] ((ooo)][oo] (ooo)[(oo)] ((oo)][(ooo)]

[oo)(ooo) [(oo))(ooo) [oo)((ooo)) [(ooo))(oo) [ooo)((oo)) [(oo))((ooo))
[oo)(ooo] [(oo))(ooo] [oo)((ooo)] [(ooo))(oo] [ooo)((oo)] [(oo))((ooo)]
[oo)[ooo) [(oo))[ooo) [oo)[(ooo)) [(ooo))[oo] [ooo)[(oo)] [(oo)][(ooo))
[oo)[ooo] [(oo))[ooo] [oo)[(ooo)] [(ooo))[oo] [ooo)[(oo)] [(oo)][(ooo)]

[oo](ooo) [(oo)](ooo) [oo]((ooo)) [(ooo)](oo) [ooo]((oo)) [(oo)]((ooo))
[oo](ooo] [(oo)](ooo] [oo]((ooo)] [(ooo)](oo] [ooo]((oo)] [(oo)]((ooo)]
[oo][ooo) [(oo)][ooo) [oo][(ooo)) [(ooo)][oo] [ooo][(oo)] [(oo)][(ooo))
[oo][ooo] [(oo)][ooo] [oo][(ooo)] [(ooo)][oo] [ooo][(oo)] [(oo)][(ooo)].

4.2. R*-System

(ooo)(oo) ((ooo))(oo) (ooo)((oo)) ((oo))(ooo) (oo)((ooo)) ((ooo))((oo))

(ooo)(oo] ((ooo))(oo] (ooo)((oo]) ((oo))(ooo] (oo)((ooo]) ((ooo))((oo])

(ooo)[oo) ((ooo))[oo) (ooo)[(oo)) ((oo))[ooo) (oo)[(ooo)) ((ooo))[oo))

(ooo)[oo] ((ooo))[oo] (ooo)[(oo)] ((oo))[ooo] (oo)[(ooo)] ((ooo))[oo)]

(ooo](oo) ((ooo)](oo) (ooo]((oo)) ((oo)](ooo) (oo]((ooo)) ((ooo)]((oo))

(ooo](oo] ((ooo)](oo] (ooo]((oo]) ((oo)](ooo] (oo]((ooo]) (ooo]((oo])

(ooo][oo) ((ooo)][oo) (ooo][oo)) ((oo)][ooo) (oo][oo)) ((ooo)][oo))

(ooo][oo] ((ooo)][oo] (ooo][oo)] ((oo)][ooo] (oo)[oo)] ((ooo)][oo)]

[ooo)(oo) [(ooo))(oo) [ooo)((oo)) [(oo))(ooo) [oo)((ooo)) [(ooo))((oo))

[ooo)(oo] [(ooo))(oo] [ooo)((oo]) [(oo))(ooo] [oo)((ooo)] [(ooo))((oo)]

[ooo)[oo) [(ooo))[oo) [ooo)[oo)) [(oo)][ooo) [oo)[oo)) [(ooo))[oo))

[ooo)[oo] [(ooo))[oo] [ooo)[oo)] [(oo)][ooo] [oo)[oo)] [(ooo))[oo)]

[ooo](oo) [(ooo)](oo) [ooo]((oo)) [(oo)](ooo) [oo]((ooo)) [(ooo)]((oo))

[ooo](oo] [(ooo)](oo] [ooo]((oo]) [(oo)](ooo] [oo]((ooo)] [(ooo)]((oo)]

[ooo][oo) [(ooo)][oo) [ooo][oo)) [(oo)][ooo) [oo][oo)) [(ooo)][oo))

[ooo][oo] [(ooo)][oo] [ooo][oo)] [(oo)][ooo] [oo][oo)] [(ooo)][oo)]

5. (1.2, 2.2)-System

5.1. R*-System

(oo)(ooΔ) ((oo))(ooΔ) (oo)((ooΔ)) ((ooΔ))(oo) (ooΔ)((oo)) ((oo))((ooΔ))

(oo)(ooΔ] ((oo))(ooΔ] (oo)((ooΔ]) ((ooΔ))(oo] (ooΔ)((oo]) ((oo))((ooΔ])

(oo)[ooΔ) ((oo))[ooΔ) (oo)[(ooΔ)) ((ooΔ)][oo) (ooΔ][(oo)) ((oo))[(ooΔ))

(oo)[ooΔ] ((oo))[ooΔ] (oo)[(ooΔ)] ((ooΔ)][oo] (ooΔ)[(oo)] ((oo))[(ooΔ)]

(oo](ooΔ) ((oo)](ooΔ) (oo]((ooΔ)) ((ooΔ)](oo) (ooΔ)((oo)) ((oo)]((ooΔ))

(oo](ooΔ] ((oo)](ooΔ] (oo]((ooΔ]) ((ooΔ)](oo] (ooΔ)((oo]) (oo]((ooΔ])

(oo][ooΔ) ((oo)][ooΔ) (oo][(ooΔ)) ((ooΔ)][oo) (ooΔ][(oo)) ((oo)][(ooΔ))

(oo][ooΔ] ((oo)][ooΔ] (oo][(ooΔ)] ((ooΔ)][oo] (ooΔ)[(oo)] ((oo)][(ooΔ)]

[oo)(ooΔ) [(oo))(ooΔ) [oo)((ooΔ)) [(ooΔ))(oo) [ooΔ)((oo)) [(oo))((ooΔ))

[oo)(ooΔ] [(oo))(ooΔ] [oo)((ooΔ]) [(ooΔ))(oo] [ooΔ)((oo]) [(oo))((ooΔ])

[oo)[ooΔ) [(oo))[ooΔ) [oo)[(ooΔ)) [(ooΔ)][oo) [ooΔ][(oo)) [(oo))[(ooΔ))

[oo)[ooΔ] [(oo))[ooΔ] [oo)[(ooΔ)] [(ooΔ)][oo] [ooΔ)[(oo)] [(oo))[(ooΔ)]

[oo](ooΔ) [(oo)](ooΔ) [oo]((ooΔ)) [(ooΔ)](oo) [ooΔ)((oo)) [(oo)]((ooΔ))

[oo](ooΔ] [(oo)](ooΔ] [oo]((ooΔ]) [(ooΔ)](oo] [ooΔ)((oo]) [(oo)]((ooΔ])

[oo][ooΔ) [(oo)][ooΔ) [oo][(ooΔ)) [(ooΔ)][oo) [ooΔ][(oo)) [(oo)][(ooΔ))

[oo][ooΔ] [(oo)][ooΔ] [oo][(ooΔ)] [(ooΔ)][oo] [ooΔ)[(oo)] [(oo)][(ooΔ)]

6. (1.2, 2.3)-System

6.1. R-System

($\circ\circ$)($\circ\Delta\Box$) (($\circ\circ$))($\circ\Delta\Box$) ($\circ\circ$)(($\circ\Delta\Box$)) (($\circ\Delta\Box$))($\circ\circ$) ($\circ\Delta\Box$)(($\circ\circ$)) (($\circ\circ$))(($\circ\Delta\Box$))

($\circ\circ$)($\circ\Delta\Box$] (($\circ\circ$))($\circ\Delta\Box$] ($\circ\circ$)(($\circ\Delta\Box$]) (($\circ\Delta\Box$))($\circ\circ$] ($\circ\Delta\Box$)(($\circ\circ$]) (($\circ\circ$))(($\circ\Delta\Box$])

($\circ\circ$)[$\circ\Delta\Box$) (($\circ\circ$))[$\circ\Delta\Box$) ($\circ\circ$)[($\circ\Delta\Box$)) (($\circ\Delta\Box$))[$\circ\circ$) ($\circ\Delta\Box$)[($\circ\circ$)) (($\circ\circ$))[($\circ\Delta\Box$))

($\circ\circ$)[$\circ\Delta\Box$] (($\circ\circ$))[$\circ\Delta\Box$] ($\circ\circ$)[($\circ\Delta\Box$]) (($\circ\Delta\Box$))[$\circ\circ$] ($\circ\Delta\Box$)[($\circ\circ$)] (($\circ\circ$))[($\circ\Delta\Box$)]

($\circ\circ$]($\circ\Delta\Box$) (($\circ\circ$)]($\circ\Delta\Box$) ($\circ\circ$]]($\circ\Delta\Box$)) (($\circ\Delta\Box$)]($\circ\circ$) ($\circ\Delta\Box$]]($\circ\circ$)) (($\circ\circ$]](($\circ\Delta\Box$))

($\circ\circ$]($\circ\Delta\Box$] (($\circ\circ$)]($\circ\Delta\Box$] ($\circ\circ$]]($\circ\Delta\Box$]) (($\circ\Delta\Box$)]($\circ\circ$] ($\circ\Delta\Box$]]($\circ\circ$]) ($\circ\circ$]](($\circ\Delta\Box$])

($\circ\circ$][$\circ\Delta\Box$) (($\circ\circ$])[$\circ\Delta\Box$) ($\circ\circ$]][($\circ\Delta\Box$)) (($\circ\Delta\Box$)]($\circ\circ$) ($\circ\Delta\Box$]][($\circ\circ$)) (($\circ\circ$]][($\circ\Delta\Box$))

($\circ\circ$][$\circ\Delta\Box$] (($\circ\circ$])[$\circ\Delta\Box$] ($\circ\circ$]][($\circ\Delta\Box$]) (($\circ\Delta\Box$)]($\circ\circ$] ($\circ\Delta\Box$]][($\circ\circ$)] (($\circ\circ$]][($\circ\Delta\Box$)]

[$\circ\circ$)($\circ\Delta\Box$) [($\circ\circ$))($\circ\Delta\Box$) [$\circ\circ$]($\circ\Delta\Box$)) [($\circ\Delta\Box$))($\circ\circ$) [$\circ\Delta\Box$]($\circ\circ$)) [($\circ\circ$))($\circ\Delta\Box$))

[$\circ\circ$)($\circ\Delta\Box$] [($\circ\circ$))($\circ\Delta\Box$] [$\circ\circ$]($\circ\Delta\Box$]) [($\circ\Delta\Box$))($\circ\circ$] [$\circ\Delta\Box$]($\circ\circ$]) [($\circ\circ$))($\circ\Delta\Box$])

[$\circ\circ$)[$\circ\Delta\Box$) [($\circ\circ$))[$\circ\Delta\Box$) [$\circ\circ$]($\circ\Delta\Box$)) [($\circ\Delta\Box$))[$\circ\circ$) [$\circ\Delta\Box$]($\circ\circ$)) [($\circ\circ$))[$\circ\Delta\Box$))

[$\circ\circ$)[$\circ\Delta\Box$] [($\circ\circ$))[$\circ\Delta\Box$] [$\circ\circ$]($\circ\Delta\Box$]) [($\circ\Delta\Box$))[$\circ\circ$] [$\circ\Delta\Box$]($\circ\circ$)] [($\circ\circ$))[$\circ\Delta\Box$)]

[$\circ\circ$]($\circ\Delta\Box$) [($\circ\circ$)]($\circ\Delta\Box$) [$\circ\circ$]]($\circ\Delta\Box$)) [($\circ\Delta\Box$)]($\circ\circ$) [$\circ\Delta\Box$]]($\circ\circ$)) [($\circ\circ$]](($\circ\Delta\Box$))

[$\circ\circ$]($\circ\Delta\Box$] [($\circ\circ$)]($\circ\Delta\Box$] [$\circ\circ$]]($\circ\Delta\Box$]) [($\circ\Delta\Box$)]($\circ\circ$] [$\circ\Delta\Box$]]($\circ\circ$]) [($\circ\circ$]](($\circ\Delta\Box$])

[$\circ\circ$][$\circ\Delta\Box$) [($\circ\circ$)]($\circ\Delta\Box$) [$\circ\circ$]][($\circ\Delta\Box$)) [($\circ\Delta\Box$)]($\circ\circ$) [$\circ\Delta\Box$]][($\circ\circ$)) [($\circ\circ$]][($\circ\Delta\Box$))

[$\circ\circ$][$\circ\Delta\Box$] [($\circ\circ$)]($\circ\Delta\Box$] [$\circ\circ$]][($\circ\Delta\Box$]) [($\circ\Delta\Box$)]($\circ\circ$] [$\circ\Delta\Box$]][($\circ\circ$)] [($\circ\circ$]][($\circ\Delta\Box$)]

6.2. R*-System

$(\circ\Delta\Box)(\circ\circ)$ $((\circ\Delta\Box))(\circ\circ)$ $(\circ\Delta\Box)((\circ\circ))$ $((\circ\circ))(\circ\Delta\Box)$ $(\circ\circ)((\circ\Delta\Box))$ $((\circ\Delta\Box))((\circ\circ))$
 $(\circ\Delta\Box)(\circ\circ]$ $((\circ\Delta\Box))(\circ\circ]$ $(\circ\Delta\Box)((\circ\circ])$ $((\circ\circ))(\circ\Delta\Box]$ $(\circ\circ)((\circ\Delta\Box])$ $((\circ\Delta\Box))((\circ\circ])$
 $(\circ\Delta\Box)[\circ\circ)$ $((\circ\Delta\Box))[\circ\circ)$ $(\circ\Delta\Box)[(\circ\circ))$ $((\circ\circ))[\circ\Delta\Box)$ $(\circ\circ)[(\circ\Delta\Box))$ $((\circ\Delta\Box))[(\circ\circ))$
 $(\circ\Delta\Box)[\circ\circ]$ $((\circ\Delta\Box))[\circ\circ]$ $(\circ\Delta\Box)[(\circ\circ)]$ $((\circ\circ))[\circ\Delta\Box]$ $(\circ\circ)[(\circ\Delta\Box)]$ $((\circ\Delta\Box))[(\circ\circ)]$

$(\circ\Delta\Box](\circ\circ)$ $((\circ\Delta\Box))](\circ\circ)$ $(\circ\Delta\Box]((\circ\circ))$ $((\circ\circ)](\circ\Delta\Box)$ $(\circ\circ)]((\circ\Delta\Box))$ $((\circ\Delta\Box))](\circ\circ))$
 $(\circ\Delta\Box](\circ\circ]$ $((\circ\Delta\Box))](\circ\circ]$ $(\circ\Delta\Box]((\circ\circ])$ $((\circ\circ)](\circ\Delta\Box]$ $(\circ\circ)]((\circ\Delta\Box])$ $((\circ\Delta\Box))](\circ\circ])$
 $(\circ\Delta\Box][\circ\circ)$ $((\circ\Delta\Box))][\circ\circ)$ $(\circ\Delta\Box][(\circ\circ))$ $((\circ\circ))][\circ\Delta\Box)$ $(\circ\circ)][(\circ\Delta\Box))$ $((\circ\Delta\Box))][(\circ\circ))$
 $(\circ\Delta\Box][\circ\circ]$ $((\circ\Delta\Box))][\circ\circ]$ $(\circ\Delta\Box][(\circ\circ)]$ $((\circ\circ))][\circ\Delta\Box]$ $(\circ\circ)][(\circ\Delta\Box)]$ $((\circ\Delta\Box))][(\circ\circ)]$

$[\circ\Delta\Box)(\circ\circ)$ $[(\circ\Delta\Box)))(\circ\circ)$ $[\circ\Delta\Box)((\circ\circ))$ $[(\circ\circ))(\circ\Delta\Box)$ $[\circ\circ)((\circ\Delta\Box))$ $[(\circ\Delta\Box))((\circ\circ))$
 $[\circ\Delta\Box)(\circ\circ]$ $[(\circ\Delta\Box)))(\circ\circ]$ $[\circ\Delta\Box)((\circ\circ])$ $[(\circ\circ))(\circ\Delta\Box]$ $[\circ\circ)((\circ\Delta\Box])$ $[(\circ\Delta\Box))((\circ\circ])$
 $[\circ\Delta\Box](\circ\circ)$ $[(\circ\Delta\Box))](\circ\circ)$ $[\circ\Delta\Box][(\circ\circ))$ $[(\circ\circ))][\circ\Delta\Box)$ $[\circ\circ][(\circ\Delta\Box))$ $[(\circ\Delta\Box))][(\circ\circ))$
 $[\circ\Delta\Box](\circ\circ]$ $[(\circ\Delta\Box))](\circ\circ]$ $[\circ\Delta\Box][(\circ\circ)]$ $[(\circ\circ))][\circ\Delta\Box]$ $[\circ\circ][(\circ\Delta\Box)]$ $[(\circ\Delta\Box))][(\circ\circ)]$

$[\circ\Delta\Box](\circ\circ)$ $[(\circ\Delta\Box))](\circ\circ)$ $[\circ\Delta\Box]((\circ\circ))$ $[(\circ\circ)](\circ\Delta\Box)$ $[\circ\circ]]((\circ\Delta\Box))$ $[(\circ\Delta\Box))](\circ\circ))$
 $[\circ\Delta\Box](\circ\circ]$ $[(\circ\Delta\Box))](\circ\circ]$ $[\circ\Delta\Box]((\circ\circ])$ $[(\circ\circ)](\circ\Delta\Box]$ $[\circ\circ]]((\circ\Delta\Box])$ $[(\circ\Delta\Box))](\circ\circ])$
 $[\circ\Delta\Box][\circ\circ)$ $[(\circ\Delta\Box))][\circ\circ)$ $[\circ\Delta\Box][(\circ\circ))$ $[(\circ\circ)][\circ\Delta\Box)$ $[\circ\circ]][(\circ\Delta\Box))$ $[(\circ\Delta\Box))][(\circ\circ))$
 $[\circ\Delta\Box][\circ\circ]$ $[(\circ\Delta\Box))][\circ\circ]$ $[\circ\Delta\Box][(\circ\circ)]$ $[(\circ\circ)][\circ\Delta\Box]$ $[\circ\circ]][(\circ\Delta\Box)]$ $[(\circ\Delta\Box))][(\circ\circ)]$

7.2. R*-System

(ooo)(oΔ) ((ooo))(oΔ) (ooo)((oΔ)) ((oΔ))(ooo) (oΔ)((ooo)) ((ooo))((oΔ))

(ooo)(oΔ] ((ooo))(oΔ] (ooo)((oΔ]) ((oΔ))(ooo] (oΔ)((ooo]) ((ooo))((oΔ])

(ooo)[oΔ) ((ooo))[oΔ) (ooo)[(oΔ)) ((oΔ))[ooo) (oΔ)[(ooo)) ((ooo))[oΔ)

(ooo)[oΔ] ((ooo))[oΔ] (ooo)[(oΔ)] ((oΔ))[ooo] (oΔ)[(ooo)] ((ooo))[oΔ]

(ooo](oΔ) ((ooo)](oΔ) (ooo]((oΔ)) ((oΔ)](ooo) (oΔ]((ooo)) ((ooo)]((oΔ))

(ooo](oΔ] ((ooo)](oΔ] (ooo]((oΔ]) ((oΔ)](ooo] (oΔ]((ooo]) (ooo]((oΔ])

(ooo][oΔ) ((ooo)][oΔ) (ooo][oΔ) ((oΔ)][ooo) (oΔ][oΔ) ((ooo)][oΔ)

(ooo][oΔ] ((ooo)][oΔ] (ooo][oΔ] ((oΔ)][ooo] (oΔ][oΔ] ((ooo)][oΔ]

[ooo)(oΔ) [(ooo))(oΔ) [ooo)((oΔ)) [(oΔ))(ooo) [oΔ)((ooo)) [(ooo))((oΔ))

[ooo)(oΔ] [(ooo))(oΔ] [ooo)((oΔ]) [(oΔ))(ooo] [oΔ)((ooo)] [(ooo))((oΔ])

[ooo][oΔ) [(ooo))[oΔ) [ooo][oΔ) [(oΔ))[ooo) [oΔ][oΔ) [(ooo))[oΔ)

[ooo][oΔ] [(ooo))[oΔ] [ooo][oΔ] [(oΔ))[ooo] [oΔ][oΔ] [(ooo))[oΔ]

[ooo](oΔ) [(ooo)](oΔ) [ooo]((oΔ)) [(oΔ)](ooo) [oΔ]((ooo)) [(ooo)]((oΔ))

[ooo](oΔ] [(ooo)](oΔ] [ooo]((oΔ]) [(oΔ)](ooo] [oΔ]((ooo)] [(ooo)]((oΔ])

[ooo][oΔ) [(ooo)][oΔ) [ooo][oΔ) [(oΔ)][ooo) [oΔ][oΔ) [(ooo)][oΔ)

[ooo][oΔ] [(ooo)][oΔ] [ooo][oΔ] [(oΔ)][ooo] [oΔ][oΔ] [(ooo)][oΔ]

9.2. R*-System

$(\circ\Delta\Box)(\circ\Delta)((\circ\Delta\Box))(\circ\Delta)(\circ\Delta\Box)((\circ\Delta))((\circ\Delta))(\circ\Delta\Box)(\circ\Delta)((\circ\Delta\Box)) \quad ((\circ\Delta\Box))((\circ\Delta))$

$(\circ\Delta\Box)(\circ\Delta] \quad ((\circ\Delta\Box))(\circ\Delta] \ (\circ\Delta\Box)((\circ\Delta]) \ ((\circ\Delta))(\circ\Delta\Box] \ (\circ\Delta)((\circ\Delta\Box]) \ ((\circ\Delta\Box))((\circ\Delta])$

$(\circ\Delta\Box)[\circ\Delta \quad ((\circ\Delta\Box))[\circ\Delta \ (\circ\Delta\Box)[(\circ\Delta)) \ ((\circ\Delta))[\circ\Delta\Box \ (\circ\Delta)[(\circ\Delta\Box)) \ ((\circ\Delta\Box))[(\circ\Delta))$

$(\circ\Delta\Box)[\circ\Delta] \quad ((\circ\Delta\Box))[\circ\Delta] \ (\circ\Delta\Box)[(\circ\Delta)] \ ((\circ\Delta))[\circ\Delta\Box] \ (\circ\Delta)[(\circ\Delta\Box)] \ ((\circ\Delta\Box))[(\circ\Delta)]$

$(\circ\Delta\Box](\circ\Delta \quad ((\circ\Delta\Box)](\circ\Delta) \ (\circ\Delta\Box]((\circ\Delta)) \ ((\circ\Delta)](\circ\Delta\Box) \ (\circ\Delta]((\circ\Delta\Box)) \ ((\circ\Delta\Box)]((\circ\Delta))$

$(\circ\Delta\Box](\circ\Delta] \quad ((\circ\Delta\Box)](\circ\Delta] \ (\circ\Delta\Box]((\circ\Delta]) \ ((\circ\Delta)](\circ\Delta\Box] \ (\circ\Delta]((\circ\Delta\Box]) \ (\circ\Delta\Box]((\circ\Delta])$

$(\circ\Delta\Box][\circ\Delta \quad ((\circ\Delta\Box)]][\circ\Delta) \ (\circ\Delta\Box][(\circ\Delta)) \ ((\circ\Delta)]][\circ\Delta\Box) \ (\circ\Delta][(\circ\Delta\Box)) \ ((\circ\Delta\Box)]][(\circ\Delta))$

$(\circ\Delta\Box][\circ\Delta] \quad ((\circ\Delta\Box)]][\circ\Delta] \ (\circ\Delta\Box][(\circ\Delta)] \ ((\circ\Delta)]][\circ\Delta\Box] \ (\circ\Delta][(\circ\Delta\Box)] \ ((\circ\Delta\Box)]][(\circ\Delta)]$

$[\circ\Delta\Box)(\circ\Delta \quad [(\circ\Delta\Box))(\circ\Delta) \ [\circ\Delta\Box)((\circ\Delta)) \ [(\circ\Delta))(\circ\Delta\Box) \ [\circ\Delta)((\circ\Delta\Box)) \ [(\circ\Delta\Box))((\circ\Delta))$

$[\circ\Delta\Box)(\circ\Delta] \quad [(\circ\Delta\Box))(\circ\Delta] \ [\circ\Delta\Box)((\circ\Delta)] \ [(\circ\Delta))(\circ\Delta\Box] \ [\circ\Delta)((\circ\Delta\Box)] \ [(\circ\Delta\Box))((\circ\Delta)]$

$[\circ\Delta\Box)[\circ\Delta \quad [(\circ\Delta\Box))][\circ\Delta) \ [\circ\Delta\Box][(\circ\Delta)) \ [(\circ\Delta))][\circ\Delta\Box) \ [\circ\Delta][(\circ\Delta\Box)) \ [(\circ\Delta\Box))][(\circ\Delta))$

$[\circ\Delta\Box)[\circ\Delta] \quad [(\circ\Delta\Box))][\circ\Delta] \ [\circ\Delta\Box][(\circ\Delta)] \ [(\circ\Delta))][\circ\Delta\Box] \ [\circ\Delta][(\circ\Delta\Box)] \ [(\circ\Delta\Box))][(\circ\Delta)]$

$[\circ\Delta\Box](\circ\Delta \quad [(\circ\Delta\Box)](\circ\Delta) \ [\circ\Delta\Box]((\circ\Delta)) \ [(\circ\Delta)](\circ\Delta\Box) \ [\circ\Delta]((\circ\Delta\Box)) \ [(\circ\Delta\Box)]((\circ\Delta))$

$[\circ\Delta\Box](\circ\Delta] \quad [(\circ\Delta\Box)](\circ\Delta] \ [\circ\Delta\Box]((\circ\Delta]) \ [(\circ\Delta)](\circ\Delta\Box] \ [\circ\Delta]((\circ\Delta\Box]) \ [(\circ\Delta\Box)]((\circ\Delta])$

$[\circ\Delta\Box][\circ\Delta \quad [(\circ\Delta\Box)]][\circ\Delta) \ [\circ\Delta\Box][(\circ\Delta)) \ [(\circ\Delta)]][\circ\Delta\Box) \ [\circ\Delta][(\circ\Delta\Box)) \ [(\circ\Delta\Box)]][(\circ\Delta))$

$[\circ\Delta\Box][\circ\Delta] \quad [(\circ\Delta\Box)]][\circ\Delta] \ [\circ\Delta\Box][(\circ\Delta)] \ [(\circ\Delta)]][\circ\Delta\Box] \ [\circ\Delta][(\circ\Delta\Box)] \ [(\circ\Delta\Box)]][(\circ\Delta)]$

IV. System der proto- und deuteräquivalenten zellulären Automaten

§ 1 von Kronthalers einleitenden “Prolegomena mathematico-logico-philosophica” lautet: “Die Mathematik der Qualitäten ist eine Mathematik von/für lebende(n) Systeme” (1986, S. 7). Dagegen hängt die quantitative mathematische Form “mit dem Ende des organischen Lebens, mit der Erscheinung seines anorganischen Restes, des Leichnams, zusammen” (Kronthaler 1986, S. 81). Wie bereits Kaehr (2011) in seiner ersten Arbeit zu polykontexturalen zellulären Automaten (CA) festgestellt hatte, haben diese eine ganz andere Gestalt als diejenigen, die auf Conway zurückgehen (vgl. Gardner 1970). Dies trifft in Sonderheit zu auf die polykontexturalsemiotischen CA, die auf der dyadisch-trichotomischen topologischen Zeichenrelaiton $ZR^{2,3}$ basieren. Für die 3-wertige Semiotik werden sie im folgenden in der Ordnung der Kenogrammsequenzen präsentiert (vgl. Toth 2019h, i).

1. (1.1, 2.1)-System

1.1. R-System

(0)

(000)

((0))

(000)

(0)

((000))

((000))

(0)

(000)

((0))

((0))

((000))

(0)

(000]

((0))

(000]

(0)

((000])

((000))

(0]

(000)

((0)]

((0))

((000)]

(0)
[000)

((0))
[000)

(0)
[(000))

((000))
[0)

(000)
[(0))

((0))
[(000))

(0)
[000]

((0))
[000]

(0)
[(000)]

((000))
[0]

(000)
[(0)]

((0))
[(000)]

(0]
(000)

((0)]
(000)

(0]
((000))

((000)]
(0)

(000]

((0))

((0)]

((000))

(0]

(000]

((0)]

(000]

(0]

((000)]

((000)]

(0]

(000]

((0)]

(0]

((000)]

(0]
[000)

((0)]
[000)

(0]
[(000))

((000)]
[0)

(000]
[(0))

((0)]
[(000))

(0]
[000]

((0)]
[000]

(0)
[(000)]

((000))
[0]

(000)
[(0)]

((0))
[(000)]

[0]
(000)

[(0))
(000)

[0]
((000))

[(000))
(0)

[000)

((0))

[(0))

((000))

[0)

(000]

[(0))

(000]

[0)

((000)]

[(000))

(0]

[000)

((0)]

[(0))

((000)]

[0)

[000)

[(0))

[000)

[0)

[(000))

[(000))

[0)

[000)

[(0))

[(0))

[(000))

[0)

[000]

[(0))

[000]

[0]

[(000)]

[(000))

[0]

[000)

[(0)]

[(0))

[(000)]

[0]

(000)

[(0)]

(000)

[0]

((000))

[(000)]

(0)

[000]

((0))

[(0)]

((000))

[0]

(000)

[(0)]

(000)

[0]

((000))

[(000)]

(0)

[000]

((0))

[(0)]

((000))

[0]
[000)

[(0)]
[000)

[0]
[(000))

[(000)]
[0)

[000]
[(0))

[(0)]
[(000))

[0]
[000]

[(0)]
[000]

[0]

[(000)]

[(000)]

[0]

[000]

[(0)]

[(0)]

[(000)]

1.2. R*-System

(000)

(0)

((000))

(0)

(000)

((0))

((0))

(000)

(0)

((000))

((000))

((0))

(000)

(0]

((000))

(0]

(000)

((0)]

((0))

(000]

(0)

((000)]

((000))

((0)]

(000)

[0]

((000))

[0]

(000)

[(0)]

((0))

[000]

(0)

[(000)]

((000))

[(0)]

(000)

[0]

((000))

[0]

(000)

[(0)]

((0))

[000]

(0)

[(000)]

((000))

[(0)]

(000]

(0)

((000)]

(0)

(000]

((0))

((0)]

(000)

(0]
((000))

((000)]
((0))

(000]
(0]

((000)]
(0]

(000]
((0)]

((0)]
(000]

(0]
((000)]

(000]
((0)]

(000]

[0)

((000]

[0)

(000]

[(0))

((0)]

[000)

(0]

[(000))

((000)]

[(0))

(000]

[0]

((000)]

[0]

(000]

[(0)]

((0)]

[000]

(0]

[(000)]

((000)]

[(0)]

[000)

(0)

[(000))

(0)

[000)

((0))

[(0))

(000)

[0]
((000))

[(000))
(0)

[000)
(0]

[(000))
(0]

[000)
(0)]

[(0))
(000]

[0]
((000)]

[(000))
(0)]

[000)

[0)

[(000))

[0)

[000)

[(0))

[(0))

[000)

[0)

[(000))

[(000))

[(0))

[000)

[0]

[(000))

[0]

[000)

[(0)]

[(0))

[000]

[0)

[(000)]

[(000))

[(0)]

[000]

(0)

[(000)]

(0)

[000]

((0))

[(0)]

(000)

[0]
((000))

[(000)]
(0)

[000]
(0)

[(000)]
(0)

[000]
(0)

[(0)]
(000)

[0]
((000))

[(000)]
(0)

[000]

[0]

[(000)]

[0]

[000]

[(0)]

[(0)]

[000]

[0]

[(000))

[(000)]

[(0))

[000]

[0]

[(000)]

[0]

[000]

[(0)]

[(0)]

[000]

[0]

[(000)]

[(000)]

[(0)]

2. (1.1, 2.2)-System

2.1. R-System

(0)

(001)

((0))

(001)

(0)

((001))

((001))

(0)

(001)

((0))

((0))

((001))

(0)

(001]

((0))

(001]

(0)

((001])

((001))

(0]

(001)

((0])

((0))

((001])

(0)
[001)

((0))
[001)

(0)
[(001))

((001))
[0)

(001)
[(0))

((0))
[(001))

(0)
[001]

((0))
[001]

(0)

[(001)]

((001))

[0]

(001)

[(0)]

((0))

[(001)]

(0]

(001)

((0])

(001)

(0]

((001))

((001])

(0)

(001]

((0))

((0])

((001))

(0]

(001]

((0])

(001]

(0]

((001])

((001])

(0]

(001]

((0])

(0]

((001])

(0)
[001)

((0])
[001)

(0)
[(001))

((001])
[0)

(001]
[(0))

((0])
[(001))

(0)
[001]

((0])
[001]

(0)
[(001)]

((001))
[0]

(001)
[(0)]

((0))
[(001)]

[0]
(001)

[(0))
(001)

[0]
((001))

[(001))
(0)

[001)

((0))

[(0))

((001))

[0)

(001]

[(0))

(001]

[0)

((001])

[(001))

(0]

[001)

((0])

[(0))

((001])

[0)

[001)

[(0))

[001)

[0)

[(001))

[(001))

[0)

[001)

[(0))

[(0))

[(001))

[0)

[001]

[(0))

[001]

[0]

[(001)]

[(001))

[0]

[001)

[(0)]

[(0))

[(001)]

[0]

(001)

[(0)]

(001)

[0]

((001))

[(001)]

(0)

[001]

((0))

[(0)]

((001))

[0]

(001]

[(0)]

(001]

[0]

((001])

[(001)]

(0]

[001]

((0)]

[(0)]

((001])

[0]
[001)

[(0)]
[001)

[0]
[(001))

[(001)]
[0)

[001]
[(0))

[(0)]
[(001))

[0]
[001]

[(0)]
[001]

[0]

[(001)]

[(001)]

[0]

[001]

[(0)]

[(0)]

[(001)]

2.2. R*-System

(001)

(0)

((001))

(0)

(001)

((0))

((0))

(001)

(0)

((001))

((001))

((0))

(001)

(0]

((001))

(0]

(001)

((0])

((0))

(001]

(0)

((001])

((001))

((0])

(001)

[0]

((001))

[0]

(001)

[(0)]

((0))

[001]

(0)

[(001)]

((001))

[(0)]

(001)

[0]

((001))

[0]

(001)

[(0)]

((0))

[001]

(0)

[(001)]

((001))

[(0)]

(001]

(0)

((001)]

(0)

(001]

((0))

((0)]

(001)

(0]

((001))

((001])

((0))

(001]

(0]

((001])

(0]

(001]

((0])

((0])

(001]

(0]

((001])

(001]

((0])

(001]

[0)

((001]

[0)

(001]

[(0))

((0)]

[001)

(0]

[(001))

((001)]

[(0))

(001]

[0]

((001)]

[0]

(001]

[(0)]

((0)]

[001]

(0]

[(001)]

((001)]

[(0)]

[001)

(0)

[(001))

(0)

[001)

((0))

[(0))

(001)

[0]
((001))

[(001))
(0)

[001)
(0]

[(001))
(0]

[001)
(0)]

[(0))
(001]

[0)
((001)]

[(001))
(0)]

[001)

[0)

[(001))

[0)

[001)

[(0))

[(0))

[001)

[0)

[(001))

[(001))

[(0))

[001)

[0]

[(001))

[0]

[001)

[(0)]

[(0))

[001]

[0)

[(001)]

[(001))

[(0)]

[001]

(0)

[(001)]

(0)

[001]

((0))

[(0)]

(001)

[0]
((001))

[(001)]
((0))

[001]
(0)

[(001)]
(0)

[001]
((0))

[(0)]
(001)

[0]
((001))

[(001)]
((0))

[001]

[0]

[(001)]

[0]

[001]

[(0))

[(0)]

[001)

[0]

[(001))

[(001)]

[(0))

[001]

[0]

[(001)]

[0]

[001]

[(0)]

[(0)]

[001]

[0]

[(001)]

[(001)]

[(0)]

3. (1.1, 2.3)-System

3.1. R-System

(0)

(012)

((0))

(012)

(0)

((012))

((012))

(0)

(012)

((0))

((0))

((012))

(0)

(012]

((0))

(012]

(0)

((012])

((012))

(0]

(012)

((0])

((0))

((012])

(0)
[012)

((0))
[012)

(0)
[(012))

((012))
[0)

(012)
[(0))

((0))
[(012))

(0)
[012]

((0))
[012]

(0)

[(012)]

((012))

[0]

(012)

[(0)]

((0))

[(012)]

(0]

(012)

((0])

(012)

(0]

((012))

((012])

(0)

(012]

((0))

((0])

((012))

(0]

(012]

((0])

(012]

(0]

((012])

((012])

(0]

(012]

((0])

(0]

((012])

(0]
[012)

((0)]
[012)

(0]
[(012))

((012)]
[0)

(012]
[(0))

((0)]
[(012))

(0]
[012]

((0)]
[012]

(0)
[(012)]

((012))
[0]

(012)
[(0)]

((0))
[(012)]

[0]
(012)

[(0))
(012)

[0]
((012))

[(012))
(0)

[012)

((0))

[(0))

((012))

[0)

(012]

[(0))

(012]

[0)

((012])

[(012))

(0]

[012)

((0])

[(0))

((012])

[0)

[012)

[(0))

[012)

[0)

[(012))

[(012))

[0)

[012)

[(0))

[(0))

[(012))

[0)

[012]

[(0))

[012]

[0]

[(012)]

[(012))

[0]

[012)

[(0)]

[(0))

[(012)]

[0]

(012)

[(0)]

(012)

[0]

((012))

[(012)]

(0)

[012]

((0))

[(0)]

((012))

[0]

(012]

[(0)]

(012]

[0]

((012])

[(012)]

(0]

[012]

((0)]

[(0)]

((012)]

[0]

[012)

[(0)]

[012)

[0]

[(012))

[(012)]

[0)

[012]

[(0))

[(0)]

[(012))

[0]

[012]

[(0)]

[012]

[0]

[(012)]

[(012)]

[0]

[012]

[(0)]

[(0)]

[(012)]

3.2. R*-System

(012)

(0)

((012))

(0)

(012)

((0))

((0))

(012)

(0)

((012))

((012))

((0))

(012)

(0]

((012))

(0]

(012)

((0)]

((0))

(012]

(0)

((012)]

((012))

((0)]

(012)

[0]

((012))

[0]

(012)

[(0)]

((0))

[012]

(0)

[(012)]

((012))

[(0)]

(012)

[0]

((012))

[0]

(012)

[(0)]

((0))

[012]

(0)

[(012)]

((012))

[(0)]

(012]

(0)

((012)]

(0)

(012]

((0))

((0)]

(012)

(0]

((012))

((012])

((0))

(012]

(0]

((012])

(0]

(012]

((0])

((0])

(012]

(0]

((012])

(012]

((0])

(012]

[0)

((012)]

[0)

(012]

[(0))

((0)]

[012)

(0]

[(012))

((012)]

[(0))

(012]

[0]

((012)]

[0]

(012]

[(0)]

((0)]

[012]

(0]

[(012)]

((012)]

[(0)]

[012)

(0)

[(012))

(0)

[012)

((0))

[(0))

(012)

[0]
((012))

[(012))
(0)

[012)
(0]

[(012))
(0]

[012)
(0)]

[(0))
(012]

[0)
((012)]

[(012))
(0)]

[012)

[0)

[(012))

[0)

[012)

[(0))

[(0))

[012)

[0)

[(012))

[(012))

[(0))

[012)

[0]

[(012))

[0]

[012)

[(0)]

[(0))

[012]

[0)

[(012)]

[(012))

[(0)]

[012]

(0)

[(012)]

(0)

[012]

((0))

[(0)]

(012)

[0]
((012))

[(012)]
((0))

[012]
(0)

[(012)]
(0)

[012]
((0))

[(0)]
(012)

[0]
((012))

[(012)]
((0))

[012]

[0]

[(012)]

[0]

[012]

[(0))

[(0)]

[012)

[0]

[(012))

[(012)]

[(0))

[012]

[0]

[(012)]

[0]

[012]

[(0)]

[(0)]

[012]

[0]

[(012)]

[(012)]

[(0)]

4. (1.2, 2.1)-System

4.1. R-System

(00)

(000)

((00))

(000)

(00)

((000))

((000))

(00)

(000)

((00))

((00))

((000))

(00)

(000]

((00))

(000]

(00)

((000)]

((000))

(00]

(000)

((00)]

((00))

((000)]

(00)
[000)

((00))
[000)

(00)
[(000))

((000))
[00)

(000)
[(00))

((00))
[(000))

(00)
[000]

((00))
[000]

(00)
[(000)]

((000))
[00]

(000)
[(00)]

((00))
[(000)]

(00]
(000)

((00)]
(000)

(00]
((000))

((000)]
(00)

(000]
((00))

((00)]
((000))

(00]
(000]

((00)]
(000]

(00]
((000)]

((000)]
(00]

(000]
((00)]

(00]
((000)]

(00]
[000)

((00)]
[000)

(00]
[(000))

((000)]
[00)

(000]
[(00))

((00)]
[(000))

(00]
[000]

((00)]
[000]

(00]
[(000)]

((000)]
[00]

(000]
[(00)]

((00)]
[(000)]

[00)
(000)

[(00))
(000)

[00)
((000))

[(000))
(00)

[000)
((00))

[(00))
((000))

[00)
(000]

[(00))
(000]

[00)
((000)]

[(000))
(00]

[000)
((00)]

[(00))
((000)]

[00)

[000)

[(00))

[000)

[00)

[(000))

[(000))

[00)

[000)

[(00))

[(00))

[(000))

[00)

[000]

[(00))

[000]

[00)

[(000)]

[(000))

[00]

[000)

[(00)]

[(00))

[(000)]

[00]

(000)

[(00)]

(000)

[00]

((000))

[(000)]

(00)

[000]
(00)

[(00)]
(000)

[00]
(000)

[(00)]
(000)

[00]
(000)

[(000)]
(00)

[000]
(00)

[(00)]
(000)

[00]

[000)

[(00)]

[000)

[00]

[(000))

[(000)]

[00)

[000]

[(00))

[(00)]

[(000))

[00]

[000]

[(00)]

[000]

[00]

[(000)]

[(000)]

[00]

[000]

[(00)]

[(00)]

[(000)].

4.2. R*-System

(000)

(00)

((000))

(00)

(000)

((00))

((00))

(000)

(00)

((000))

((000))

((00))

(000)

(00]

((000))

(00]

(000)

((00])

((00))

(000]

(00)

((000])

((000))

((00])

(000)

[00]

((000))

[00]

(000)

[(00)]

((00))

[000]

(00)

[(000)]

((000))

[(00)]

(000)

[00]

((000))

[00]

(000)
[(00)]

((00))
[000]

(00)
[(000)]

((000))
[(00)]

(000]
(00)

((000)]
(00)

(000]
((00))

((00)]
(000)

(00]

((000))

((000)]

((00))

(000]

(00]

((000)]

(00]

(000]

((00)]

((00)]

(000]

(00]

((000)]

(000]

((00)]

(000]

[00)

((000)]

[00)

(000]

[(00))

((00)]

[000)

(00]

[(000))

((000)]

[(00))

(000]

[00]

((000)]

[00]

(000]

[(00)]

((00)]

[000]

(00]

[(000)]

((000)]

[(00)]

[000)

(00)

[(000))

(00)

[000)

((00))

[(00))

(000)

[00)
((000))

[(000))
((00))

[000)
(00]

[(000))
(00]

[000)
((00)]

[(00))
(000]

[00)
((000)]

[(000))
((00)]

[000)

[00)

[(000))

[00)

[000)

[(00))

[(00))

[000)

[00)

[(000))

[(000))

[(00))

[000)

[00]

[(000))

[00]

[000)

[(00)]

[(00))

[000]

[00)

[(000)]

[(000))

[(00)]

[000]

(00)

[(000)]

(00)

[000]

((00))

[(00)]

(000)

[00]
((000))

[(000)]
((00))

[000]
(00]

[(000)]
(00]

[000]
((00)]

[(00)]
(000]

[00]
((000)]

[(000)]
((00)]

[000]

[00)

[(000)]

[00)

[000]

[(00))

[(00)]

[000)

[00]

[(000))

[(000)]

[(00))

[000]

[00]

[(000)]

[00]

[000]

[(00)]

[(00)]

[000]

[00]

[(000)]

[(000)]

[(00)]

5. (1.2, 2.2)-System

5.1. R*-System

(00)

(001)

((00))

(001)

(00)

((001))

((001))

(00)

(001)

((00))

((00))

((001))

(00)

(001]

((00))

(001]

(00)

((001])

((001))

(00]

(001)

((00])

((00))

((001])

(00)
[001)

((00))
[001)

(00)
[(001))

((001))
[00)

(001)
[(00))

((00))
[(001))

(00)
[001]

((00))
[001]

(00)
[(001)]

((001))
[00]

(001)
[(00)]

((00))
[(001)]

(00]
(001)

((00)]
(001)

(00]
((001))

((001)]
(00)

(001]
((00))

((00)]
((001))

(00]
(001]

((00)]
(001]

(00]
((001)]

((001)]
(00]

(001]
((00)]

(00]
((001)]

(00]
[001)

((00)]
[001)

(00]
[(001))

((001)]
[00)

(001]
[(00))

((00)]
[(001))

(00]
[001]

((00)]
[001]

(00]

[(001)]

((001)]

[00]

(001]

[(00)]

((00)]

[(001)]

[00)

(001)

[(00))

(001)

[00)

((001))

[(001))

(00)

[001)
((00))

[(00))
((001))

[00)
(001]

[(00))
(001]

[00)
((001)]

[(001))
(00]

[001)
((00)]

[(00))
((001)]

[00)

[001)

[(00))

[001)

[00)

[(001))

[(001))

[00)

[001)

[(00))

[(00))

[(001))

[00)

[001]

[(00))

[001]

[00)

[(001)]

[(001))

[00]

[001)

[(00)]

[(00))

[(001)]

[00]

(001)

[(00)]

(001)

[00]

((001))

[(001)]

(00)

[001]
((00))

[(00)]
((001))

[00]
(001]

[(00)]
(001]

[00]
((001)]

[(001)]
(00]

[001]
((00)]

[(00)]
((001)]

[00]

[001)

[(00)]

[001)

[00]

[(001))

[(001)]

[00)

[001]

[(00))

[(00)]

[(001))

[00]

[001]

[(00)]

[001]

[00]

[(001)]

[(001)]

[00]

[001]

[(00)]

[(00)]

[(001)]

5.2. R*-System

(001)

(00)

((001))

(00)

(001)

((00))

((00))

(001)

(00)

((001))

((001))

((00))

(001)

(00]

((001))

(00]

(001)

((00])

((00))

(001]

(00)

((001])

((001))

((00])

(001)

[00]

((001))

[00]

(001)

[(00)]

((00))

[001]

(00)

[(001)]

((001))

[(00)]

(001)

[00]

((001))

[00]

(001)
[(00)]

((00))
[001]

(00)
[(001)]

((001))
[(00)]

(001]
(00)

((001)]
(00)

(001]
((00))

((00)]
(001)

(00]

((001))

((001])

((00))

(001]

(00]

((001])

(00]

(001]

((00])

((00])

(001]

(00]

((001])

(001]

((00])

(001]

[00)

((001])

[00)

(001]

[(00))

((00])

[001)

(00]

[(001))

((001])

[(00))

(001]

[00]

((001])

[00]

(001]

[(00)]

((00)]

[001]

(00]

[(001)]

((001)]

[(00)]

[001)

(00)

[(001))

(00)

[001)

((00))

[(00))

(001)

[00)

((001))

[(001))

((00))

[001)

(00]

[(001))

(00]

[001)

((00)]

[(00))

(001]

[00)

((001)]

[(001))

((00)]

[001)

[00)

[(001))

[00)

[001)

[(00))

[(00))

[001)

[00)

[(001))

[(001))

[(00))

[001)

[00]

[(001))

[00]

[001)

[(00)]

[(00))

[001]

[00)

[(001)]

[(001))

[(00)]

[001]

(00)

[(001)]

(00)

[001]

((00))

[(00)]

(001)

[00]
((001))

[(001)]
((00))

[001]
(00]

[(001)]
(00]

[001]
((00)]

[(00)]
(001]

[00]
((001)]

[(001)]
((00)]

[001]

[00)

[(001)]

[00)

[001]

[(00))

[(00)]

[001)

[00]

[(001))

[(001)]

[(00))

[001]

[00]

[(001)]

[00]

[001]

[(00)]

[(00)]

[001]

[00]

[(001)]

[(001)]

[(00)]

6. (1.2, 2.3)-System

6.1. R-System

(00)

(012)

((00))

(012)

(00)

((012))

((012))

(00)

(012)

((00))

((00))

((012))

(00)

(012]

((00))

(012]

(00)

((012])

((012))

(00]

(012)

((00])

((00))

((012])

(00)
[012)

((00))
[012)

(00)
[(012))

((012))
[00)

(012)
[(00))

((00))
[(012))

(00)
[012]

((00))
[012]

(00)
[(012)]

((012))
[00]

(012)
[(00)]

((00))
[(012)]

(00]
(012)

((00)]
(012)

(00]
((012))

((012)]
(00)

(012]
((00))

((00)]
((012))

(00]
(012]

((00)]
(012]

(00]
((012)]

((012)]
(00]

(012]
((00)]

(00]
((012)]

(00]
[012)

((00)]
[012)

(00]
[(012))

((012)]
[00)

(012]
[(00))

((00)]
[(012))

(00]
[012]

((00)]
[012]

(00]

[(012)]

((012)]

[00]

(012]

[(00)]

((00)]

[(012)]

[00)

(012)

[(00))

(012)

[00)

((012))

[(012))

(00)

[012)
((00))

[(00))
((012))

[00)
(012]

[(00))
(012]

[00)
((012])

[(012))
(00]

[012)
((00)]

[(00))
((012])

[00)

[012)

[(00))

[012)

[00)

[(012))

[(012))

[00)

[012)

[(00))

[(00))

[(012))

[00)

[012]

[(00))

[012]

[00)

[(012)]

[(012))

[00]

[012)

[(00)]

[(00))

[(012)]

[00]

(012)

[(00)]

(012)

[00]

((012))

[(012)]

(00)

[012]
((00))

[(00)]
((012))

[00]
(012]

[(00)]
(012]

[00]
((012])

[(012)]
(00]

[012]
((00)]

[(00)]
((012)]

[00]

[012)

[(00)]

[012)

[00]

[(012))

[(012)]

[00)

[012]

[(00))

[(00)]

[(012))

[00]

[012]

[(00)]

[012]

[00]

[(012)]

[(012)]

[00]

[012]

[(00)]

[(00)]

[(012)]

6.6.2. R*-System

(012)

(00)

((012))

(00)

(012)

((00))

((00))

(012)

(00)

((012))

((012))

((00))

(012)

(00]

((012))

(00]

(012)

((00)]

((00))

(012]

(00)

((012)]

((012))

((00)]

(012)

[00]

((012))

[00]

(012)

[(00)]

((00))

[012]

(00)

[(012)]

((012))

[(00)]

(012)

[00]

((012))

[00]

(012)
[(00)]

((00))
[012]

(00)
[(012)]

((012))
[(00)]

(012]
(00)

((012)]
(00)

(012]
((00))

((00)]
(012)

(00]

((012))

((012])

((00))

(012]

(00]

((012])

(00]

(012]

((00])

((00])

(012]

(00]

((012])

(012]

((00])

(012]

[00)

((012])

[00)

(012]

[(00))

((00])

[012)

(00]

[(012))

((012])

[(00))

(012]

[00]

((012])

[00]

(012]

[(00)]

((00)]

[012]

(00]

[(012)]

((012)]

[(00)]

[012)

(00)

[(012))

(00)

[012)

((00))

[(00))

(012)

[00)

((012))

[(012))

((00))

[012)

(00]

[(012))

(00]

[012)

((00)]

[(00))

(012]

[00)

((012)]

[(012))

((00)]

[012)

[00)

[(012))

[00)

[012)

[(00))

[(00))

[012)

[00)

[(012))

[(012))

[(00))

[012)

[00]

[(012))

[00]

[012)

[(00)]

[(00))

[012]

[00)

[(012)]

[(012))

[(00)]

[012]

(00)

[(012)]

(00)

[012]

((00))

[(00)]

(012)

[00]
((012))

[(012)]
((00))

[012]
(00]

[(012)]
(00]

[012]
((00)]

[(00)]
(012]

[00]
((012)]

[(012)]
((00)]

[012]

[00)

[(012)]

[00)

[012]

[(00))

[(00)]

[012)

[00]

[(012))

[(012)]

[(00))

[012]

[00]

[(012)]

[00]

[012]

[(00)]

[(00)]

[012]

[00]

[(012)]

[(012)]

[(00)]

6.7. (1.3, 2.1)-System

6.7.1. R-System

(01)

(000)

((01))

(000)

(01)

((000))

((000))

(01)

(000)

((01))

((01))

((000))

(01)

(000]

((01))

(000]

(01)

((000)]

((000))

(01]

(000)

((01)]

((01))

((000)]

(01)
[000)

((01))
[000)

(01)
[(000))

((000))
[01)

(000)
[(01))

((01))
[(000))

(01)
[000]

((01))
[000]

(01)
[(000)]

((000))
[01]

(000)
[(01)]

((01))
[(000)]

(01]
(000)

((01)]
(000)

(01]
((000))

((000)]
(01)

(000]

((01))

((01])

((000))

(01]

(000]

((01])

(000]

(01]

((000])

((000])

(01]

(000]

((01])

(01]

((000])

(01]
[000)

((01)]
[000)

(01]
[(000))

((000)]
[01)

(000]
[(01))

((01)]
[(000))

(01]
[000]

((01)]
[000]

(01]

[(000)]

((000)]

[01]

(000]

[(01)]

((01)]

[(000)]

[01)

(000)

[(01))

(000)

[01)

((000))

[(000))

(01)

[000)
((01))

[(01))
((000))

[01)
(000]

[(01))
(000]

[01)
((000)]

[(000))
(01]

[000)
((01)]

[(01))
((000)]

[01)

[000)

[(01))

[000)

[01)

[(000))

[(000))

[01)

[000)

[(01))

[(01))

[(000))

[01)

[000]

[(01))

[000]

[01)

[(000)]

[(000))

[01]

[000)

[(01)]

[(01))

[(000)]

[01]

(000)

[(01)]

(000)

[01]

((000))

[(000)]

(01)

[000]
((01))

[(01)]
((000))

[01]
(000]

[(01)]
(000]

[01]
((000)]

[(000)]
(01]

[000]
((01)]

[(01)]
((000)]

[01]

[000)

[(01)]

[000)

[01]

[(000))

[(000)]

[01)

[000]

[(01))

[(01)]

[(000))

[01]

[000]

[(01)]

[000]

[01]

[(000)]

[(000)]

[01]

[000]

[(01)]

[(01)]

[(000)]

6.7.2. R*-System

(000)

(01)

((000))

(01)

(000)

((01))

((01))

(000)

(01)

((000))

((000))

((01))

(000)

(01]

((000))

(01]

(000)

((01])

((01))

(000]

(01)

((000])

((000))

((01])

(000)

[01]

((000))

[01]

(000)

[(01)]

((01))

[000]

(01)

[(000)]

((000))

[(01)]

(000)

[01]

((000))

[01]

(000)

[(01)]

((01))

[000]

(01)

[(000)]

((000))

[(01)]

(000]

(01)

((000)]

(01)

(000]

((01))

((01)]

(000)

(01]

((000))

((000)]

((01))

(000]

(01]

((000)]

(01]

(000]

((01)]

((01)]

(000]

(01]

((000)]

(000]

((01)]

(000]

[01)

((000)]

[01)

(000]

[(01))

((01)]

[000)

(01]

[(000))

((000)]

[(01))

(000]

[01]

((000)]

[01]

(000]

[(01)]

((01)]

[000]

(01]

[(000)]

((000)]

[(01)]

[000)

(01)

[(000))

(01)

[000)

((01))

[(01))

(000)

[01)
((000))

[(000))
((01))

[000)
(01]

[(000))
(01]

[000)
((01])

[(01))
(000]

[01)
((000])

[(000))
((01])

[000)

[01)

[(000))

[01)

[000)

[(01))

[(01))

[000)

[01)

[(000))

[(000))

[(01))

[000)

[01]

[(000))

[01]

[000)

[(01)]

[(01))

[000]

[01)

[(000)]

[(000))

[(01)]

[000]

(01)

[(000)]

(01)

[000]

((01))

[(01)]

(000)

[01]
((000))

[(000)]
(01)

[000]
(01)

[(000)]
(01)

[000]
(01)

[(01)]
(000)

[01]
((000))

[(000)]
(01)

[000]

[01)

[(000)]

[01)

[000]

[(01))

[(01)]

[000)

[01]

[(000))

[(000)]

[(01))

[000]

[01]

[(000)]

[01]

[000]

[(01)]

[(01)]

[000]

[01]

[(000)]

[(000)]

[(01)]

6.8. (1.3, 2.2)-System

6.8.1. R-System

(01)

(001)

((01))

(001)

(01)

((001))

((001))

(01)

(001)

((01))

((01))

((001))

(01)

(001]

((01))

(001]

(01)

((001])

((001))

(01]

(001)

((01])

((01))

((001])

(01)
[001)

((01))
[001)

(01)
[(001))

((001))
[01)

(001)
[(01))

((01))
[(001))

(01)
[001]

((01))
[001]

(01)
[(001)]

((001))
[01]

(001)
[(01)]

((01))
[(001)]

(01]
(001)

((01)]
(001)

(01]
((001))

((001)]
(01)

(001]
((01))

((01)]
((001))

(01]
(001]

((01)]
(001]

(01]
((001)]

((001)]
(01]

(001]
((01)]

(01]
((001)]

(01]
[001)

((01)]
[001)

(01]
[(001))

((001)]
[01)

(001]
[(01))

((01)]
[(001))

(01]
[001]

((01)]
[001]

(01]

[(001)]

((001)]

[01]

(001]

[(01)]

((01)]

[(001)]

[01)

(001)

[(01))

(001)

[01)

((001))

[(001))

(01)

[001)
((01))

[(01))
((001))

[01)
(001]

[(01))
(001]

[01)
((001)]

[(001))
(01]

[001)
((01)]

[(01))
((001)]

[01)

[001)

[(01))

[001)

[01)

[(001))

[(001))

[01)

[001)

[(01))

[(01))

[(001))

[01)

[001]

[(01))

[001]

[01)

[(001)]

[(001))

[01]

[001)

[(01)]

[(01))

[(001)]

[01]

(001)

[(01)]

(001)

[01]

((001))

[(001)]

(01)

[001]
(01)

[(01)]
(001)

[01]
(001)

[(01)]
(001)

[01]
(001)

[(001)]
(01)

[001]
(01)

[(01)]
(001)

[01]

[001)

[(01)]

[001)

[01]

[(001))

[(001)]

[01)

[001]

[(01))

[(01)]

[(001))

[01]

[001]

[(01)]

[001]

[01]

[(001)]

[(001)]

[01]

[001]

[(01)]

[(01)]

[(001)]

6.8.2. R*-System

(001)

(01)

((001))

(01)

(001)

((01))

((01))

(001)

(01)

((001))

((001))

((01))

(001)

(01]

((001))

(01]

(001)

((01])

((01))

(001]

(01)

((001])

((001))

((01])

(001)

[01]

((001))

[01]

(001)

[(01)]

((01))

[001]

(01)

[(001)]

((001))

[(01)]

(001)

[01]

((001))

[01]

(001)
[(01)]

((01))
[001]

(01)
[(001)]

((001))
[(01)]

(001]
(01)

((001)]
(01)

(001]
((01))

((01)]
(001)

(01]

((001))

((001])

((01))

(001]

(01]

((001])

(01]

(001]

((01])

((01])

(001]

(01]

((001])

(001]

((01])

(001]

[01)

((001])

[01)

(001]

[(01))

((01])

[001)

(01]

[(001))

((001])

[(01))

(001]

[01]

((001])

[01]

(001]

[(01)]

((01)]

[001]

(01]

[(001)]

((001)]

[(01)]

[001)

(01)

[(001))

(01)

[001)

((01))

[(01))

(001)

[01)
((001))

[(001))
(01))

[001)
(01]

[(001))
(01]

[001)
((01)]

[(01))
(001]

[01)
((001)]

[(001))
(01)]

[001)

[01)

[(001))

[01)

[001)

[(01))

[(01))

[001)

[01)

[(001))

[(001))

[(01))

[001)

[01]

[(001))

[01]

[001)

[(01)]

[(01))

[001]

[01)

[(001)]

[(001))

[(01)]

[001]

(01)

[(001)]

(01)

[001]

((01))

[(01)]

(001)

[01]
((001))

[(001)]
(01)

[001]
(01]

[(001)]
(01]

[001]
(01)]

[(01)]
(001]

[01]
((001)]

[(001)]
(01)]

[001]

[01)

[(001)]

[01)

[001]

[(01))

[(01)]

[001)

[01]

[(001))

[(001)]

[(01))

[001]

[01]

[(001)]

[01]

[001]

[(01)]

[(01)]

[001]

[01]

[(001)]

[(001)]

[(01)]

6.9. (1.3, 2.3)-System

6.9.1. R-System

(01)

(012)

((01))

(012)

(01)

((012))

((012))

(01)

(012)

((01))

((01))

((012))

(01)

(012]

((01))

(012]

(01)

((012])

((012))

(01]

(012)

((01])

((01))

((012])

(01)
[012)

((01))
[012)

(01)
[(012))

((012))
[01)

(012)
[(01))

((01))
[(012))

(01)
[012]

((01))
[012]

(01)
[(012)]

((012))
[01]

(012)
[(01)]

((01))
[(012)]

(01]
(012)

((01)]
(012)

(01]
((012))

((012)]
(01)

(012]
((01))

((01)]
((012))

(01]
(012]

((01)]
(012]

(01]
((012)]

((012)]
(01]

(012]
((01)]

(01]
((012)]

(01]

[012)

((01])

[012)

(01]

[(012))

((012])

[01)

(012]

[(01))

((01])

[(012))

(01]

[012]

((01])

[012]

(01]

[(012)]

((012)]

[01]

(012]

[(01)]

((01)]

[(012)]

[01)

(012)

[(01))

(012)

[01)

((012))

[(012))

(01)

[012)
((01))

[(01))
((012))

[01)
(012]

[(01))
(012]

[01)
((012)]

[(012))
(01]

[012)
((01)]

[(01))
((012)]

[01)

[012)

[(01))

[012)

[01)

[(012))

[(012))

[01)

[012)

[(01))

[(01))

[(012))

[01)

[012]

[(01))

[012]

[01)

[(012)]

[(012))

[01]

[012)

[(01)]

[(01))

[(012)]

[01]

(012)

[(01)]

(012)

[01]

((012))

[(012)]

(01)

[012]
((01))

[(01)]
((012))

[01]
(012]

[(01)]
(012]

[01]
((012)]

[(012)]
(01]

[012]
((01)]

[(01)]
((012)]

[01]

[012)

[(01)]

[012)

[01]

[(012))

[(012)]

[01)

[012]

[(01))

[(01)]

[(012))

[01]

[012]

[(01)]

[012]

[01]

[(012)]

[(012)]

[01]

[012]

[(01)]

[(01)]

[(012)]

6.9.2. R*-System

(012)

(01)

((012))

(01)

(012)

((01))

((01))

(012)

(01)

((012))

((012))

((01))

(012)

(01]

((012))

(01]

(012)

((01])

((01))

(012]

(01)

((012])

((012))

((01])

(012)

[01]

((012))

[01]

(012)

[(01))

((01))

[012)

(01)

[(012))

((012))

[(01))

(012)

[01]

((012))

[01]

(012)
[(01)]

((01))
[012]

(01)
[(012)]

((012))
[(01)]

(012]
(01)

((012)]
(01)

(012]
((01))

((01)]
(012)

(01]

((012))

((012])

((01))

(012]

(01]

((012])

(01]

(012]

((01])

((01])

(012]

(01]

((012])

(012]

((01])

(012]

[01)

((012])

[01)

(012]

[(01))

((01])

[012)

(01]

[(012))

((012])

[(01))

(012]

[01]

((012])

[01]

(012]

[(01)]

((01)]

[012]

(01]

[(012)]

((012)]

[(01)]

[012)

(01)

[(012))

(01)

[012)

((01))

[(01))

(012)

[01)

((012))

[(012))

((01))

[012)

(01]

[(012))

(01]

[012)

((01])

[(01))

(012]

[01)

((012])

[(012))

((01])

[012)

[01)

[(012))

[01)

[012)

[(01))

[(01))

[012)

[01)

[(012))

[(012))

[(01))

[012)

[01]

[(012))

[01]

[012)

[(01)]

[(01))

[012]

[01)

[(012)]

[(012))

[(01)]

[012]

(01)

[(012)]

(01)

[012]

((01))

[(01)]

(012)

[01]

((012))

[(012)]

((01))

[012]

(01]

[(012)]

(01]

[012]

((01)]

[(01)]

(012]

[01]

((012)]

[(012)]

((01)]

[012]

[01)

[(012)]

[01)

[012]

[(01))

[(01)]

[012)

[01]

[(012))

[(012)]

[(01))

[012]

[01]

[(012)]

[01]

[012]

[(01)]

[(01)]

[012]

[01]

[(012)]

[(012)]

[(01)]

V. Voraussetzungen einer polykontexturalen Semiotik II

Wie wir in den vorangehenden Kapiteln gesehen haben, erfüllt eine 3-wertige dyadisch-trichotomische Semiotik nur die Proto- und die Deutero-Äquivalenz. In den folgenden Kapiteln zeigen wir, daß erst eine 4-wertige dyadisch-trichotomische Semiotik die Trito-Äquivalenz und damit das vollständige polykontexturale System einer qualitativen Mathematik erfüllt.

1. Proto-, Deutero- und Tritoäquivalenz für $K = 4$

	$\left(\begin{array}{c} 0000 \\ 0001 \\ \text{—} \\ \text{—} \\ 0012 \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ 0123 \end{array} \right)$	$\left(\begin{array}{c} 0000 \\ 0001 \\ \text{—} \\ 0011 \\ 0012 \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ \text{—} \\ 0123 \end{array} \right)$	$\left(\begin{array}{c} 0000 \\ 0001 \\ 0010 \\ 0011 \\ 0012 \\ 0100 \\ 0101 \\ 0102 \\ 0110 \\ 0111 \\ 0112 \\ 0120 \\ 0121 \\ 0122 \\ 0123 \end{array} \right)$
$K = 4$			

Wir gehen also aus von der triadisch-tetradischen Zeichenrelation

$$Z^{2,4} = ((w.x), (y.z))$$

mit

$w, y \in (1, 2)$

und

$x, z \in (0, 1, 2, 3)$.

Wie man sieht, ist

$Z^{2,3} \subset Z^{2,4}$.

Entsprechend ist die Matrix von $Z^{2,4}$ eine Teilmatrix der Matrix von $Z^{2,3}$

	.0	.1	.2	.3
1.	1.0	1.1	1.2	1.3
2.	2.0	2.1	2.2	2.3

Damit ergeben sich $16 \text{ mal } 4 = 64$ topologische dyadisch-tetratomische semiotische Relationen

(1.0, 2.0)	(1.0, 2.0]	[1.0, 2.0)	[1.0, 2.0]
(1.0, 2.1)	(1.0, 2.1]	[1.0, 2.1)	[1.0, 2.1]
(1.0, 2.2)	(1.0, 2.2]	[1.0, 2.2)	[1.0, 2.2]
(1.0, 2.3)	(1.1, 2.3]	[1.1, 2.3)	[1.1, 2.3]
(1.1, 2.0)	(1.1, 2.0]	[1.1, 2.0)	[1.1, 2.0]
(1.1, 2.1)	(1.1, 2.1]	[1.1, 2.1)	[1.1, 2.1]
(1.1, 2.2)	(1.1, 2.2]	[1.1, 2.2)	[1.1, 2.2]
(1.1, 2.3)	(1.1, 2.3]	[1.1, 2.3)	[1.1, 2.3]
(1.2, 2.0)	(1.2, 2.0]	[1.2, 2.0)	[1.2, 2.0]
(1.2, 2.1)	(1.2, 2.1]	[1.2, 2.1)	[1.2, 2.1]
(1.2, 2.2)	(1.2, 2.2]	[1.2, 2.2)	[1.2, 2.2]
(1.2, 2.3)	(1.2, 2.3]	[1.2, 2.3)	[1.2, 2.3]
(1.3, 2.0)	(1.3, 2.0]	[1.3, 2.0)	[1.3, 2.0]
(1.3, 2.1)	(1.3, 2.1]	[1.3, 2.1)	[1.3, 2.1]
(1.3, 2.2)	(1.3, 2.2]	[1.3, 2.2)	[1.3, 2.2]

(1.3, 2.3) (1.3, 2.3] [1.3, 2.3) [1.3, 2.3].

Da sich an den 6 Einbettungstypen durch die erhöhte semiotische Wertigkeit natürlich nichts ändert, bekommen wir 6 mal $64 = 384$ durch E differenzierbare topologische semiotische Relationen

(1.0, 2.0)	((1.0), 2.0)	(1.0, (2.0))	((2.0), 1.0)	(2.0, (1.0))	((1.0, 2.0))
(1.0, 2.0]	((1.0), 2.0]	(1.0, (2.0)]	((2.0), 1.0]	(2.0, (1.0)]	((1.0, 2.0])
[1.0, 2.0)	[(1.0), 2.0)	[1.0, (2.0))	[(2.0), 1.0)	[2.0, (1.0))	[(1.0, 2.0))
[1.0, 2.0]	[(1.0), 2.0]	[1.0, (2.0)]	[(2.0), 1.0]	[2.0, (1.0)]	[(1.0, 2.0)]
(1.0, 2.1)	((1.0), 2.1)	(1.0, (2.1))	((2.1), 1.0)	(2.1, (1.0))	((2.0, 1.1))
(1.0, 2.1]	((1.0), 2.1]	(1.0, (2.1)]	((2.1), 1.0]	(2.1, (1.0)]	((1.0, 2.1])
[1.0, 2.1)	[(1.0), 2.1)	[1.0, (2.1))	[(2.1), 1.0)	[2.1, (1.0))	[(1.0, 2.1))
[1.0, 2.1]	[(1.0), 2.1]	[1.0, (2.1)]	[(2.1), 1.0]	[2.1, (1.0)]	[(1.0, 2.1)]
(1.0, 2.2)	((1.0), 2.2)	(1.0, (2.2))	((2.2), 1.0)	(2.2, (1.0))	((1.0, 2.2))
(1.0, 2.2]	((1.0), 2.2]	(1.0, (2.2)]	((2.2), 1.0]	(2.2, (1.0)]	((1.0, 2.2])
[1.1, 2.2)	[(1.0), 2.2)	[1.0, (2.2))	[(2.2), 1.0)	[2.2, (1.0))	[(1.0, 2.2))
[1.0, 2.2]	[(1.0), 2.2]	[1.0, (2.2)]	[(2.2), 1.0]	[2.2, (1.0)]	[(1.0, 2.2)]
(1.0, 2.3)	((1.0), 2.3)	(1.0, (2.3))	((2.3), 1.0)	(2.3, (1.0))	((1.0, 2.3))
(1.0, 2.3]	((1.0), 2.3]	(1.0, (2.3)]	((2.3), 1.0]	(2.3, (1.0)]	((1.0, 2.3])
[1.0, 2.3)	[(1.0), 2.3)	[1.0, (2.3))	[(2.3), 1.0)	[2.3, (1.0))	[(1.0, 2.3))
[1.0, 2.3]	[(1.0), 2.3]	[1.0, (2.3)]	[(2.3), 1.0]	[2.3, (1.0)]	[(1.0, 2.3)]
(1.1, 2.0)	((1.1), 2.0)	(1.1, (2.0))	((2.0), 1.1)	(2.0, (1.1))	((1.1, 2.0))
(1.1, 2.0]	((1.1), 2.0]	(1.1, (2.0)]	((2.0), 1.1]	(2.0, (1.1)]	((1.1, 2.0])
[1.1, 2.0)	[(1.1), 2.0)	[1.1, (2.0))	[(2.0), 1.1)	[2.0, (1.1))	[(1.1, 2.0))
[1.1, 2.0]	[(1.1), 2.0]	[1.1, (2.0)]	[(2.0), 1.1]	[2.0, (1.1)]	[(1.1, 2.0)]
(1.1, 2.1)	((1.1), 2.1)	(1.1, (2.1))	((2.1), 1.1)	(2.1, (1.1))	((2.1, 1.1))
(1.1, 2.1]	((1.1), 2.1]	(1.1, (2.1)]	((2.1), 1.1]	(2.1, (1.1)]	((1.1, 2.1])

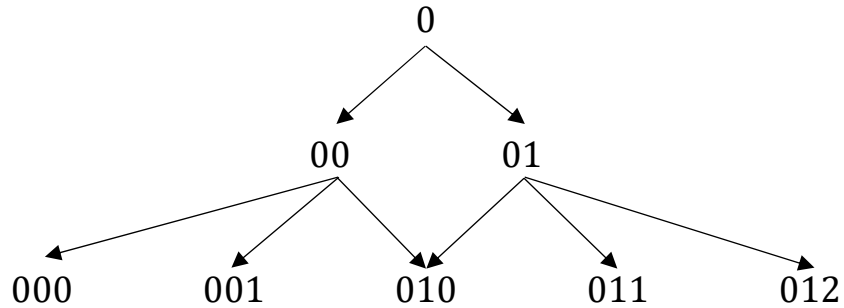
[1.1, 2.1)	[(1.1), 2.1)	[1.1, (2.1))	[(2.1), 1.1)	[2.1, (1.1))	[(1.1, 2.1))
[1.1, 2.1]	[(1.1), 2.1]	[1.1, (2.1)]	[(2.1), 1.1]	[2.1, (1.1)]	[(1.1, 2.1)]
(1.1, 2.2)	((1.1), 2.2)	(1.1, (2.2))	((2.2), 1.1)	(2.2, (1.1))	((1.1, 2.2))
(1.1, 2.2]	((1.1), 2.2]	(1.1, (2.2])	((2.2), 1.1]	(2.2, (1.1])	((1.1, 2.2])
[1.1, 2.2)	[(1.1), 2.2)	[1.1, (2.2))	[(2.2), 1.1)	[2.2, (1.1))	[(1.1, 2.2))
[1.1, 2.2]	[(1.1), 2.2]	[1.1, (2.2)]	[(2.2), 1.1]	[2.2, (1.1)]	[(1.1, 2.2)]
(1.1, 2.3)	((1.1), 2.3)	(1.1, (2.3))	((2.3), 1.1)	(2.3, (1.1))	((1.1, 2.3))
(1.1, 2.3]	((1.1), 2.3]	(1.1, (2.3])	((2.3), 1.1]	(2.3, (1.1])	((1.1, 2.3])
[1.1, 2.3)	[(1.1), 2.3)	[1.1, (2.3))	[(2.3), 1.1)	[2.3, (1.1))	[(1.1, 2.3))
[1.1, 2.3]	[(1.1), 2.3]	[1.1, (2.3)]	[(2.3), 1.1]	[2.3, (1.1)]	[(1.1, 2.3)]
(1.2, 2.0)	((1.2), 2.0)	(1.2, (2.0))	((2.0), 1.2)	(2.0, (1.2))	((1.2, 2.0))
(1.2, 2.0]	((1.2), 2.0]	(1.2, (2.0])	((2.0), 1.2]	(2.0, (1.2])	((1.2, 2.0])
[1.2, 2.0)	[(1.2), 2.0)	[1.2, (2.0))	[(2.0), 1.2)	[2.0, (1.2))	[(1.2, 2.0))
[1.2, 2.0]	[(1.2), 2.0]	[1.2, (2.0)]	[(2.0), 1.2]	[2.0, (1.2)]	[(1.2, 2.0)]
(1.2, 2.1)	((1.2), 2.1)	(1.2, (2.1))	((2.1), 1.2)	(2.1, (1.2))	((1.2, 2.1))
(1.2, 2.1]	((1.2), 2.1]	(1.2, (2.1])	((2.1), 1.2]	(2.1, (1.2])	((1.2, 2.1])
[1.2, 2.1)	[(1.2), 2.1)	[1.2, (2.1))	[(2.1), 1.2)	[2.1, (1.2))	[(1.2, 2.1))
[1.2, 2.1]	[(1.2), 2.1]	[1.2, (2.1)]	[(2.1), 1.2]	[2.1, (1.2)]	[(1.2, 2.1)]
(1.2, 2.2)	((1.2), 2.2)	(1.2, (2.2))	((2.2), 1.2)	(2.2, (1.2))	((1.2, 2.2))
(1.2, 2.2]	((1.2), 2.2]	(1.2, (2.2])	((1.2), 2.2]	(1.2, (2.2])	((1.2, 2.2])
[1.2, 2.2)	[(1.2), 2.2)	[1.2, (2.2))	[(2.2), 1.2)	[2.2, (1.2))	[(1.2, 2.2))
[1.2, 2.2]	[(1.2), 2.2]	[1.2, (2.2)]	[(2.2), 1.2]	[2.2, (1.2)]	[(1.2, 2.2)]
(1.2, 2.3)	((1.2), 2.3)	(1.2, (2.3))	((2.3), 1.2)	(2.3, (1.2))	((1.2, 2.3))
(1.2, 2.3]	((1.2), 2.3]	(1.2, (2.3])	((2.3), 1.2]	(2.3, (1.2])	((1.2, 2.3])
[1.2, 2.3)	[(1.2), 2.3)	[1.2, (2.3))	[(2.3), 1.2)	[2.3, (1.2))	[(1.2, 2.3))

[1.2, 2.3]	[(1.2), 2.3]	[1.2, (2.3)]	[(2.3), 1.2]	[2.3, (1.2)]	[(1.2, 2.3)]
(1.3, 2.0)	((1.3), 2.0)	(1.3, (2.0))	((2.1), 1.3)	(2.0, (1.3))	((1.3, 2.0))
(1.3, 2.0]	((1.3), 2.0]	(1.3, (2.0])	((2.0), 1.3]	(2.0, (1.3])	((1.3, 2.0])
[1.3, 2.0)	[(1.3), 2.0)	[1.3, (2.0))	[(2.0), 1.3)	[2.0, (1.3))	[(1.3, 2.0))
[1.3, 2.0]	[(1.3), 2.0]	[1.3, (2.0)]	[(2.0), 1.3]	[2.0, (1.3)]	[(1.3, 2.0)]
(1.3, 2.1)	((1.3), 2.1)	(1.3, (2.1))	((2.1), 1.3)	(2.1, (1.3))	((1.3, 2.1))
(1.3, 2.1]	((1.3), 2.1]	(1.3, (2.1])	((2.1), 1.3]	(2.1, (1.3])	((1.3, 2.1])
[1.3, 2.1)	[(1.3), 2.1)	[1.3, (2.1))	[(2.1), 1.3)	[2.1, (1.3))	[(1.3, 2.1))
[1.3, 2.1]	[(1.3), 2.1]	[1.3, (2.1)]	[(2.1), 1.3]	[2.1, (1.3)]	[(1.3, 2.1)]
(1.3, 2.2)	((1.3), 2.2)	(1.3, (2.2))	((2.2), 1.3)	(2.2, (1.3))	((1.3, 2.2))
(1.3, 2.2]	((1.3), 2.2]	(1.3, (2.2])	((2.2), 1.3]	(2.2, (1.3])	((1.3, 2.2])
[1.3, 2.2)	[(1.3), 2.2)	[1.3, (2.2))	[(2.2), 1.3)	[2.2, (1.3))	[(1.3, 2.2))
[1.3, 2.2]	[(1.3), 2.2]	[1.3, (2.2)]	[(2.2), 1.3]	[2.2, (1.3)]	[(1.3, 2.2)]
(1.3, 2.3)	((1.3), 2.3)	(1.3, (2.3))	((2.3), 1.3)	(2.3, (1.3))	((1.3, 2.3))
(1.3, 2.3]	((1.3), 2.3]	(1.3, (2.3])	((2.3), 1.3]	(2.3, (1.3])	((1.3, 2.3])
[1.3, 2.3)	[(1.3), 2.3)	[1.3, (2.3))	[(2.3), 1.3)	[2.3, (1.3))	[(1.3, 2.3))
[1.3, 2.3]	[(1.3), 2.3]	[1.3, (2.3)]	[(2.3), 1.3]	[2.3, (1.3)]	[(1.3, 2.3)].

Als nächstes bilden wir die 8 Subrelationen der Matrix von $ZR^{2,4}$

	.0	.1	.2	.3
1.	1.0	1.1	1.2	1.3
2.	2.0	2.1	2.2	2.3

für $K = 3$ zunächst auf das Vorgänger-Nachfolger-Stemma



und hernach in bijektiver Kenose auf die die Tritozahlen ab

- (1.0) \leftrightarrow 0
- (1.1) \leftrightarrow 00
- (1.2) \leftrightarrow 01
- (1.3) \leftrightarrow 000
- (2.0) \leftrightarrow 001
- (2.1) \leftrightarrow 010
- (2.2) \leftrightarrow 011
- (2.3) \leftrightarrow 012.

Allerdings stellt sich hier ein Problem, denn Proto- und Deuteroäquivalenz einerseits und Tritoäquivalenz andererseits der bijektiven Kenose sind nicht miteinander kompatibel:

Trito-Kenose	Proto- = Deutero-Kenose
(1.0) \leftrightarrow 0	—
(1.1) \leftrightarrow 00	(1.1) \leftrightarrow 0
(1.2) \leftrightarrow 01	(1.2) \leftrightarrow 00
(1.3) \leftrightarrow 000	(1.3) \leftrightarrow 01
(2.0) \leftrightarrow 001	—
(2.1) \leftrightarrow 010	(2.1) \leftrightarrow 000
(2.2) \leftrightarrow 011	(2.2) \leftrightarrow 001
(2.3) \leftrightarrow 012	(2.3) \leftrightarrow 012.

VI. Kenogrammatisches System der tritoäquivalenten Semiotik

1. (1.0, 2.0)-System

1.1. R-System

(o)(oo□)	((o))(oo□)	(o)((oo□))	((oo□))(o)	(oo□)((o))	((o))((oo□))
(o)(oo□]	((o))(oo□]	(o)((oo□])	((oo□))(o]	(oo□)((o])	((o))((oo□])
(o)[oo□)	((o))[oo□)	(o)[(oo□)	((oo□))[o)	(oo□)[(o))	((o))[oo□)
(o)[oo□]	((o))[oo□]	(o)[(oo□)]	((oo□))[o]	(oo□)[(o)]	((o))[oo□]
(o](oo□)	((o)](oo□)	(o]](oo□))	((oo□)](o)	(oo□]](o))	((o)](oo□))
(o](oo□]	((o)](oo□]	(o]](oo□])	((oo□)](o]	(oo□]](o])	((o)](oo□])
(o][oo□)	((o)][oo□)	(o)][(oo□)	((oo□)][o)	(oo□)][(o))	((o)][oo□)
(o][oo□]	((o)][oo□]	(o)][(oo□)]	((oo□)][o]	(oo□)][(o)]	((o)][oo□]
[o)(oo□)	[(o))(oo□)	[o)((oo□))	[(oo□))(o)	[oo□)((o))	[(o))((oo□))
[o)(oo□]	[(o))(oo□]	[o)((oo□])	[(oo□))(o]	[oo□)((o])	[(o))((oo□])
[o][oo□)	[(o)][oo□)	[o][oo□)	[(oo□)][o)	[oo□][oo□)	[(o)][oo□)
[o][oo□]	[(o)][oo□]	[o][oo□]	[(oo□)][o]	[oo□][oo□]	[(o)][oo□]
[o](oo□)	[(o)](oo□)	[o]](oo□))	[(oo□)](o)	[oo□]](o))	[(o)](oo□))
[o](oo□]	[(o)](oo□]	[o]](oo□])	[(oo□)](o]	[oo□]](o])	[(o)](oo□])
[o][oo□)	[(o)][oo□)	[o]][oo□)	[(oo□)][o)	[oo□]][oo□)	[(o)][oo□)
[o][oo□]	[(o)][oo□]	[o]][oo□]	[(oo□)][o]	[oo□]][oo□]	[(o)][oo□]

1.2. R*-System

$(\square\square)(\circ)$	$((\square\square))(\circ)$	$(\square\square)((\circ))$	$((\circ))(\square\square)$	$(\circ)((\square\square))$	$((\square\square))((\circ))$
$(\square\square)(\circ]$	$((\square\square))(\circ]$	$(\square\square)((\circ])$	$((\circ))(\square\square]$	$(\circ)((\square\square])$	$((\square\square))((\circ])$
$(\square\square)[\circ)$	$((\square\square))[\circ)$	$(\square\square)[(\circ))$	$((\circ))[(\square\square)$	$(\circ)[(\square\square))$	$((\square\square))[(\circ))$
$(\square\square)[\circ]$	$((\square\square))[\circ]$	$(\square\square)[(\circ)]$	$((\circ))[(\square\square]$	$(\circ)[(\square\square)]$	$((\square\square))[(\circ)]$
$(\square\square]\circ)$	$((\square\square)]\circ)$	$(\square\square]((\circ))$	$((\circ)](\square\square)$	$\circ]((\square\square))$	$((\square\square)]((\circ))$
$(\square\square]\circ]$	$((\square\square)]\circ]$	$(\square\square]((\circ])$	$((\circ)](\square\square]$	$\circ]((\square\square])$	$(\square\square]((\circ])$
$(\square\square] \circ)$	$((\square\square]) \circ)$	$(\square\square] [(\circ))$	$((\circ)] [(\square\square)$	$\circ] [(\square\square))$	$((\square\square]) [(\circ))$
$(\square\square] \circ]$	$((\square\square]) \circ]$	$(\square\square] [(\circ)]$	$((\circ)] [(\square\square]$	$\circ] [(\square\square)]$	$((\square\square]) [(\circ)]$
$[\square\square)(\circ)$	$[(\square\square))(\circ)$	$[\square\square)((\circ))$	$[(\circ))(\square\square)$	$[\circ]((\square\square))$	$[(\square\square))((\circ))$
$[\square\square)(\circ]$	$[(\square\square))(\circ]$	$[\square\square)((\circ])$	$[(\circ))(\square\square]$	$[\circ]((\square\square])$	$[(\square\square))((\circ])$
$[\square\square)[\circ)$	$[(\square\square))[\circ)$	$[\square\square)[(\circ))$	$[(\circ))[(\square\square)$	$[\circ][(\square\square))$	$[(\square\square))[(\circ))$
$[\square\square)[\circ]$	$[(\square\square))[\circ]$	$[\square\square)[(\circ)]$	$[(\circ))[(\square\square]$	$[\circ][(\square\square)]$	$[(\square\square))[(\circ)]$
$[\square\square]\circ)$	$[(\square\square)]\circ)$	$[\square\square]((\circ))$	$[(\circ)](\square\square)$	$[\circ]((\square\square))$	$[(\square\square)]((\circ))$
$[\square\square]\circ]$	$[(\square\square)]\circ]$	$[\square\square]((\circ])$	$[(\circ)](\square\square]$	$[\circ]((\square\square])$	$[(\square\square)]((\circ])$
$[\square\square] \circ)$	$[(\square\square)] \circ)$	$[\square\square] [(\circ))$	$[(\circ)] [(\square\square)$	$[\circ] [(\square\square))$	$[(\square\square)] [(\circ))$
$[\square\square] \circ]$	$[(\square\square)] \circ]$	$[\square\square] [(\circ)]$	$[(\circ)] [(\square\square]$	$[\circ] [(\square\square)]$	$[(\square\square)] [(\circ)]$

2. (1.0, 2.1)-System

2.1. R-System

(o)(o□o) ((o))(o□o) (o)((o□o)) ((o□o))(o) (o□o)((o)) ((o))((o□o))

(o)(o□o] ((o))(o□o] (o)((o□o]) ((o□o))(o] (o□o)((o]) ((o))((o□o])

(o)[o□o) ((o))[o□o) (o)[(o□o)) ((o□o))[o) (o□o)[(o)) ((o))[o□o))

(o)[o□o] ((o))[o□o] (o)[(o□o)] ((o□o))[o] (o□o)[(o)] ((o))[o□o]

(o](o□o) ((o)](o□o) (o]((o□o)) ((o□o)](o) (o□o]((o)) ((o)]((o□o))

(o](o□o] ((o)](o□o] (o]((o□o]) ((o□o)](o] (o□o]((o]) (o]((o□o])

(o])[o□o) ((o])[o□o) (o])[o□o)) ((o□o])[o) (o□o])[o)) ((o])[o□o))

(o])[o□o] ((o])[o□o] (o])[o□o)] ((o□o])[o] (o□o])[o)] ((o])[o□o]

[o)(o□o) [(o))(o□o) [o)((o□o)) [(o□o))(o) [o□o)((o)) [(o))((o□o))

[o)(o□o] [(o))(o□o] [o)((o□o]) [(o□o))(o] [o□o)((o)] [(o))((o□o)]

[o][o□o) [(o))[o□o) [o][o□o)) [(o□o))[o) [o□o][o)) [(o))[o□o))

[o][o□o] [(o))[o□o] [o][o□o)] [(o□o))[o] [o□o][o)] [(o))[o□o]

[o](o□o) [(o)](o□o) [o]((o□o)) [(o□o)](o) [o□o]((o)) [(o)]((o□o))

[o](o□o] [(o)](o□o] [o]((o□o]) [(o□o)](o] [o□o]((o)] [(o)]((o□o)]

[o][o□o) [(o)][o□o) [o][o□o)) [(o□o)][o) [o□o][o)) [(o)][o□o))

[o][o□o] [(o)][o□o] [o][o□o)] [(o□o)][o] [o□o][o)] [(o)][o□o]

3. (1.0, 2.2)-System

3.1. R-System

(○)(□□□) ((○))(□□□) (○)((□□□)) ((□□□))(○) (□□□)((○)) ((○))((□□□))

(○)(□□□] ((○))(□□□] (○)((□□□]) ((□□□))(○] (□□□)((○]) ((○))((□□□])

(○)[□□□) ((○))[□□□) (○)[(□□□)) ((□□□))[○) (□□□)[(○)) ((○))[□□□))

(○)[□□□] ((○))[□□□] (○)[(□□□)] ((□□□))[○] (□□□)[(○)] ((○))[□□□]

(○](□□□) ((○)](□□□) (○]((□□□)) ((□□□)](○) (□□□]((○)) ((○)]((□□□))

(○](□□□] ((○)](□□□] (○]((□□□]) ((□□□)](○] (□□□]((○]) (○]((□□□])

(○][□□□) ((○)][□□□) (○][(□□□)) ((□□□)][○) (□□□][(○)) ((○)][□□□))

(○][□□□] ((○)][□□□] (○][(□□□)] ((□□□)][○] (□□□)[(○)] ((○)][□□□]

[○)(□□□) [(○))(□□□) [○)((□□□)) [(□□□))(○) [□□□)((○)) [(○))((□□□))

[○)(□□□] [(○))(□□□] [○)((□□□]) [(□□□))(○] [□□□)((○]) [(○))((□□□])

[○)[□□□) [(○))[□□□) [○)[(□□□)) [(□□□))[○) [□□□)[(○)) [(○))[□□□))

[○)[□□□] [(○))[□□□] [○)[(□□□)] [(□□□))[○] [□□□)[(○)] [(○))[□□□]

[○](□□□) [(○)](□□□) [○]((□□□)) [(□□□)](○) [□□□]((○)) [(○)]((□□□))

[○](□□□] [(○)](□□□] [○]((□□□]) [(□□□)](○] [□□□]((○]) [(○)]((□□□])

[○][□□□) [(○)][□□□) [○][(□□□)) [(□□□)][○) [□□□][(○)) [(○)][□□□))

[○][□□□] [(○)][□□□] [○][(□□□)] [(□□□)][○] [□□□][(○)] [(○)][□□□]

3.2.R*-System

$(\circ\Box\Box)(\circ)$	$((\circ\Box\Box))(\circ)$	$(\circ\Box\Box)((\circ))$	$((\circ))(\circ\Box\Box)$	$(\circ)((\circ\Box\Box))$	$((\circ\Box\Box))((\circ))$
$(\circ\Box\Box)(\circ]$	$((\circ\Box\Box))(\circ]$	$(\circ\Box\Box)((\circ])$	$((\circ))(\circ\Box\Box]$	$(\circ)((\circ\Box\Box])$	$((\circ\Box\Box))((\circ])$
$(\circ\Box\Box)[\circ)$	$((\circ\Box\Box))[\circ)$	$(\circ\Box\Box)[(\circ))$	$((\circ))[(\circ\Box\Box)$	$(\circ)[(\circ\Box\Box))$	$((\circ\Box\Box))[(\circ))$
$(\circ\Box\Box)[\circ]$	$((\circ\Box\Box))[\circ]$	$(\circ\Box\Box)[(\circ)]$	$((\circ))[(\circ\Box\Box]$	$(\circ)[(\circ\Box\Box)]$	$((\circ\Box\Box))[(\circ)]$
$(\circ\Box\Box](\circ)$	$((\circ\Box\Box])$	$(\circ\Box\Box]((\circ))$	$((\circ)](\circ\Box\Box)$	$(\circ)]((\circ\Box\Box))$	$((\circ\Box\Box])$
$(\circ\Box\Box](\circ]$	$((\circ\Box\Box])$	$(\circ\Box\Box]((\circ])$	$((\circ)](\circ\Box\Box]$	$(\circ)]((\circ\Box\Box])$	$(\circ\Box\Box]((\circ])$
$(\circ\Box\Box][\circ)$	$((\circ\Box\Box])$	$(\circ\Box\Box][(\circ))$	$((\circ)][(\circ\Box\Box)$	$(\circ)][(\circ\Box\Box))$	$((\circ\Box\Box])$
$(\circ\Box\Box][\circ]$	$((\circ\Box\Box])$	$(\circ\Box\Box][(\circ)]$	$((\circ)][(\circ\Box\Box]$	$(\circ)][(\circ\Box\Box)]$	$((\circ\Box\Box])$
$[\circ\Box\Box)(\circ)$	$[(\circ\Box\Box))(\circ)$	$[\circ\Box\Box)((\circ))$	$[(\circ))(\circ\Box\Box)$	$[\circ)((\circ\Box\Box))$	$[(\circ\Box\Box))((\circ))$
$[\circ\Box\Box)(\circ]$	$[(\circ\Box\Box))(\circ]$	$[\circ\Box\Box)((\circ])$	$[(\circ))(\circ\Box\Box]$	$[\circ)((\circ\Box\Box])$	$[(\circ\Box\Box))((\circ])$
$[\circ\Box\Box)[\circ)$	$[(\circ\Box\Box))[\circ)$	$[\circ\Box\Box)[(\circ))$	$[(\circ))[(\circ\Box\Box)$	$[\circ)[(\circ\Box\Box))$	$[(\circ\Box\Box))[(\circ))$
$[\circ\Box\Box)[\circ]$	$[(\circ\Box\Box))[\circ]$	$[\circ\Box\Box)[(\circ)]$	$[(\circ))[(\circ\Box\Box]$	$[\circ)[(\circ\Box\Box)]$	$[(\circ\Box\Box))[(\circ)]$
$[\circ\Box\Box](\circ)$	$[(\circ\Box\Box)](\circ)$	$[\circ\Box\Box]((\circ))$	$[(\circ)](\circ\Box\Box)$	$[\circ]((\circ\Box\Box))$	$[(\circ\Box\Box)]((\circ))$
$[\circ\Box\Box](\circ]$	$[(\circ\Box\Box)](\circ]$	$[\circ\Box\Box]((\circ])$	$[(\circ)](\circ\Box\Box]$	$[\circ]((\circ\Box\Box])$	$[(\circ\Box\Box)]((\circ])$
$[\circ\Box\Box][\circ)$	$[(\circ\Box\Box)][\circ)$	$[\circ\Box\Box][(\circ))$	$[(\circ)][(\circ\Box\Box)$	$[\circ][(\circ\Box\Box))$	$[(\circ\Box\Box)][(\circ))$
$[\circ\Box\Box][\circ]$	$[(\circ\Box\Box)][\circ]$	$[\circ\Box\Box][(\circ)]$	$[(\circ)][(\circ\Box\Box]$	$[\circ][(\circ\Box\Box)]$	$[(\circ\Box\Box)][(\circ)]$

4. (1.0, 2.3)-System

4.1. R-System

(○)(◻△) ((○))(◻△) (○)((◻△)) ((◻△))(○) (◻△)((○)) ((○))((◻△))

(○)(◻△] ((○))(◻△] (○)((◻△]) ((◻△))(○] (◻△)((○]) ((○))((◻△])

(○)[◻△) ((○))[◻△) (○)[(◻△)) ((◻△))[○) (◻△)[(○)) ((○))[◻△))

(○)[◻△] ((○))[◻△] (○)[(◻△)] ((◻△))[○] (◻△)[(○)] ((○))[◻△]

(○](◻△) ((○)](◻△) (○]](◻△)) ((◻△)](○) (◻△]](○)) ((○)](◻△))

(○](◻△] ((○)](◻△] (○]](◻△]) ((◻△)](○] (◻△]](○]) (○]](◻△])

(○])[◻△) ((○])[◻△) (○]][(◻△)) ((◻△)](○) (◻△]][(○)) ((○)](◻△))

(○])[◻△] ((○)](◻△] (○]][(◻△)] ((◻△)](○] (◻△]][(○)] ((○)](◻△]

[○)(◻△) [(○))(◻△) [○)((◻△)) [(◻△))(○) [◻△)((○)) [(○))((◻△))

[○)(◻△] [(○))(◻△] [○)((◻△]) [(◻△))(○] [◻△)((○]) [(○))((◻△])

[○)[◻△) [(○))[◻△) [○)[(◻△)) [(◻△))[○) [◻△)[(○)) [(○))[◻△))

[○)[◻△] [(○))[◻△] [○)[(◻△)] [(◻△))[○] [◻△)[(○)] [(○))[◻△]

[○](◻△) [(○)](◻△) [○]](◻△)) [(◻△)](○) [◻△]](○)) [(○)](◻△))

[○](◻△] [(○)](◻△] [○]](◻△]) [(◻△)](○] [◻△]](○]) [(○)](◻△])

[○])[◻△) [(○)](◻△) [○]][(◻△)) [(◻△)](○) [◻△]][(○)) [(○)](◻△))

[○])[◻△] [(○)](◻△] [○]][(◻△)] [(◻△)](○] [◻△]][(○)] [(○)](◻△]

4.2. R*-System

$(\circ\Box\Delta)(\circ)$	$((\circ\Box\Delta))(\circ)$	$(\circ\Box\Delta)((\circ))$	$((\circ))(\circ\Box\Delta)$	$(\circ)((\circ\Box\Delta))$	$((\circ\Box\Delta))((\circ))$
$(\circ\Box\Delta)(\circ]$	$((\circ\Box\Delta))(\circ]$	$(\circ\Box\Delta)((\circ])$	$((\circ))(\circ\Box\Delta]$	$(\circ)((\circ\Box\Delta])$	$((\circ\Box\Delta))((\circ])$
$(\circ\Box\Delta)[\circ)$	$((\circ\Box\Delta))[\circ)$	$(\circ\Box\Delta)[(\circ))$	$((\circ))[(\circ\Box\Delta)$	$(\circ)[(\circ\Box\Delta))$	$((\circ\Box\Delta))[(\circ))$
$(\circ\Box\Delta)[\circ]$	$((\circ\Box\Delta))[\circ]$	$(\circ\Box\Delta)[(\circ)]$	$((\circ))[(\circ\Box\Delta]$	$(\circ)[(\circ\Box\Delta)]$	$((\circ\Box\Delta))[(\circ)]$
$(\circ\Box\Delta)(\circ)$	$((\circ\Box\Delta))(\circ)$	$(\circ\Box\Delta)((\circ))$	$((\circ))(\circ\Box\Delta)$	$(\circ)((\circ\Box\Delta))$	$((\circ\Box\Delta))((\circ))$
$(\circ\Box\Delta)(\circ]$	$((\circ\Box\Delta))(\circ]$	$(\circ\Box\Delta)((\circ])$	$((\circ))(\circ\Box\Delta]$	$(\circ)((\circ\Box\Delta])$	$((\circ\Box\Delta))((\circ])$
$(\circ\Box\Delta)[\circ)$	$((\circ\Box\Delta))[\circ)$	$(\circ\Box\Delta)[(\circ))$	$((\circ))[(\circ\Box\Delta)$	$(\circ)[(\circ\Box\Delta))$	$((\circ\Box\Delta))[(\circ))$
$(\circ\Box\Delta)[\circ]$	$((\circ\Box\Delta))[\circ]$	$(\circ\Box\Delta)[(\circ)]$	$((\circ))[(\circ\Box\Delta]$	$(\circ)[(\circ\Box\Delta)]$	$((\circ\Box\Delta))[(\circ)]$
$[\circ\Box\Delta)(\circ)$	$[(\circ\Box\Delta))(\circ)$	$[\circ\Box\Delta)((\circ))$	$[(\circ))(\circ\Box\Delta)$	$[\circ)((\circ\Box\Delta))$	$[(\circ\Box\Delta))((\circ))$
$[\circ\Box\Delta)(\circ]$	$[(\circ\Box\Delta))(\circ]$	$[\circ\Box\Delta)((\circ])$	$[(\circ))(\circ\Box\Delta]$	$[\circ)((\circ\Box\Delta])$	$[(\circ\Box\Delta))((\circ])$
$[\circ\Box\Delta)[\circ)$	$[(\circ\Box\Delta))[\circ)$	$[\circ\Box\Delta)[(\circ))$	$[(\circ))[(\circ\Box\Delta)$	$[\circ)[(\circ\Box\Delta))$	$[(\circ\Box\Delta))[(\circ))$
$[\circ\Box\Delta)[\circ]$	$[(\circ\Box\Delta))[\circ]$	$[\circ\Box\Delta)[(\circ)]$	$[(\circ))[(\circ\Box\Delta]$	$[\circ)[(\circ\Box\Delta)]$	$[(\circ\Box\Delta))[(\circ)]$
$[\circ\Box\Delta](\circ)$	$[(\circ\Box\Delta)](\circ)$	$[\circ\Box\Delta]((\circ))$	$[(\circ)](\circ\Box\Delta)$	$[\circ]((\circ\Box\Delta))$	$[(\circ\Box\Delta)]((\circ))$
$[\circ\Box\Delta](\circ]$	$[(\circ\Box\Delta)](\circ]$	$[\circ\Box\Delta]((\circ])$	$[(\circ)](\circ\Box\Delta]$	$[\circ]((\circ\Box\Delta])$	$[(\circ\Box\Delta)]((\circ])$
$[\circ\Box\Delta][\circ)$	$[(\circ\Box\Delta)][\circ)$	$[\circ\Box\Delta][(\circ))$	$[(\circ)][(\circ\Box\Delta)$	$[\circ][(\circ\Box\Delta))$	$[(\circ\Box\Delta)][(\circ))$
$[\circ\Box\Delta][\circ]$	$[(\circ\Box\Delta)][\circ]$	$[\circ\Box\Delta][(\circ)]$	$[(\circ)][(\circ\Box\Delta]$	$[\circ][(\circ\Box\Delta)]$	$[(\circ\Box\Delta)][(\circ)]$

5. (1.1, 2.0)-System

5.1. R-System

(oo)(oo□) ((oo))(oo□) (oo)((oo□)) ((oo□))(oo) (oo□)((oo)) ((oo))((oo□))

(oo)(oo□] ((oo))(oo□] (oo)((oo□]) ((oo□))(oo] (oo□)((oo]) ((oo))((oo□])

(oo)[oo□) ((oo))[oo□) (oo)[(oo□)) ((oo□))[oo) (oo□][(oo)) ((oo))[((oo□))

(oo)[oo□] ((oo))[oo□] (oo)[(oo□)] ((oo□))[oo] (oo□)[(oo)] ((oo))[((oo□)]

(oo](oo□) ((oo)](oo□) (oo]((oo□)) ((oo□)](oo) (oo□]((oo)) ((oo)]((oo□))

(oo](oo□] ((oo)](oo□] (oo]((oo□]) ((oo□)](oo] (oo□]((oo]) (oo)]((oo□])

(oo])[oo□) ((oo)](oo□) (oo])[((oo□)) ((oo□)](oo) (oo□]((oo)) ((oo)]((oo□))

(oo])[oo□] ((oo)](oo□] (oo])[((oo□)] ((oo□)](oo] (oo□]((oo)] ((oo)]((oo□)]

[oo)(oo□) [(oo))(oo□) [oo)((oo□)) [(oo□))(oo) [oo□)((oo)) [(oo))((oo□))

[oo)(oo□] [(oo))(oo□] [oo)((oo□]) [(oo□))(oo] [oo□)((oo)] [(oo))((oo□)]

[oo)[oo□) [(oo))[oo□) [oo)[(oo□)) [(oo□)](oo) [oo□][(oo)) [(oo))[((oo□))

[oo)[oo□] [(oo))[oo□] [oo)[(oo□)] [(oo□)](oo] [oo□][(oo)] [(oo))[((oo□)]

[oo](oo□) [(oo)](oo□) [oo]((oo□)) [(oo□)](oo) [oo□]((oo)) [(oo)]((oo□))

[oo](oo□] [(oo)](oo□] [oo]((oo□]) [(oo□)](oo] [oo□]((oo)] [(oo)]((oo□)]

[oo])[oo□) [(oo)](oo□) [oo])[((oo□)) [(oo□)](oo) [oo□]((oo)) [(oo)]((oo□))

[oo])[oo□] [(oo)](oo□] [oo])[((oo□)] [(oo□)](oo] [oo□]((oo)] [(oo)]((oo□)]

5.2. R*-System

(□□)(□□) ((□□))(□□) (□□)((□□)) ((□□))(□□□) (□□)((□□□)) ((□□□))(□□□)

(□□)(□□] ((□□□))(□□] (□□□)((□□]) ((□□])(□□□] (□□)((□□□]) ((□□□])(□□])

(□□][□□) ((□□□)][□□) (□□□][□□) ((□□)][□□□) (□□)[□□□] ((□□□)][□□)

(□□][□□] ((□□□)][□□] (□□□][□□]) ((□□)][□□□] (□□)[□□□] ((□□□)][□□])

(□□□)(□□) ((□□□))(□□) (□□□)((□□)) ((□□)][□□□) (□□)((□□□)) ((□□□])(□□)

(□□□)(□□] ((□□□])(□□] (□□□)((□□]) ((□□)][□□□] (□□)((□□□]) ((□□□])(□□])

(□□□][□□) ((□□□)][□□) (□□□][□□) ((□□)][□□□] (□□)[□□□] ((□□□)][□□)

(□□□][□□] ((□□□)][□□] (□□□][□□]) ((□□)][□□□] (□□)[□□□] ((□□□)][□□])

[□□□)(□□) [(□□□))(□□) [□□□)((□□)) [(□□)][□□□) [□□)((□□□)) [(□□□])(□□)

[□□□)(□□] [(□□□])(□□] [□□□)((□□]) [(□□)][□□□] [□□)((□□□]) [(□□□])(□□]

[□□□][□□) [(□□□)][□□) [□□□][□□) [(□□)][□□□] [□□][□□□] [(□□□)][□□)

[□□□][□□] [(□□□)][□□] [□□□][□□]) [(□□)][□□□] [□□][□□□] [(□□□)][□□]

[□□□](□□) [(□□□)](□□) [□□□]((□□)) [(□□)][□□□] [□□]((□□□)) [(□□□)]((□□))

[□□□](□□] [(□□□)](□□] [□□□]((□□]) [(□□)][□□□] [□□]((□□□]) [(□□□)]((□□])

[□□□][□□) [(□□□)][□□) [□□□][□□) [(□□)][□□□] [□□][□□□] [(□□□)][□□)

[□□□][□□] [(□□□)][□□] [□□□][□□]) [(□□)][□□□] [□□][□□□] [(□□□)][□□]

6. (1.1, 2.1)-System

6.1. R-System

(oo)(o□o) ((oo))(o□o) (oo)((o□o)) ((o□o))(oo) (o□o)((oo)) ((oo))((o□o))

(oo)(o□o] ((oo))(o□o] (oo)((o□o]) ((o□o))(oo] (o□o)((oo]) ((oo))((o□o])

(oo)[o□o) ((oo))[o□o) (oo)[(o□o)) ((o□o))[oo) (o□o)[(oo)) ((oo))[o□o))

(oo)[o□o] ((oo))[o□o] (oo)[(o□o)] ((o□o))[oo] (o□o)[(oo)] ((oo))[o□o]

(oo](o□o) ((oo)](o□o) (oo]((o□o)) ((o□o)](oo) (o□o]((oo)) ((oo)]((o□o))

(oo](o□o] ((oo)](o□o] (oo]((o□o]) ((o□o)](oo] (o□o]((oo]) (oo]((o□o])

(oo][o□o) ((oo)][o□o) (oo][o□o)) ((o□o)][oo) (o□o][o□o)) ((oo)][o□o))

(oo][o□o] ((oo)][o□o] (oo][o□o)] ((o□o)][oo] (o□o][o□o)] ((oo)][o□o]

[oo)(o□o) [(oo))(o□o) [oo)((o□o)) [(o□o))(oo) [o□o)((oo)) [(oo))((o□o))

[oo)(o□o] [(oo))(o□o] [oo)((o□o]) [(o□o))(oo] [o□o)((oo)] [(oo))((o□o)]

[oo)[o□o) [(oo))[o□o) [oo)[o□o)) [(o□o))[oo) [o□o)[o□o)) [(oo))[o□o))

[oo)[o□o] [(oo))[o□o] [oo)[o□o)] [(o□o))[oo] [o□o)[o□o)] [(oo))[o□o]

[oo](o□o) [(oo)](o□o) [oo]((o□o)) [(o□o)](oo) [o□o]((oo)) [(oo)]((o□o))

[oo](o□o] [(oo)](o□o] [oo]((o□o]) [(o□o)](oo] [o□o]((oo)] [(oo)]((o□o)]

[oo][o□o) [(oo)][o□o) [oo][o□o)) [(o□o)][oo) [o□o][o□o)) [(oo)][o□o))

[oo][o□o] [(oo)][o□o] [oo][o□o)] [(o□o)][oo] [o□o][o□o)] [(oo)][o□o]

6.2. R*-System

(□□)(○○) ((□□))(○○) (□□)((○○)) ((○○))(□□) (○○)((□□)) ((□□))((○○))

(□□)(□○] ((□□))(□○] (□□)((○○)] ((○○))(□□] (○○)((□□)] ((□□))((○○)]

(□□)[○○) ((□□))[○○) (□□)[(○○)) ((○○))[□□) (○○)[(□□)) ((□□))[○○)

(□□)[○○] ((□□))[○○] (□□)[(○○)] ((○○))[□□] (○○)[(□□)] ((□□))[○○]

(□□](○○) ((□□)](○○) (□□]((○○)) ((○○)](□□) (○○]((□□)) ((□□)]((○○))

(□□](□○] ((□□)](□○] (□□]((○○)] ((○○)](□□] (○○]((□□)] (□□]((○○)]

(□□][○○) ((□□])[○○) (□□][(○○)) ((○○)][□□) (○○][(□□)) ((□□])[○○)

(□□][○○] ((□□])[○○] (□□][(○○)] ((○○)][□□] (○○)[(□□)] ((□□])[○○]

[□□)(○○) [(□□))(○○) [□□)((○○)) [(○○))(□□) [○○)((□□)) [(□□))((○○))

[□□)(□○] [(□□))(□○] [□□)((○○)] [(○○))(□□] [○○)((□□)] [(□□))((○○)]

[□□)[○○) [(□□))[○○) [□□)[(○○)) [(○○)][□□) [○○)[(□□)) [(□□))[○○)

[□□)[○○] [(□□))[○○] [□□)[(○○)] [(○○)][□□] [○○)[(□□)] [(□□))[○○]

[□□](○○) [(□□)](○○) [□□]((○○)) [(○○)](□□) [○○]((□□)) [(□□)]((○○))

[□□](□○] [(□□)](□○] [□□]((○○)] [(○○)](□□] [○○]((□□)] [(□□)]((○○)]

[□□][○○) [(□□)][○○) [□□][(○○)) [(○○)][□□) [○○][(□□)) [(□□)][○○)

[□□][○○] [(□□)][○○] [□□][(○○)] [(○○)][□□] [○○][(□□)] [(□□)][○○]

7. (1.1, 2.2)-System

7.1. R-System

(oo)(o□□) ((oo))(o□□) (oo)((o□□)) ((o□□))(oo) (o□□)((oo)) ((oo))((o□□))

(oo)(o□□] ((oo))(o□□] (oo)((o□□]) ((o□□))(oo] (o□□)((oo]) ((oo))((o□□])

(oo)[o□□) ((oo))[o□□) (oo)[(o□□)) ((o□□))[oo) (o□□][(oo)) ((oo))[o□□))

(oo)[o□□] ((oo))[o□□] (oo)[(o□□)] ((o□□))[oo] (o□□)[(oo)] ((oo))[o□□]

(oo](o□□) ((oo)](o□□) (oo]((o□□)) ((o□□)](oo) (o□□]((oo)) ((oo)]((o□□))

(oo](o□□] ((oo)](o□□] (oo]((o□□]) ((o□□)](oo] (o□□]((oo]) (oo]((o□□])

(oo][o□□) ((oo)][o□□) (oo][o□□)) ((o□□)][oo) (o□□][o□□)) ((oo)][o□□))

(oo][o□□] ((oo)][o□□] (oo][o□□)] ((o□□)][oo] (o□□][o□□)] ((oo)][o□□]

[oo)(o□□) [(oo))(o□□) [oo)((o□□)) [(o□□))(oo) [o□□)((oo)) [(oo))((o□□))

[oo)(o□□] [(oo))(o□□] [oo)((o□□]) [(o□□))(oo] [o□□)((oo)] [(oo))((o□□)]

[oo][o□□) [(oo))[o□□) [oo)[(o□□)) [(o□□)][oo) [o□□][(oo)) [(oo))[o□□))

[oo][o□□] [(oo))[o□□] [oo)[(o□□)] [(o□□)][oo] [o□□][(oo)] [(oo))[o□□]

[oo](o□□) [(oo)](o□□) [oo]((o□□)) [(o□□)](oo) [o□□]((oo)) [(oo)]((o□□))

[oo](o□□] [(oo)](o□□] [oo]((o□□]) [(o□□)](oo] [o□□]((oo)] [(oo)]((o□□])

[oo][o□□) [(oo)][o□□) [oo][o□□)) [(o□□)][oo) [o□□][o□□)) [(oo)][o□□))

[oo][o□□] [(oo)][o□□] [oo][o□□)] [(o□□)][oo] [o□□][o□□)] [(oo)][o□□]

7.2. R*-System

(□□)(○○) ((□□))(○○) (□□)((○○)) ((○○)(□□) (○○)((□□)) ((□□)((○○))

(□□)(○○] ((□□))(○○] (□□)((○○]) ((○○)(□□] (○○)((□□]) ((□□)((○○])

(□□][○○) ((□□)][○○) (□□][○○) ((○○)][□□] (○○)[□□] ((□□)][○○)

(□□][○○] ((□□)][○○] (□□][○○] ((○○)][□□] (○○)[□□] ((□□)][○○]

(□□](○○) ((□□)](○○) (□□]((○○)) ((○○)](□□) (○○]((□□)) ((□□)](○○))

(□□](○○] ((□□)](○○] (□□]((○○]) ((○○)](□□] (○○]((□□]) (□□]((○○])

(□□][○○) ((□□)][○○) (□□][○○) ((○○)][□□] (○○][□□] ((□□)][○○)

(□□][○○] ((□□)][○○] (□□][○○] ((○○)][□□] (○○)[□□] ((□□)][○○]

[□□)(○○) [(□□))(○○) [□□)((○○)) [(○○)(□□) [○○)((□□)) [(□□)((○○))

[□□)(○○] [(□□))(○○] [□□)((○○]) [(○○)(□□] [○○)((□□]) [(□□)((○○])

[□□][○○) [(□□)][○○) [□□][○○) [(○○)][□□] [○○][□□] [(□□)][○○)

[□□][○○] [(□□)][○○] [□□][○○] [(○○)][□□] [○○][□□] [(□□)][○○]

[□□](○○) [(□□)](○○) [□□]((○○)) [(○○)](□□) [○○]((□□)) [(□□)](○○))

[□□](○○] [(□□)](○○] [□□]((○○]) [(○○)](□□] [○○]((□□]) [(□□)](○○])

[□□][○○) [(□□)][○○) [□□][○○) [(○○)][□□] [○○][□□] [(□□)][○○)

[□□][○○] [(□□)][○○] [□□][○○] [(○○)][□□] [○○][□□] [(□□)][○○]

8. (1.1, 2.3)-System

8.1. R-System

(oo)(o□Δ) ((oo))(o□Δ) (oo)((o□Δ)) ((o□Δ))(oo) (o□Δ)((oo)) ((oo))((o□Δ))

(oo)(o□Δ] ((oo))(o□Δ] (oo)((o□Δ]) ((o□Δ])(oo) (o□Δ]((oo)) ((oo))((o□Δ])

(oo)[o□Δ) ((oo))[o□Δ) (oo)[(o□Δ)) ((o□Δ)][oo) (o□Δ][(oo)) ((oo))[o□Δ)

(oo)[o□Δ] ((oo))[o□Δ] (oo)[(o□Δ)] ((o□Δ)][oo] (o□Δ)[(oo)] ((oo))[o□Δ]

(oo](o□Δ) ((oo)](o□Δ) (oo]((o□Δ)) ((o□Δ)](oo) (o□Δ]((oo)) ((oo)]((o□Δ))

(oo](o□Δ] ((oo)](o□Δ] (oo]((o□Δ]) ((o□Δ)](oo) (o□Δ]((oo)) ((oo)]((o□Δ])

(oo][o□Δ) ((oo)][o□Δ) (oo][o□Δ) ((o□Δ)][oo) (o□Δ][o□Δ) ((oo)][o□Δ)

(oo][o□Δ] ((oo)][o□Δ] (oo][o□Δ] ((o□Δ)][oo] (o□Δ][o□Δ] ((oo)][o□Δ]

[oo)(o□Δ) [(oo))(o□Δ) [oo)((o□Δ)) [(o□Δ))(oo) [o□Δ]((oo)) [(oo))((o□Δ))

[oo)(o□Δ] [(oo))(o□Δ] [oo)((o□Δ]) [(o□Δ))(oo] [o□Δ]((oo)) [(oo))((o□Δ])

[oo)[o□Δ) [(oo))[o□Δ) [oo)[o□Δ) [(o□Δ)][oo) [o□Δ][o□Δ) [(oo))[o□Δ)

[oo)[o□Δ] [(oo))[o□Δ] [oo)[o□Δ] [(o□Δ)][oo] [o□Δ][o□Δ] [(oo))[o□Δ]

[oo](o□Δ) [(oo)](o□Δ) [oo]((o□Δ)) [(o□Δ)](oo) [o□Δ]((oo)) [(oo)]((o□Δ))

[oo](o□Δ] [(oo)](o□Δ] [oo]((o□Δ]) [(o□Δ)](oo) [o□Δ]((oo)) [(oo)]((o□Δ])

[oo][o□Δ) [(oo)][o□Δ) [oo][o□Δ) [(o□Δ)][oo] [o□Δ][o□Δ) [(oo)][o□Δ)

[oo][o□Δ] [(oo)][o□Δ] [oo][o□Δ] [(o□Δ)][oo] [o□Δ][o□Δ] [(oo)][o□Δ]

8.2. R*-System

$(\square\Delta)(\circ\circ)$ $((\square\Delta))(\circ\circ)$ $(\square\Delta)((\circ\circ))$ $((\circ\circ))(\square\Delta)$ $(\circ\circ)((\square\Delta))$ $((\square\Delta))((\circ\circ))$
 $(\square\Delta)(\circ\circ]$ $((\square\Delta))(\circ\circ]$ $(\square\Delta)((\circ\circ])$ $((\circ\circ))(\square\Delta]$ $(\circ\circ)((\square\Delta])$ $((\square\Delta))((\circ\circ])$
 $(\square\Delta)[\circ\circ)$ $((\square\Delta))[\circ\circ)$ $(\square\Delta)[(\circ\circ))$ $((\circ\circ))[\square\Delta)$ $(\circ\circ)[(\square\Delta))$ $((\square\Delta))[(\circ\circ))$
 $(\square\Delta)[\circ\circ]$ $((\square\Delta))[\circ\circ]$ $(\square\Delta)[(\circ\circ)]$ $((\circ\circ))[\square\Delta]$ $(\circ\circ)[(\square\Delta)]$ $((\square\Delta))[(\circ\circ)]$

$(\square\Delta](\circ\circ)$ $((\square\Delta)](\circ\circ)$ $(\square\Delta]((\circ\circ))$ $((\circ\circ)](\square\Delta)$ $(\circ\circ)]((\square\Delta))$ $((\square\Delta)]((\circ\circ))$
 $(\square\Delta](\circ\circ]$ $((\square\Delta)](\circ\circ]$ $(\square\Delta]((\circ\circ])$ $((\circ\circ)](\square\Delta]$ $(\circ\circ)]((\square\Delta])$ $((\square\Delta)]((\circ\circ])$
 $(\square\Delta][\circ\circ)$ $((\square\Delta)][\circ\circ)$ $(\square\Delta][(\circ\circ))$ $((\circ\circ)][\square\Delta)$ $(\circ\circ)][(\square\Delta))$ $((\square\Delta)][(\circ\circ))$
 $(\square\Delta][\circ\circ]$ $((\square\Delta)][\circ\circ]$ $(\square\Delta][(\circ\circ)]$ $((\circ\circ)][\square\Delta]$ $(\circ\circ)][(\square\Delta)]$ $((\square\Delta)][(\circ\circ)]$

$[\square\Delta)(\circ\circ)$ $[(\square\Delta))(\circ\circ)$ $[\square\Delta)((\circ\circ))$ $[(\circ\circ))(\square\Delta)$ $[\circ\circ)((\square\Delta))$ $[(\square\Delta))((\circ\circ))$
 $[\square\Delta)(\circ\circ]$ $[(\square\Delta))(\circ\circ]$ $[\square\Delta)((\circ\circ])$ $[(\circ\circ))(\square\Delta]$ $[\circ\circ)((\square\Delta])$ $[(\square\Delta))((\circ\circ])$
 $[\square\Delta](\circ\circ)$ $[(\square\Delta))[\circ\circ)$ $[\square\Delta][(\circ\circ))$ $[(\circ\circ))[\square\Delta)$ $[\circ\circ][(\square\Delta))$ $[(\square\Delta))[(\circ\circ))$
 $[\square\Delta](\circ\circ]$ $[(\square\Delta))[\circ\circ]$ $[\square\Delta][(\circ\circ)]$ $[(\circ\circ))[\square\Delta]$ $[\circ\circ][(\square\Delta)]$ $[(\square\Delta))[(\circ\circ)]$

$[\square\Delta](\circ\circ)$ $[(\square\Delta)](\circ\circ)$ $[\square\Delta]((\circ\circ))$ $[(\circ\circ)](\square\Delta)$ $[\circ\circ]]((\square\Delta))$ $[(\square\Delta)]((\circ\circ))$
 $[\square\Delta](\circ\circ]$ $[(\square\Delta)](\circ\circ]$ $[\square\Delta]((\circ\circ])$ $[(\circ\circ)](\square\Delta]$ $[\circ\circ]]((\square\Delta])$ $[(\square\Delta)]((\circ\circ])$
 $[\square\Delta][\circ\circ)$ $[(\square\Delta)][\circ\circ)$ $[\square\Delta][(\circ\circ))$ $[(\circ\circ)][\square\Delta)$ $[\circ\circ]][(\square\Delta))$ $[(\square\Delta)][(\circ\circ))$
 $[\square\Delta][\circ\circ]$ $[(\square\Delta)][\circ\circ]$ $[\square\Delta][(\circ\circ)]$ $[(\circ\circ)][\square\Delta]$ $[\circ\circ]][(\square\Delta)]$ $[(\square\Delta)][(\circ\circ)]$

9. (1.2, 2.0)-System

9.1. R-System

(□)(□□) ((□))(□□) (□)((□□)) ((□□))(□) (□□)((□)) ((□))((□□))

(□)(□□] ((□))(□□] (□)((□□]) ((□□))(□] (□□)((□]) ((□))((□□])

(□)[□□) ((□))[□□) (□)[(□□)) ((□□))[□) (□□)[(□)) ((□))[□□))

(□)[□□] ((□))[□□] (□)[(□□)] ((□□))[□] (□□)[(□)] ((□))[□□]

(□](□□) ((□)](□□) (□]((□□)) ((□□)](□) (□□]((□)) ((□)]((□□))

(□](□□] ((□)](□□] (□]((□□]) ((□□)](□] (□□]((□]) (□]((□□])

(□][□□) ((□)][□□) (□][(□□)) ((□□)][□) (□□][(□)) ((□)][□□))

(□][□□] ((□)][□□] (□][(□□)] ((□□)][□] (□□][(□)] ((□)][□□]

[□)(□□) [(□))(□□) [□)((□□)) [(□□))(□) [□□)((□)) [(□))((□□))

[□)(□□] [(□))(□□] [□)((□□)] [(□□))(□] [□□)((□)] [(□))((□□)]

[□)[□□) [(□))[□□) [□)[(□□)) [(□□))[□] [□□)[(□)) [(□)][□□))

[□)[□□] [(□))[□□] [□)[(□□)] [(□□))[□] [□□)[(□)] [(□)][□□]

[□](□□) [(□)](□□) [□]((□□)) [(□□)](□) [□□]((□)) [(□)]((□□))

[□](□□] [(□)](□□] [□]((□□]) [(□□)](□] [□□]((□]) [(□)]((□□])

[□][□□) [(□)][□□) [□][(□□)) [(□□)][□] [□□][(□)) [(□)][□□))

[□][□□] [(□)][□□] [□][(□□)] [(□□)][□] [□□][(□)] [(□)][□□]

9.2. R*-System

(○○□)(○□) ((○○□))(○□) (○○□)((○□)) ((○□))(○○□) (○□)((○○□)) ((○○□))((○□))

(○○□)(○□] ((○○□))(○□] (○○□)((○□]) ((○□))(○○□] (○□)((○○□]) ((○○□))((○□])

(○○□)[○□) ((○○□))[○□) (○○□)[(○□)) ((○□))[○○□) (○□)[(○○□)) ((○○□))[(○□))

(○○□)[○□] ((○○□))[○□] (○○□)[(○□)] ((○□))[○○□] (○□)[(○○□)] ((○○□))[(○□)]

(○○□](○□) ((○○□)](○□) (○○□]((○□)) ((○□)](○○□) (○□]((○○□)) ((○○□)]((○□))

(○○□](○□] ((○○□)](○□] (○○□]((○□]) ((○□)](○○□] (○□]((○○□]) (○○□)]((○□])

(○○□])[○□) ((○○□)]][○□) (○○□])[(○□)) ((○□)]][○○□) (○□)]][(○○□)) ((○○□)]][(○□))

(○○□])[○□] ((○○□)]][○□] (○○□)]][(○□)] ((○□)]][○○□] (○□)]][(○○□)] ((○○□)]][(○□)]

[○○□)(○□) [(○○□))(○□) [○○□)((○□)) [(○□))(○○□) [○□)((○○□)) [(○○□))((○□))

[○○□)(○□] [(○○□))(○□] [○○□)((○□]) [(○□))(○○□] [○□)((○○□]) [(○○□))((○□])

[○○□][○□) [(○○□))[○□) [○○□)[(○□)) [(○□))[○○□) [○□)[(○○□)) [(○○□))[(○□))

[○○□][○□] [(○○□)][○□] [○○□)[(○□)] [(○□)][○○□] [○□)[(○○□)] [(○○□))[(○□)]

[○○□](○□) [(○○□)](○□) [○○□]((○□)) [(○□)](○○□) [○□]((○○□)) [(○○□)]((○□))

[○○□](○□] [(○○□)](○□] [○○□]((○□]) [(○□)](○○□] [○□]((○○□]) [(○○□)]((○□])

[○○□])[○□) [(○○□)]][○□) [○○□])[(○□)) [(○□)]][○○□) [○□)]][(○○□)) [(○○□)]][(○□))

[○○□])[○□] [(○○□)]][○□] [○○□)]][(○□)] [(○□)]][○○□] [○□)]][(○○□)] [(○○□)]][(○□)]

10. (1.2, 2.1)-System

10.1. R-System

$(\circ\Box)(\circ\Box\circ)$ $((\circ\Box))(\circ\Box\circ)$ $(\circ\Box)((\circ\Box\circ))$ $((\circ\Box\circ))(\circ\Box)$ $(\circ\Box\circ)((\circ\Box))$ $((\circ\Box))((\circ\Box\circ))$

$(\circ\Box)(\circ\Box\circ]$ $((\circ\Box))(\circ\Box\circ]$ $(\circ\Box)((\circ\Box\circ])$ $((\circ\Box\circ))(\circ\Box]$ $(\circ\Box\circ)((\circ\Box])$ $((\circ\Box))((\circ\Box\circ])$

$(\circ\Box)[\circ\Box\circ)$ $((\circ\Box))[\circ\Box\circ)$ $(\circ\Box)[(\circ\Box\circ))$ $((\circ\Box\circ))[\circ\Box)$ $(\circ\Box\circ)[(\circ\Box))$ $((\circ\Box))[(\circ\Box\circ))$

$(\circ\Box)[\circ\Box\circ]$ $((\circ\Box))[\circ\Box\circ]$ $(\circ\Box)[(\circ\Box\circ)]$ $((\circ\Box\circ))[\circ\Box]$ $(\circ\Box\circ)[(\circ\Box)]$ $((\circ\Box))[(\circ\Box\circ)]$

$(\circ\Box](\circ\Box\circ)$ $((\circ\Box)](\circ\Box\circ)$ $(\circ\Box]((\circ\Box\circ))$ $((\circ\Box\circ)](\circ\Box)$ $(\circ\Box\circ]((\circ\Box))$ $((\circ\Box)]((\circ\Box\circ))$

$(\circ\Box](\circ\Box\circ]$ $((\circ\Box)](\circ\Box\circ]$ $(\circ\Box]((\circ\Box\circ)])$ $((\circ\Box\circ)](\circ\Box]$ $(\circ\Box\circ]((\circ\Box)])$ $((\circ\Box)]((\circ\Box\circ)])$

$(\circ\Box][\circ\Box\circ)$ $((\circ\Box)][\circ\Box\circ)$ $(\circ\Box][(\circ\Box\circ))$ $((\circ\Box\circ))[\circ\Box)$ $(\circ\Box\circ][(\circ\Box))$ $((\circ\Box)][(\circ\Box\circ))$

$(\circ\Box][\circ\Box\circ]$ $((\circ\Box)][\circ\Box\circ]$ $(\circ\Box][(\circ\Box\circ)]$ $((\circ\Box\circ))[\circ\Box]$ $(\circ\Box\circ][(\circ\Box)]$ $((\circ\Box)][(\circ\Box\circ)]$

$[\circ\Box)(\circ\Box\circ)$ $[(\circ\Box))(\circ\Box\circ)$ $[\circ\Box)((\circ\Box\circ))$ $[(\circ\Box\circ))(\circ\Box)$ $[\circ\Box\circ)((\circ\Box))$ $[(\circ\Box))((\circ\Box\circ))$

$[\circ\Box)(\circ\Box\circ]$ $[(\circ\Box))(\circ\Box\circ]$ $[\circ\Box)((\circ\Box\circ)])$ $[(\circ\Box\circ))(\circ\Box]$ $[\circ\Box\circ)((\circ\Box)]$ $[(\circ\Box))((\circ\Box\circ)])$

$[\circ\Box](\circ\Box\circ)$ $[(\circ\Box))[\circ\Box\circ)$ $[\circ\Box][(\circ\Box\circ))$ $[(\circ\Box\circ))[\circ\Box)$ $[\circ\Box\circ][(\circ\Box))$ $[(\circ\Box))[(\circ\Box\circ))$

$[\circ\Box](\circ\Box\circ]$ $[(\circ\Box))[\circ\Box\circ]$ $[\circ\Box][(\circ\Box\circ)]$ $[(\circ\Box\circ))[\circ\Box]$ $[\circ\Box\circ][(\circ\Box)]$ $[(\circ\Box))[(\circ\Box\circ)]$

$[\circ\Box](\circ\Box\circ)$ $[(\circ\Box)](\circ\Box\circ)$ $[\circ\Box]((\circ\Box\circ))$ $[(\circ\Box\circ)](\circ\Box)$ $[\circ\Box\circ]((\circ\Box))$ $[(\circ\Box)]((\circ\Box\circ))$

$[\circ\Box](\circ\Box\circ]$ $[(\circ\Box)](\circ\Box\circ]$ $[\circ\Box]((\circ\Box\circ)])$ $[(\circ\Box\circ)](\circ\Box]$ $[\circ\Box\circ]((\circ\Box)])$ $[(\circ\Box)]((\circ\Box\circ)])$

$[\circ\Box][\circ\Box\circ)$ $[(\circ\Box)][\circ\Box\circ)$ $[\circ\Box][(\circ\Box\circ))$ $[(\circ\Box\circ)][\circ\Box)$ $[\circ\Box\circ][(\circ\Box))$ $[(\circ\Box)][(\circ\Box\circ))$

$[\circ\Box][\circ\Box\circ]$ $[(\circ\Box)][\circ\Box\circ]$ $[\circ\Box][(\circ\Box\circ)]$ $[(\circ\Box\circ)][\circ\Box]$ $[\circ\Box\circ][(\circ\Box)]$ $[(\circ\Box)][(\circ\Box\circ)]$

10.2. R*-System

(□□)(□) ((□□))(□) (□□)((□)) ((□))(□□) (□)((□□)) ((□□))((□))

(□□)(□] ((□□))(□] (□□)((□]) ((□))(□□] (□)((□□]) ((□□))((□])

(□□)[□) ((□□))[□) (□□)[(□)) ((□))[□□) (□)[(□□)) ((□□))[□)

(□□)[□] ((□□))[□] (□□)[(□)] ((□))[□□] (□)[(□□)] ((□□))[□]

(□□](□) ((□□)](□) (□□]((□)) ((□)](□□) (□]((□□)) ((□□)](□))

(□□](□] ((□□)](□] (□□]((□]) ((□)](□□] (□]((□□]) ((□□)](□])

(□□][□) ((□□)][□) (□□][□) ((□)][□□) (□][□□) ((□□)][□)

(□□][□] ((□□)][□] (□□][□] ((□)][□□] (□][□□] ((□□)][□]

[□□)(□) [(□□))(□) [□□)((□)) [(□))(□□) [□]((□□)) [(□□))((□))

[□□)(□] [(□□))(□] [□□)((□]) [(□))(□□] [□]((□□)) [(□□))((□])

[□□)[□) [(□□))[□) [□□)[(□)) [(□))[□□) [□][□□) [(□□))[□)

[□□)[□] [(□□))[□] [□□)[□] [(□))[□□] [□][□□] [(□□))[□]

[□□](□) [(□□)](□) [□□]((□)) [(□)](□□) [□]((□□)) [(□□)](□))

[□□](□] [(□□)](□] [□□]((□]) [(□)](□□] [□]((□□]) [(□□)](□])

[□□][□) [(□□)][□) [□□][□) [(□)][□□) [□][□□) [(□□)][□)

[□□][□] [(□□)][□] [□□][□] [(□)][□□] [□][□□] [(□□)][□]

11. (1.2, 2.2)-System

11.1. R-System

$(\circ\Box)(\circ\Box\Box)$ $((\circ\Box))(\circ\Box\Box)$ $(\circ\Box)((\circ\Box\Box))$ $((\circ\Box\Box))(\circ\Box)$ $(\circ\Box\Box)((\circ\Box))$ $((\circ\Box))((\circ\Box\Box))$

$(\circ\Box)(\circ\Box\Box]$ $((\circ\Box))(\circ\Box\Box]$ $(\circ\Box)((\circ\Box\Box])$ $((\circ\Box\Box))(\circ\Box]$ $(\circ\Box\Box)((\circ\Box])$ $((\circ\Box))((\circ\Box\Box])$

$(\circ\Box)[\circ\Box\Box)$ $((\circ\Box))[\circ\Box\Box)$ $(\circ\Box)[(\circ\Box\Box))$ $((\circ\Box\Box))[\circ\Box)$ $(\circ\Box\Box)[(\circ\Box))$ $((\circ\Box))[(\circ\Box\Box))$

$(\circ\Box)[\circ\Box\Box]$ $((\circ\Box))[\circ\Box\Box]$ $(\circ\Box)[(\circ\Box\Box)]$ $((\circ\Box\Box))[\circ\Box]$ $(\circ\Box\Box)[(\circ\Box)]$ $((\circ\Box))[(\circ\Box\Box)]$

$(\circ\Box](\circ\Box\Box)$ $((\circ\Box)](\circ\Box\Box)$ $(\circ\Box]((\circ\Box\Box))$ $((\circ\Box\Box)](\circ\Box)$ $(\circ\Box\Box]((\circ\Box))$ $((\circ\Box)]((\circ\Box\Box))$

$(\circ\Box](\circ\Box\Box]$ $((\circ\Box)](\circ\Box\Box]$ $(\circ\Box]((\circ\Box\Box])$ $((\circ\Box\Box)](\circ\Box]$ $(\circ\Box\Box]((\circ\Box])$ $((\circ\Box)]((\circ\Box\Box])$

$(\circ\Box][\circ\Box\Box)$ $((\circ\Box)][\circ\Box\Box)$ $(\circ\Box][(\circ\Box\Box))$ $((\circ\Box\Box)][\circ\Box)$ $(\circ\Box\Box][(\circ\Box))$ $((\circ\Box)][(\circ\Box\Box))$

$(\circ\Box][\circ\Box\Box]$ $((\circ\Box)][\circ\Box\Box]$ $(\circ\Box][(\circ\Box\Box)]$ $((\circ\Box\Box)][\circ\Box]$ $(\circ\Box\Box][(\circ\Box)]$ $((\circ\Box)][(\circ\Box\Box)]$

$[\circ\Box)(\circ\Box\Box)$ $[(\circ\Box))(\circ\Box\Box)$ $[\circ\Box)((\circ\Box\Box))$ $[(\circ\Box\Box))(\circ\Box)$ $[\circ\Box\Box)((\circ\Box))$ $[(\circ\Box))((\circ\Box\Box))$

$[\circ\Box)(\circ\Box\Box]$ $[(\circ\Box))(\circ\Box\Box]$ $[\circ\Box)((\circ\Box\Box])$ $[(\circ\Box\Box))(\circ\Box]$ $[\circ\Box\Box)((\circ\Box])$ $[(\circ\Box))((\circ\Box\Box])$

$[\circ\Box](\circ\Box\Box)$ $[(\circ\Box))[\circ\Box\Box)$ $[\circ\Box][(\circ\Box\Box))$ $[(\circ\Box\Box))[\circ\Box)$ $[\circ\Box\Box][(\circ\Box))$ $[(\circ\Box))[(\circ\Box\Box))$

$[\circ\Box](\circ\Box\Box]$ $[(\circ\Box))[\circ\Box\Box]$ $[\circ\Box][(\circ\Box\Box)]$ $[(\circ\Box\Box))[\circ\Box]$ $[\circ\Box\Box][(\circ\Box)]$ $[(\circ\Box))[(\circ\Box\Box)]$

$[\circ\Box](\circ\Box\Box)$ $[(\circ\Box)](\circ\Box\Box)$ $[\circ\Box]((\circ\Box\Box))$ $[(\circ\Box\Box)](\circ\Box)$ $[\circ\Box\Box]((\circ\Box))$ $[(\circ\Box)]((\circ\Box\Box))$

$[\circ\Box](\circ\Box\Box]$ $[(\circ\Box)](\circ\Box\Box]$ $[\circ\Box]((\circ\Box\Box])$ $[(\circ\Box\Box)](\circ\Box]$ $[\circ\Box\Box]((\circ\Box])$ $[(\circ\Box)]((\circ\Box\Box])$

$[\circ\Box][\circ\Box\Box)$ $[(\circ\Box)][\circ\Box\Box)$ $[\circ\Box][(\circ\Box\Box))$ $[(\circ\Box\Box)][\circ\Box)$ $[\circ\Box\Box][(\circ\Box))$ $[(\circ\Box)][(\circ\Box\Box))$

$[\circ\Box][\circ\Box\Box]$ $[(\circ\Box)][\circ\Box\Box]$ $[\circ\Box][(\circ\Box\Box)]$ $[(\circ\Box\Box)][\circ\Box]$ $[\circ\Box\Box][(\circ\Box)]$ $[(\circ\Box)][(\circ\Box\Box)]$

11.2. R*-System

$(\circ\Box\Box)(\circ\Box)$ $((\circ\Box\Box))(\circ\Box)$ $(\circ\Box\Box)((\circ\Box))$ $((\circ\Box))(\circ\Box\Box)$ $(\circ\Box)((\circ\Box\Box))$ $((\circ\Box\Box))((\circ\Box))$

$(\circ\Box\Box)(\circ\Box]$ $((\circ\Box\Box))(\circ\Box]$ $(\circ\Box\Box)((\circ\Box])$ $((\circ\Box))(\circ\Box\Box]$ $(\circ\Box)((\circ\Box\Box])$ $((\circ\Box\Box))((\circ\Box])$

$(\circ\Box\Box)[\circ\Box)$ $((\circ\Box\Box))[(\circ\Box)$ $(\circ\Box\Box)[((\circ\Box))$ $((\circ\Box))[(\circ\Box\Box)$ $(\circ\Box)[((\circ\Box\Box))$ $((\circ\Box\Box))[((\circ\Box))$

$(\circ\Box\Box)[\circ\Box]$ $((\circ\Box\Box))[(\circ\Box]$ $(\circ\Box\Box)[((\circ\Box])$ $((\circ\Box))[(\circ\Box\Box]$ $(\circ\Box)[((\circ\Box\Box])$ $((\circ\Box\Box))[((\circ\Box])$

$(\circ\Box\Box](\circ\Box)$ $((\circ\Box\Box)](\circ\Box)$ $(\circ\Box\Box]((\circ\Box))$ $((\circ\Box)](\circ\Box\Box)$ $(\circ\Box]((\circ\Box\Box))$ $((\circ\Box\Box)]((\circ\Box))$

$(\circ\Box\Box](\circ\Box]$ $((\circ\Box\Box)](\circ\Box]$ $(\circ\Box\Box]((\circ\Box])$ $((\circ\Box)](\circ\Box\Box]$ $(\circ\Box]((\circ\Box\Box])$ $((\circ\Box\Box)]((\circ\Box])$

$(\circ\Box\Box][\circ\Box)$ $((\circ\Box\Box)][(\circ\Box)$ $(\circ\Box\Box][((\circ\Box))$ $((\circ\Box)][(\circ\Box\Box)$ $(\circ\Box][((\circ\Box\Box))$ $((\circ\Box\Box)][(\circ\Box))$

$(\circ\Box\Box][\circ\Box]$ $((\circ\Box\Box)][(\circ\Box]$ $(\circ\Box\Box][((\circ\Box])$ $((\circ\Box)][(\circ\Box\Box]$ $(\circ\Box][((\circ\Box\Box])$ $((\circ\Box\Box)][(\circ\Box])$

$[\circ\Box\Box)(\circ\Box)$ $[(\circ\Box\Box))(\circ\Box)$ $[\circ\Box\Box)((\circ\Box))$ $[(\circ\Box))(\circ\Box\Box)$ $[\circ\Box)((\circ\Box\Box))$ $[(\circ\Box\Box))((\circ\Box))$

$[\circ\Box\Box)(\circ\Box]$ $[(\circ\Box\Box))(\circ\Box]$ $[\circ\Box\Box)((\circ\Box])$ $[(\circ\Box))(\circ\Box\Box]$ $[\circ\Box)((\circ\Box\Box])$ $[(\circ\Box\Box))((\circ\Box])$

$[\circ\Box\Box](\circ\Box)$ $[(\circ\Box\Box))](\circ\Box)$ $[\circ\Box\Box]((\circ\Box))$ $[(\circ\Box))](\circ\Box\Box)$ $[\circ\Box]((\circ\Box\Box))$ $[(\circ\Box\Box))](\circ\Box)$

$[\circ\Box\Box](\circ\Box]$ $[(\circ\Box\Box))](\circ\Box]$ $[\circ\Box\Box]((\circ\Box])$ $[(\circ\Box))](\circ\Box\Box]$ $[\circ\Box]((\circ\Box\Box])$ $[(\circ\Box\Box))](\circ\Box])$

$[\circ\Box\Box](\circ\Box)$ $[(\circ\Box\Box)](\circ\Box)$ $[\circ\Box\Box]((\circ\Box))$ $[(\circ\Box)](\circ\Box\Box)$ $[\circ\Box]((\circ\Box\Box))$ $[(\circ\Box\Box)]((\circ\Box))$

$[\circ\Box\Box](\circ\Box]$ $[(\circ\Box\Box)](\circ\Box]$ $[\circ\Box\Box]((\circ\Box])$ $[(\circ\Box)](\circ\Box\Box]$ $[\circ\Box]((\circ\Box\Box])$ $[(\circ\Box\Box)]((\circ\Box])$

$[\circ\Box\Box](\circ\Box)$ $[(\circ\Box\Box)](\circ\Box)$ $[\circ\Box\Box]((\circ\Box))$ $[(\circ\Box)](\circ\Box\Box)$ $[\circ\Box]((\circ\Box\Box))$ $[(\circ\Box\Box)]((\circ\Box))$

$[\circ\Box\Box](\circ\Box]$ $[(\circ\Box\Box)](\circ\Box]$ $[\circ\Box\Box]((\circ\Box])$ $[(\circ\Box)](\circ\Box\Box]$ $[\circ\Box]((\circ\Box\Box])$ $[(\circ\Box\Box)]((\circ\Box])$

12.2. R*-System

$(\circ\Box\Delta)(\circ\Box) \quad ((\circ\Box\Delta))(\circ\Box) \ (\circ\Box\Delta)((\circ\Box)) \ ((\circ\Box))(\circ\Box\Delta) \ (\circ\Box)((\circ\Box\Delta)) \ ((\circ\Box\Delta))((\circ\Box))$

$(\circ\Box\Delta)(\circ\Box] \quad ((\circ\Box\Delta))(\circ\Box] \ (\circ\Box\Delta)((\circ\Box]) \ ((\circ\Box))(\circ\Box\Delta] \ (\circ\Box)((\circ\Box\Delta]) \ ((\circ\Box\Delta))((\circ\Box])$

$(\circ\Box\Delta)[\circ\Box) \quad ((\circ\Box\Delta))[(\circ\Box) \ (\circ\Box\Delta)[(\circ\Box)) \ ((\circ\Box))[(\circ\Box\Delta) \ (\circ\Box)[(\circ\Box\Delta)) \ ((\circ\Box\Delta))[(\circ\Box))$

$(\circ\Box\Delta)[\circ\Box] \quad ((\circ\Box\Delta))[(\circ\Box] \ (\circ\Box\Delta)[(\circ\Box]) \ ((\circ\Box))[(\circ\Box\Delta] \ (\circ\Box)[(\circ\Box\Delta)] \ ((\circ\Box\Delta))[(\circ\Box)]$

$(\circ\Box\Delta](\circ\Box) \quad ((\circ\Box\Delta)](\circ\Box) \ (\circ\Box\Delta]((\circ\Box)) \ ((\circ\Box)](\circ\Box\Delta) \ (\circ\Box]((\circ\Box\Delta)) \ ((\circ\Box\Delta)]((\circ\Box))$

$(\circ\Box\Delta](\circ\Box] \quad ((\circ\Box\Delta)](\circ\Box] \ (\circ\Box\Delta]((\circ\Box]) \ ((\circ\Box)](\circ\Box\Delta] \ (\circ\Box]((\circ\Box\Delta]) \ (\circ\Box\Delta]((\circ\Box])$

$(\circ\Box\Delta][\circ\Box) \quad ((\circ\Box\Delta)][(\circ\Box) \ (\circ\Box\Delta][(\circ\Box)) \ ((\circ\Box)][(\circ\Box\Delta) \ (\circ\Box][(\circ\Box\Delta)) \ ((\circ\Box\Delta)][(\circ\Box))$

$(\circ\Box\Delta][\circ\Box] \quad ((\circ\Box\Delta)][(\circ\Box] \ (\circ\Box\Delta][(\circ\Box]) \ ((\circ\Box)][(\circ\Box\Delta] \ (\circ\Box][(\circ\Box\Delta)] \ ((\circ\Box\Delta)][(\circ\Box)]$

$[\circ\Box\Delta)(\circ\Box) \quad [(\circ\Box\Delta))(\circ\Box) \ [(\circ\Box\Delta))((\circ\Box)) \ [(\circ\Box))(\circ\Box\Delta) \ [(\circ\Box))((\circ\Box\Delta)) \ [(\circ\Box\Delta))((\circ\Box))$

$[\circ\Box\Delta)(\circ\Box] \quad [(\circ\Box\Delta))(\circ\Box] \ [(\circ\Box\Delta))((\circ\Box]) \ [(\circ\Box))(\circ\Box\Delta] \ [(\circ\Box))((\circ\Box\Delta]) \ [(\circ\Box\Delta))((\circ\Box])$

$[\circ\Box\Delta)[\circ\Box) \quad [(\circ\Box\Delta))][(\circ\Box) \ [(\circ\Box\Delta))][(\circ\Box)) \ [(\circ\Box))][(\circ\Box\Delta) \ [(\circ\Box))][(\circ\Box\Delta)) \ [(\circ\Box\Delta))][(\circ\Box))$

$[\circ\Box\Delta)[\circ\Box] \quad [(\circ\Box\Delta))][(\circ\Box] \ [(\circ\Box\Delta))][(\circ\Box]) \ [(\circ\Box))][(\circ\Box\Delta] \ [(\circ\Box))][(\circ\Box\Delta)] \ [(\circ\Box\Delta))][(\circ\Box)]$

$[\circ\Box\Delta](\circ\Box) \quad [(\circ\Box\Delta)](\circ\Box) \ [(\circ\Box\Delta)]((\circ\Box)) \ [(\circ\Box)](\circ\Box\Delta) \ [(\circ\Box)]((\circ\Box\Delta)) \ [(\circ\Box\Delta)]((\circ\Box))$

$[\circ\Box\Delta](\circ\Box] \quad [(\circ\Box\Delta)](\circ\Box] \ [(\circ\Box\Delta)]((\circ\Box]) \ [(\circ\Box)](\circ\Box\Delta] \ [(\circ\Box)]((\circ\Box\Delta]) \ [(\circ\Box\Delta)]((\circ\Box])$

$[\circ\Box\Delta][\circ\Box) \quad [(\circ\Box\Delta)][(\circ\Box) \ [(\circ\Box\Delta)][(\circ\Box)) \ [(\circ\Box)][(\circ\Box\Delta) \ [(\circ\Box)][(\circ\Box\Delta)) \ [(\circ\Box\Delta)][(\circ\Box))$

$[\circ\Box\Delta][\circ\Box] \quad [(\circ\Box\Delta)][(\circ\Box] \ [(\circ\Box\Delta)][(\circ\Box]) \ [(\circ\Box)][(\circ\Box\Delta] \ [(\circ\Box)][(\circ\Box\Delta)] \ [(\circ\Box\Delta)][(\circ\Box)]$

13. (1.3, 2.0)-System

13.1. R-System

(ooo)(oo□) ((ooo))(oo□) (ooo)((oo□)) ((oo□))(ooo)
(oo□)((ooo)) ((ooo))((oo□))

(ooo)(oo□] ((ooo))(oo□] (ooo)((oo□]) ((oo□))(ooo]
(oo□)((ooo)] ((ooo))((oo□])

(ooo)[oo□) ((ooo))[oo□) (ooo)[(oo□)) ((oo□))[ooo)
(oo□)[(ooo)) ((ooo))[oo□)

(ooo)[oo□] ((ooo))[oo□] (ooo)[(oo□)] ((oo□))[ooo]
(oo□)[(ooo)] ((ooo))[oo□]

(ooo](oo□) ((ooo)](oo□) (ooo)((oo□)) ((oo□)](ooo)
(oo□]((ooo)) ((ooo)]((oo□))

(ooo](oo□] ((ooo)](oo□] (ooo)((oo□]) ((oo□)](ooo]
(oo□]((ooo)] (ooo)((oo□])

(ooo)[oo□) ((ooo))[oo□) (ooo)[(oo□)) ((oo□])[ooo)
(oo□)[(ooo)) ((ooo))[oo□)

(ooo)[oo□] ((ooo))[oo□](ooo)[(oo□)]((oo□)](ooo)oo□[(ooo)]((ooo)](oo□)]

[ooo)(oo□) [(ooo))(oo□) [ooo)((oo□)) [(oo□))(ooo)
[oo□)((ooo)) [(ooo))((oo□))

[ooo)(oo□] [(ooo))(oo□] [ooo)((oo□]) [(oo□))(ooo]
[oo□)((ooo)] [(ooo))((oo□)]

[ooo][oo□) [(ooo)](oo□) [ooo][(oo□)) [(oo□)](ooo)
[oo□][(ooo)) [(ooo)](oo□)

[ooo][oo□] [(ooo)](oo□)[oo□](ooo)[(oo□)][(oo□)](ooo)[oo□]oo□[(ooo)][(oo□)](oo□)]

[ooo](oo□) [(ooo)](oo□) [ooo)((oo□)) [(oo□)](ooo)
[oo□]((ooo)) [(ooo))((oo□))

[ooo](oo□] [(ooo)](oo□][oo□]((oo□)][(oo□)](ooo)[oo□]((ooo)][(oo□)](oo□)]

[ooo][oo□) [(ooo)](oo□)[oo□]((oo□))[(oo□)](ooo)[oo□]((ooo))[(oo□)](oo□)]

[ooo][oo□] [(ooo)](oo□)[oo□]((oo□)][(oo□)](ooo)[oo□]((ooo))[(oo□)](oo□)]

13.2. R*-System

(□□□)(□□□) ((□□□))(□□□) (□□□)((□□□)) ((□□□))(□□□)			
(□□□)(□□□] ((□□□))(□□□] (□□□)((□□□)] ((□□□))(□□□]			
(□□□)[□□□) ((□□□))[□□□) (□□□)[(□□□)) ((□□□))[□□□)			
(□□□)[□□□] ((□□□))[□□□] (□□□)[(□□□)] ((□□□))[□□□]			
(□□□](□□□) ((□□□)](□□□) (□□□]((□□□)) ((□□□)](□□□)			
(□□□](□□□] ((□□□)](□□□] (□□□]((□□□)] ((□□□)](□□□]			
(□□□][□□□) ((□□□)][□□□) (□□□][(□□□)) ((□□□)][□□□)			
(□□□][□□□] ((□□□)][□□□] (□□□][(□□□)] ((□□□)][□□□]			
[□□□)(□□□) [(□□□))(□□□) [□□□)((□□□)) [(□□□))(□□□)			
[□□□)(□□□] [(□□□))(□□□] [□□□)((□□□)] [(□□□))(□□□]			
[□□□][□□□) [(□□□)][□□□) [□□□]((□□□)) [(□□□)][□□□)			
[□□□][□□□] [(□□□)][□□□] [□□□]((□□□)] [(□□□)][□□□]			
□□□ [(□□□)](□□□) [□□□]((□□□)) [(□□□)](□□□)			
[□□□](□□□] [(□□□)](□□□] [□□□]((□□□)] [(□□□)](□□□]			
[□□□][□□□) [(□□□)][□□□) [□□□]((□□□)) [(□□□)][□□□)			
[□□□][□□□] [(□□□)][□□□] [□□□]((□□□)] [(□□□)][□□□]			
□□□ [(□□□)](□□□) [□□□]((□□□)) [(□□□)](□□□)			
[□□□](□□□] [(□□□)](□□□] [□□□]((□□□)] [(□□□)](□□□]			
[□□□][□□□) [(□□□)][□□□) [□□□]((□□□)) [(□□□)][□□□)			
[□□□][□□□] [(□□□)][□□□] [□□□]((□□□)] [(□□□)][□□□]			

14. (1.3, 2.1)-System

14.1. R-System

(ooo)(o□o) ((ooo))(o□o) (ooo)((o□o)) ((o□o))(ooo)
(o□o)((ooo)) ((ooo))((o□o))

(ooo)(o□o] ((ooo))(o□o] (ooo)((o□o]) ((o□o))(ooo]
(o□o)((ooo)] ((ooo))((o□o)]

(ooo)[o□o) ((ooo))[o□o) (ooo)[(o□o)) ((o□o))[ooo)
(o□o)[(ooo)) ((ooo))[o□o)

(ooo)[o□o] ((ooo))[o□o] (ooo)[(o□o)] ((o□o))[ooo]
(o□o)[(ooo)] ((ooo))[o□o)]

(ooo](o□o) ((ooo)](o□o) (ooo)((o□o)) ((o□o)](ooo)
(o□o)](ooo)) ((ooo)](o□o))

(ooo](o□o] ((ooo)](o□o] (ooo)((o□o]) ((o□o)](ooo]
(o□o)](ooo)] (ooo)](o□o)]

(ooo)[o□o) ((ooo))[o□o) (ooo)[(o□o)) ((o□o))[ooo)
(o□o)[(ooo)) ((ooo))[o□o)

(ooo)[o□o] ((ooo))[o□o](ooo)(o□o)[ooo](o□o)[(ooo)]((ooo)](o□o)]

[ooo)(o□o) [(ooo))(o□o) [ooo)((o□o)) [(o□o))(ooo)
[o□o)((ooo)) [(ooo))((o□o))

[ooo)(o□o] [(ooo))(o□o] [ooo)((o□o)] [(o□o))(ooo]
[o□o)((ooo)] [(ooo))((o□o)]

[ooo][o□o) [(ooo))[o□o) [ooo][o□o)] [(o□o))[ooo)
[o□o][o□o)] [(ooo))[o□o)]

[ooo][o□o] [(ooo))[o□o][ooo][o□o)]((o□o)]((o□o))[ooo][o□o][o□o)]((ooo)]((o□o)]

[ooo](o□o) [(ooo)](o□o) [ooo)((o□o)) [(o□o)](ooo)
[o□o](ooo)) [(ooo)](o□o))

[ooo](o□o] [(ooo)](o□o][ooo]((o□o)]((o□o))(ooo)[o□o]((ooo)]((ooo)]((o□o)]

[ooo][o□o) [(ooo)](o□o)[ooo]((o□o))[(o□o)](ooo)[o□o]((ooo))[(ooo)](o□o))

[ooo][o□o] [(ooo)](o□o)[ooo]((o□o)]((o□o)](ooo)[o□o]((ooo)]((ooo)](o□o)]

14.2. R*-System

(□□)(○○○) ((□□))(○○○)	(□□)((○○○))	((○○○))(□□)
(○○)(□□)	((□□))(○○)	
(□□)(○○□] ((□□))(○○□]	(□□)((○○○)]	((○○○))(□□]
(○○)(□□]	((□□))(○○)	
(□□)[○○○) ((□□))[○○○)	(□□)[(○○○))	((○○○))[□□)
(○○)[(□□)]	((□□))[○○○)	
(□□)[○○□] ((□□))[○○□]	(□□)[(○○○)]	((○○○))[□□]
(○○)[(□□)]	((□□))[○○○)]	
(□□](○○○) ((□□)](○○○) (□□]((○○○)) ((○○○)](□□)		
(○○)](□□)	((□□)](○○○))	
(□□](○○○] ((□□)](○○○]	(□□]((○○○)]	((○○○)](□□]
(○○)](□□)]	(□□]((○○○)]	
(□□][○○○) ((□□)][○○○)	(□□][(○○○))	((○○○)][□□)
(○○)][(□□)]	((□□)][○○○))	
(□□][○○□] ((□□)][○○□](□□][(○○○)]((○○○)][□□](○○○)][(□□)]((□□)][(○○○)]		
[□□)(○○○) [(□□))(○○○) [□□)((○○○)) [(○○○))(□□)		
[○○)(□□)	[(□□))(○○○)	
[□□)(○○□] [(□□))(○○□]	[□□)((○○○)]	[(○○○))(□□]
[○○)(□□]	[(□□))(○○○)]	
[□□][○○○) [(□□)][○○○)	[□□][(○○○))	[(○○○)][□□)
[○○)][(□□)]	[(□□)][○○○))	
[□□][○○□] [(□□)][○○□][□□][(○○○)][(○○○)][□□][○○○][(□□)][(□□)][(○○○)]		
[□□](○○○) [(□□)](○○○) [□□]((○○○)) [(○○○)](□□)		
[○○](□□)	[(□□)](○○○))	
[□□](○○□] [(□□)](○○□][□□]((○○○)][(○○○)](□□][○○○][(□□)][(□□)][(○○○)]		
[□□][○○○) [(□□)][○○○][□□][(○○○)][(○○○)][□□][○○○][(□□)][(□□)][(○○○)]		
[□□][○○□] [(□□)][○○□][□□][(○○○)][(○○○)][□□][○○○][(□□)][(□□)][(○○○)]		

15. (1.3, 2.2)-System

15.1. R-System

(ooo)(o□□) ((ooo))(o□□) (ooo)((o□□)) ((o□□))(ooo)
(o□□)((ooo)) ((ooo))(o□□)

(ooo)(o□□] ((ooo))(o□□] (ooo)((o□□]) ((o□□])(ooo]
(o□□]((ooo)] ((ooo))(o□□])

(ooo)[o□□) ((ooo))[o□□) (ooo)[(o□□)) ((o□□))[ooo)
(o□□)[(ooo)) ((ooo))[o□□)

(ooo)[o□□] ((ooo))[o□□] (ooo)[(o□□)] ((o□□))[ooo]
(o□□)[(ooo)] ((ooo))[o□□]

(ooo](o□□) ((ooo)](o□□) (ooo)((o□□)) ((o□□])(ooo)
(o□□]((ooo)) ((ooo)](o□□))

(ooo](o□□] ((ooo)](o□□] (ooo)((o□□]) ((o□□])(ooo]
(o□□]((ooo)] (ooo)](o□□])

(ooo][o□□) ((ooo)][o□□) (ooo)[(o□□)) ((o□□)][ooo)
(o□□)[(ooo)) ((ooo)][o□□)

(ooo][o□□] ((ooo)][o□□] (ooo)[(o□□)] ((o□□)][ooo]
(o□□)[(ooo)] ((ooo)][o□□]

[ooo)(o□□) [(ooo))(o□□) [ooo)((o□□)) [(o□□))(ooo)
[o□□]((ooo)) [(ooo))(o□□)

[ooo)(o□□] [(ooo))(o□□] [ooo)((o□□]) [(o□□))(ooo]
[o□□]((ooo)] [(ooo))(o□□]

[ooo][o□□) [(ooo)][o□□) [ooo)[(o□□)) [(o□□)][ooo)
[o□□][(ooo)) [(ooo)][o□□)

[ooo][o□□] [(ooo)][o□□] [ooo)[(o□□)] [(o□□)][ooo]
[o□□][(ooo)] [(ooo)][o□□]

[ooo](o□□) [(ooo)](o□□) [ooo]((o□□)) [(o□□)](ooo)
[o□□]((ooo)) [(ooo)](o□□)

[ooo](o□□] [(ooo)](o□□] [ooo]((o□□]) [(o□□)](ooo]
[o□□]((ooo)] [(ooo)](o□□])

$[ooo][o\Box\Box] \quad [(ooo)][o\Box\Box] \quad [ooo][(o\Box\Box)] \quad [(o\Box\Box)][ooo]$
 $[o\Box\Box][(ooo)] \quad [(ooo)][(o\Box\Box)]$
 $[ooo][o\Box\Box] \quad [(ooo)][o\Box\Box][ooo][(o\Box\Box)][(o\Box\Box)][ooo][o\Box\Box][(ooo)][(ooo)][(o\Box\Box)]$

15.2. R*-System

$(o\Box\Box)(ooo) \quad ((o\Box\Box))(ooo) \quad (o\Box\Box)((ooo)) \quad ((ooo))(o\Box\Box)$
 $(ooo)(o\Box\Box) \quad ((o\Box\Box))(ooo)$
 $(o\Box\Box)(ooo] \quad ((o\Box\Box))(ooo] \quad (o\Box\Box)((ooo]) \quad ((ooo))(o\Box\Box]$
 $(ooo)(o\Box\Box] \quad ((o\Box\Box))(ooo]$
 $(o\Box\Box)[ooo) \quad ((o\Box\Box])[ooo) \quad (o\Box\Box]([ooo)) \quad ((ooo))[o\Box\Box)$
 $(ooo)[(o\Box\Box)) \quad ((o\Box\Box])[ooo)$
 $(o\Box\Box)[ooo] \quad ((o\Box\Box])[ooo] \quad (o\Box\Box]([ooo]) \quad ((ooo))[o\Box\Box]$
 $(ooo)[(o\Box\Box)] \quad ((o\Box\Box])[ooo]$

 $(o\Box\Box](ooo) \quad ((o\Box\Box)](ooo) \quad (o\Box\Box]((ooo)) \quad ((ooo)](o\Box\Box)$
 $(ooo)]((o\Box\Box)) \quad ((o\Box\Box)](ooo))$
 $(o\Box\Box](ooo] \quad ((o\Box\Box)](ooo] \quad (o\Box\Box]([ooo]) \quad ((ooo)](o\Box\Box]$
 $(ooo)]((o\Box\Box)] \quad (o\Box\Box]([ooo])$
 $(o\Box\Box][ooo) \quad ((o\Box\Box])[ooo) \quad (o\Box\Box]([ooo)) \quad ((ooo)](o\Box\Box)$
 $(ooo)]([o\Box\Box)) \quad ((o\Box\Box])[ooo)$
 $(o\Box\Box][ooo] \quad ((o\Box\Box])[ooo] \quad (o\Box\Box]([ooo]) \quad ((ooo)](o\Box\Box]$
 $(ooo)]([o\Box\Box)] \quad ((o\Box\Box])[ooo]$

 $[o\Box\Box)(ooo) \quad [(o\Box\Box))(ooo) \quad [o\Box\Box)((ooo)) \quad [(ooo))(o\Box\Box)$
 $[ooo)((o\Box\Box)) \quad [(o\Box\Box))(ooo)$
 $[o\Box\Box)(ooo] \quad [(o\Box\Box))(ooo] \quad [o\Box\Box)((ooo]) \quad [(ooo))(o\Box\Box]$
 $[ooo)((o\Box\Box)] \quad [(o\Box\Box))(ooo]$
 $[o\Box\Box][ooo) \quad [(o\Box\Box])[ooo) \quad [o\Box\Box]([ooo)) \quad [(ooo)](o\Box\Box)$
 $[ooo]([o\Box\Box)) \quad [(o\Box\Box])[ooo)$
 $[o\Box\Box][ooo] \quad [(o\Box\Box])[ooo] \quad [o\Box\Box]([ooo]) \quad [(ooo)](o\Box\Box]$
 $[ooo]([o\Box\Box)] \quad [(o\Box\Box])[ooo]$

$[\square\square](\circ\circ\circ)$	$[(\circ\square\square)](\circ\circ\circ)$	$[\square\square](\circ\circ\circ)$	$[(\circ\circ\circ)](\circ\square\square)$
$[\circ\circ\circ](\circ\square\square)$	$[(\circ\square\square)](\circ\circ\circ)$		
$[\square\square](\circ\circ\circ)$	$[(\circ\square\square)](\circ\circ\circ)$	$[\square\square](\circ\circ\circ)$	$[(\circ\circ\circ)](\circ\square\square)$
$[\circ\circ\circ](\circ\square\square)$	$[(\circ\square\square)](\circ\circ\circ)$		
$[\square\square][\circ\circ\circ)$	$[(\circ\square\square)][\circ\circ\circ)$	$[\square\square][(\circ\circ\circ)$	$[(\circ\circ\circ)][\circ\square\square)$
$[\circ\circ\circ][(\circ\square\square)$	$[(\circ\square\square)][(\circ\circ\circ)$		
$[\square\square][\circ\circ\circ]$	$[(\circ\square\square)][\circ\circ\circ]$	$[\square\square][(\circ\circ\circ)]$	$[(\circ\circ\circ)][\circ\square\square]$
$[(\circ\square\square)][\circ\circ\circ]$	$[(\circ\circ\circ)][\circ\square\square]$	$[(\circ\circ\circ)][\circ\square\square]$	$[(\circ\square\square)][(\circ\circ\circ)]$

16. (1.3, 2.3)-System

16.1. R-System

$(\circ\circ\circ)(\circ\square\Delta)$	$((\circ\circ\circ))(\circ\square\Delta)$	$(\circ\circ\circ)((\circ\square\Delta))$	$((\circ\square\Delta))(\circ\circ\circ)$
$(\circ\square\Delta)(\circ\circ\circ)$	$((\circ\circ\circ))(\circ\square\Delta)$		
$(\circ\circ\circ)(\circ\square\Delta]$	$((\circ\circ\circ))(\circ\square\Delta]$	$(\circ\circ\circ)((\circ\square\Delta])$	$((\circ\square\Delta]) (\circ\circ\circ]$
$(\circ\square\Delta)(\circ\circ\circ)]$	$((\circ\circ\circ))(\circ\square\Delta)]$		
$(\circ\circ\circ)[\circ\square\Delta)$	$((\circ\circ\circ))[\circ\square\Delta)$	$(\circ\circ\circ)[(\circ\square\Delta)$	$((\circ\square\Delta))[\circ\circ\circ)$
$(\circ\square\Delta)[(\circ\circ\circ)$	$((\circ\circ\circ))[(\circ\square\Delta)$		
$(\circ\circ\circ)[\circ\square\Delta]$	$((\circ\circ\circ))[\circ\square\Delta]$	$(\circ\circ\circ)[(\circ\square\Delta)]$	$((\circ\square\Delta))[\circ\circ\circ]$
$(\circ\square\Delta)[(\circ\circ\circ)]$	$((\circ\circ\circ))[(\circ\square\Delta)]$		
$(\circ\circ\circ)[\circ\square\Delta)$	$((\circ\circ\circ))[\circ\square\Delta)$	$(\circ\circ\circ)[(\circ\square\Delta)$	$((\circ\square\Delta))[\circ\circ\circ)$
$(\circ\square\Delta)[(\circ\circ\circ)]$	$((\circ\circ\circ))[(\circ\square\Delta)]$		
$(\circ\circ\circ)[\circ\square\Delta]$	$((\circ\circ\circ))[\circ\square\Delta]$	$(\circ\circ\circ)[(\circ\square\Delta)]$	$((\circ\square\Delta))[\circ\circ\circ]$
$(\circ\square\Delta)[(\circ\circ\circ)]$	$((\circ\circ\circ))[(\circ\square\Delta)]$		
$[\circ\circ\circ)(\circ\square\Delta)$	$[(\circ\circ\circ))(\circ\square\Delta)$	$[\circ\circ\circ)((\circ\square\Delta))$	$[(\circ\square\Delta))(\circ\circ\circ)$
$[\circ\square\Delta)(\circ\circ\circ)$	$[(\circ\circ\circ))(\circ\square\Delta)$		
$[\circ\circ\circ)(\circ\square\Delta]$	$[(\circ\circ\circ))(\circ\square\Delta]$	$[\circ\circ\circ)((\circ\square\Delta)]$	$[(\circ\square\Delta))(\circ\circ\circ]$
$[\circ\square\Delta)(\circ\circ\circ)]$	$[(\circ\circ\circ))(\circ\square\Delta)]$		

[ooo][o□Δ)	[(ooo)](o□Δ)	[ooo]((o□Δ))	[(o□Δ)](ooo)
[o□Δ]((ooo))	[(ooo)]((o□Δ))		

[ooo][o□Δ]	[(ooo)](o□Δ)	[ooo]((o□Δ))	[(o□Δ)](ooo)
[o□Δ]((ooo))	[(ooo)]((o□Δ))		

[ooo](o□Δ)	[(ooo)](o□Δ)	[ooo]((o□Δ))	[(o□Δ)](ooo)
[o□Δ]((ooo))	[(ooo)]((o□Δ))		

[ooo](o□Δ]	[(ooo)](o□Δ]	[ooo]((o□Δ))	[(o□Δ)](ooo)
[o□Δ]((ooo))	[(ooo)]((o□Δ))		

[ooo][o□Δ)	[(ooo)](o□Δ)	[ooo]((o□Δ))	[(o□Δ)](ooo)
[o□Δ]((ooo))	[(ooo)]((o□Δ))		

[ooo][o□Δ]	[(ooo)](o□Δ]	[ooo]((o□Δ))	[(o□Δ)](ooo)
[o□Δ]((ooo))	[(ooo)]((o□Δ))		

16.2. R*-System

(o□Δ)(ooo)	((o□Δ))(ooo)	(o□Δ)((ooo))	((ooo))(o□Δ)
(ooo)((o□Δ))	((o□Δ))((ooo))		

(o□Δ)(ooo]	((o□Δ))(ooo]	(o□Δ)((ooo))	((ooo))(o□Δ]
(ooo)((o□Δ)]	((o□Δ))((ooo))		

(o□Δ)[ooo)	((o□Δ)](ooo)	(o□Δ)[(ooo))	((ooo)](o□Δ)
(ooo)[(o□Δ)]	((o□Δ)]((ooo))		

(o□Δ)[ooo]	((o□Δ)](ooo]	(o□Δ)[(ooo)]	((ooo)](o□Δ]
(ooo)[(o□Δ)]	((o□Δ)]((ooo))		

(o□Δ](ooo)	((o□Δ)](ooo)	(o□Δ]((ooo))	((ooo)](o□Δ)
(ooo)]((o□Δ))	((o□Δ)]((ooo))		

(o□Δ](ooo]	((o□Δ)](ooo]	(o□Δ]((ooo))	((ooo)](o□Δ]
(ooo)]((o□Δ)]	(o□Δ]((ooo))		

(o□Δ][ooo)	((o□Δ)](ooo)	(o□Δ][(ooo))	((ooo)](o□Δ)
(ooo)]((o□Δ))	((o□Δ)]((ooo))		

(o□Δ][ooo]	((o□Δ)](ooo]	(o□Δ][(ooo)]	((ooo)](o□Δ]
(ooo)]((o□Δ)]	((o□Δ)]((ooo))		

[□△](○○○) [(□△))(○○○) [□△)((○○○)) [(○○○))(□△)
[○○○)((□△)) [(□△))((○○○))

[□△](○○○] [(□△))(○○○] [□△)((○○○)] [(○○○))(□△]
[○○○)((□△)] [(□△))((○○○)]

[□△][○○○) [(□△)][○○○) [□△][(○○○)) [(○○○)][□△]
[○○○][(□△)) [(□△)][(○○○))

[□△][○○○] [(□△)][○○○] [□△][(○○○)] [(○○○)][□△]
[○○○][(□△)] [(□△)][(○○○)]

[□△](○○○) [(□△)](○○○) [□△)((○○○)) [(○○○)](□△)
[○○○]](□△)) [(□△)]((○○○))

[□△](○○○] [(□△)](○○○] [□△]](○○○)] [(○○○)](□△]
[○○○]](□△)] [(□△)]((○○○)]

[□△][○○○) [(□△)][○○○) [□△]](○○○)) [(○○○)](□△)
[○○○]](□△)) [(□△)]((○○○))

[□△][○○○] [(□△)][○○○] [□△]](○○○)] [(○○○)](□△]
[○○○]](□△)] [(□△)]((○○○)]

VII. System der tritoäquivalenten zellulären Automaten

1. (1.0, 2.0)-System

1.1. R-System

(0)

(001)

((0))

(001)

(0)

((001))

((001))

(0)

(001)

((0))

((0))

((001))

(0)

(001]

((0))
(001]

(0)
((001)]

((001))
(0]

(001)
((0)]

((0))
((001)]

(0)
[001)

((0))
[001)

(0)
[(001))

((001))

[0]

(001)

[(0)]

((0))

[(001)]

(0)

[001]

((0))

[001]

(0)

[(001)]

((001))

[0]

(001)

[(0)]

$((0))$

$[(001)]$

$(0]$

(001)

$((0])$

(001)

$(0]$

$((001))$

$((001])$

(0)

$(001]$

$((0))$

$((0])$

$((001))$

$(0]$

$(001]$

$((0))$
 (001)

(0)
 $((001))$

$((001))$
 (0)

(001)
 $((0))$

(0)
 $((001))$

(0)
 $[001)$

$((0))$
 $[001)$

(0)
 $[(001))$

$((001))$

$[0]$

(001)

$[(0)]$

$((0))$

$[(001)]$

(0)

$[001]$

$((0))$

$[001]$

(0)

$[(001)]$

$((001))$

$[0]$

(001)

$[(0)]$

$((0))$

$[(001)]$

$[0)$

(001)

$[(0))$

(001)

$[0)$

$((001))$

$[(001))$

(0)

$[001)$

$((0))$

$[(0))$

$((001))$

$[0)$

$(001]$

$[(0)]$
 (001)

$[0]$
 $((001))$

$[(001)]$
 (0)

$[001]$
 $((0))$

$[(0)]$
 $((001))$

$[0]$
 $[001]$

$[(0)]$
 $[001]$

$[0]$
 $[(001)]$

[(001))

[0)

[001)

[(0))

[(0))

[(001))

[0)

[001]

[(0))

[001]

[0)

[(001)]

[(001))

[0]

[001)

[(0)]

$[(0)]$

$[(001)]$

$[0]$

(001)

$[(0)]$

(001)

$[0]$

$((001))$

$[(001)]$

(0)

$[001]$

$((0))$

$[(0)]$

$((001))$

$[0]$

(001)

$[(0)]$
 (001)

$[0]$
 $((001))$

$[(001)]$
 (0)

$[001]$
 $((0))$

$[(0)]$
 $((001))$

$[0]$
 $[001)$

$[(0)]$
 $[001)$

$[0]$
 $[(001))$

[(001)]

[0]

[001]

[(0))

[(0)]

[(001))

[0]

[001]

[(0)]

[001]

[0]

[(001)]

[(001)]

[0]

[001]

[(0)]

$[(0)]$

$[(001)]$

1.2. R*-System

(001)

(0)

$((001))$

(0)

(001)

$((0))$

$((0))$

(001)

(0)

$((001))$

$((001))$

$((0))$

(001)

(0)

((001))

(0]

(001)

((0)]

((0))

(001]

(0)

((001)]

((001))

((0)]

(001)

[0)

((001))

[0)

(001)

[(0))

((0))
[001)

(0)
[(001))

((001))
[(0))

(001)
[0]

((001))
[0]

(001)
[(0)]

((0))
[001]

(0)
[(001)]

((001))

[(0)]

(001]

(0)

((001])

(0)

(001]

((0))

((0)]

(001)

(0]

((001))

((001])

((0))

(001]

(0]

((001])

(0]

(001]

((0])

((0])

(001]

(0]

((001])

(001]

((0])

(001]

[0)

((001])

[0)

(001]

[(0))

((0)]
[001)

(0]
[(001))

((001)]
[(0))

(001]
[0]

((001)]
[0]

(001]
[(0)]

((0)]
[001]

(0]
[(001)]

$((001)]$

$[(0)]$

$[001)$

(0)

$[(001))$

(0)

$[001)$

$((0))$

$[(0))$

(001)

$[0)$

$((001))$

$[(001))$

$((0))$

$[001)$

$(0]$

[(001))
(0]

[001)
((0)]

[(0))
(001]

[0)
((001)]

[(001))
((0)]

[001)
[0)

[(001))
[0)

[001)
[(0))

[(0))

[001)

[0)

[(001))

[(001))

[(0))

[001)

[0]

[(001))

[0]

[001)

[(0)]

[(0))

[001]

[0)

[(001)]

$[(001))$

$[(0)]$

$[001]$

(0)

$[(001)]$

(0)

$[001]$

$((0))$

$[(0)]$

(001)

$[0]$

$((001))$

$[(001)]$

$((0))$

$[001]$

(0)

[(001)]
(0)

[001]
((0))

[(0)]
(001)

[0]
((001))

[(001)]
((0))

[001]
[0]

[(001)]
[0]

[001]
[(0))

[(0)]
[001)

[0]
[(001))

[(001)]
[(0))

[001]
[0]

[(001)]
[0]

[001]
[(0)]

[(0)]
[001]

[0]
[(001)]

[(001)]

[(0)]

2. (1.0, 2.1)-System

2.1. R-System

(0)

(010)

((0))

(010)

(0)

((010))

((010))

(0)

(010)

((0))

((0))

((010))

(0)

(010]

((0))
(010]

(0)
((010])

((010))
(0]

(010)
((0])

((0))
((010])

(0)
[010)

((0))
[010)

(0)
[(010))

((010))

[0]

(010)

[(0)]

((0))

[(010))

(0)

[010]

((0))

[010]

(0)

[(010)]

((010))

[0]

(010)

[(0)]

((0))

[(010)]

(0]
(010)

((0)]
(010)

(0]
((010))

((010)]
(0)

(010]
((0))

((0)]
((010))

(0]
(010]

((0)]
(010]

(0]

((010]

((010]

(0]

(010]

((0)]

(0]

((010]

(0]

[010)

((0)]

[010)

(0]

[(010))

((010)]

[0)

(010]

[(0))

((0)]

[(010))

(0]

[010]

((0)]

[010]

(0]

[(010)]

((010)]

[0]

(010]

[(0)]

((0)]

[(010)]

[0]

(010)

[(0)]

(010)

[0]

((010))

[(010)]

(0)

[010]

((0))

[(0)]

((010))

[0]

(010]

[(0)]

(010]

[0]
((010)]

[(010))
(0]

[010)
((0)]

[(0))
((010)]

[0)
[010)

[(0))
[010)

[0)
[(010))

[(010))
[0)

[010)

[(0))

[(0))

[(010))

[0)

[010]

[(0))

[010]

[0)

[(010)]

[(010))

[0]

[010)

[(0)]

[(0))

[(010)]

[0]
(010)

[(0)]
(010)

[0]
((010))

[(010)]
(0)

[010]
((0))

[(0)]
((010))

[0]
(010]

[(0)]
(010]

[0]
((010)]

[(010)]
(0]

[010]
((0)]

[(0)]
((010)]

[0]
[010)

[(0)]
[010)

[0]
[(010))

[(010)]
[0)

[010]

[(0)]

[(0)]

[(010))

[0]

[010]

[(0)]

[010]

[0]

[(010)]

[(010)]

[0]

[010]

[(0)]

[(0)]

[(010)]

2.2. R*-System

(010)

(0)

((010))

(0)

(010)

((0))

((0))

(010)

(0)

((010))

((010))

((0))

(010)

(0]

((010))

(0]

(010)

((0])

((0))

(010]

(0)

((010])

((010))

((0])

(010)

[0)

((010))

[0)

(010)

[(0))

((0))

[010)

(0)

[(010))

((010))

[(0))

(010)

[0]

((010))

[0]

(010)

[(0)]

((0))

[010]

(0)

[(010)]

((010))

[(0)]

(010]

(0)

((010]

(0)

(010]

((0))

((0)]

(010)

(0]

((010))

((010)]

((0))

(010]

(0]

((010)]

(0]

(010]

((0]

((0]

(010]

(0]

((010]

(010]

((0]

(010]

[0)

((010]

[0)

(010]

[(0))

((0)]

[010)

(0)
[(010))

((010])
[(0))

(010]
[0]

((010])
[0]

(010]
[(0)]

((0])
[010]

(0)
[(010)]

((010])
[(0)]

[010)

(0)

[(010))

(0)

[010)

((0))

[(0))

(010)

[0)

((010))

[(010))

((0))

[010)

(0]

[(010))

(0]

[010)

((0)]

[(0))

(010]

[0)

((010)]

[(010))

((0)]

[010)

[0)

[(010))

[0)

[010)

[(0))

[(0))

[010)

[0]

[(010))

[(010))

[(0))

[010)

[0]

[(010))

[0]

[010)

[(0)]

[(0))

[010]

[0]

[(010)]

[(010))

[(0)]

[010]

(0)

[(010)]

(0)

[010]

((0))

[(0)]

(010)

[0]

((010))

[(010)]

((0))

[010]

(0)

[(010)]

(0)

[010]

((0))

[(0)]

(010)

[0]

((010))

[(010)]

((0))

[010]

[0]

[(010)]

[0]

[010]

[(0))

[(0)]

[010)

[0]

[(010))

[(010)]

[(0))

[010]

[0]

[(010)]

[0]

[010]

[(0)]

[(0)]

[010]

[0]

[(010)]

[(010)]

[(0)]

3. (1.0, 2.2)-System

3.1. R-System

(0)

(011)

((0))

(011)

(0)

((011))

((011))

(0)

(011)

((0))

((0))

((011))

(0)

(011]

((0))

(011]

(0)

((011)]

((011))

(0]

(011)

((0)]

((0))

((011)]

(0)

[011)

((0))

[011)

(0)

[(011))

((011))

[0)

(011)

[(0)]

((0))

[(011))

(0)

[011]

((0))

[011]

(0)

[(011)]

((011))

[0]

(011)

[(0)]

((0))

[(011)]

(0]

(011)

((0])

(011)

(0]

((011))

((011])

(0)

(011]

((0))

((0])

((011))

(0]

(011]

((0])

(011]

(0]

((011])

((011])

(0]

(011]

((0])

(0]

((011])

(0]

[011)

((0])

[011)

(0]

[(011))

((011])

[0)

(011]

[(0))

((0)]

[(011))

(0]

[011]

((0)]

[011]

(0]

[(011)]

((011)]

[0]

(011]

[(0)]

((0)]

[(011)]

[0]

(011)

[(0)]

(011)

[0]

((011))

[(011)]

(0)

[011]

((0))

[(0)]

((011))

[0]

(011]

[(0)]

(011]

[0]
((011))

[(011))
(0]

[011)
((0)]

[(0))
((011))

[0)
[011)

[(0))
[011)

[0)
[(011))

[(011))
[0)

[011)

[(0))

[(0))

[(011))

[0)

[011]

[(0))

[011]

[0)

[(011)]

[(011))

[0]

[011)

[(0)]

[(0))

[(011)]

[0]
(011)

[(0)]
(011)

[0]
((011))

[(011)]
(0)

[011]
((0))

[(0)]
((011))

[0]
(011]

[(0)]
(011]

[0]
((011))

[(011)]
(0)

[011]
((0))

[(0)]
((011))

[0]
[011)

[(0)]
[011)

[0]
[(011))

[(011)]
[0)

[011]

[(0)]

[(0)]

[(011))

[0]

[011]

[(0)]

[011]

[0]

[(011)]

[(011)]

[0]

[011]

[(0)]

[(0)]

[(011)]

3.2.R*-System

(011)

(0)

((011))

(0)

(011)

((0))

((0))

(011)

(0)

((011))

((011))

((0))

(011)

(0]

((011))

(0]

(011)

((0])

((0))

(011]

(0)

((011])

((011))

((0])

(011)

[0)

((011))

[0)

(011)

[(0))

((0))

[011)

(0)
[(011))

((011))
[(0))

(011)
[0]

((011))
[0]

(011)
[(0)]

((0))
[011]

(0)
[(011)]

((011))
[(0)]

(011]

(0)

((011])

(0)

(011]

((0))

((0])

(011)

(0]

((011))

((011])

((0))

(011]

(0]

((011])

(0]

(011]

((0]

((0]

(011]

(0]

((011)]

(011]

((0]

(011]

[0)

((011)]

[0)

(011]

[(0))

((0)]

[011)

(0)
[(011))

((011])
[(0))

(011]
[0]

((011])
[0]

(011]
[(0)]

((0)]
[011]

(0)
[(011)]

((011])
[(0)]

[011)

(0)

[(011))

(0)

[011)

((0))

[(0))

(011)

[0)

((011))

[(011))

((0))

[011)

(0]

[(011))

(0]

[011)

((0)]

[(0))

(011]

[0)

((011)]

[(011))

((0)]

[011)

[0)

[(011))

[0)

[011)

[(0))

[(0))

[011)

[0]

[(011))

[(011))

[(0))

[011)

[0]

[(011))

[0]

[011)

[(0)]

[(0))

[011]

[0]

[(011)]

[(011))

[(0)]

[011]

(0)

[(011)]

(0)

[011]

((0))

[(0)]

(011)

[0]

((011))

[(011)]

((0))

[011]

(0)

[(011)]

(0)

[011]

((0))

[(0)]

(011)

[0]

((011))

[(011)]

((0))

[011]

[0]

[(011)]

[0]

[011]

[(0))

[(0)]

[011)

[0]
[(011))

[(011)]
[(0))

[011]
[0]

[(011)]
[0]

[011]
[(0)]

[(0)]
[011]

[0]
[(011)]

[(011)]
[(0)]

4. (1.0, 2.3)-System

4.1. R-System

(0)

(012)

((0))

(012)

(0)

((012))

((012))

(0)

(012)

((0))

((0))

((012))

(0)

(012]

((0))

(012]

(0)

((012)]

((012))

(0]

(012)

((0)]

((0))

((012)]

(0)

[012)

((0))

[012)

(0)

[(012))

((012))

[0)

(012)

[(0)]

((0))

[(012))

(0)

[012]

((0))

[012]

(0)

[(012)]

((012))

[0]

(012)

[(0)]

((0))

[(012)]

(0]
(012)

((0)]
(012)

(0]
((012))

((012)]
(0)

(012]
((0))

((0)]
((012))

(0]
(012]

((0)]
(012]

(0]

((012])

((012])

(0]

(012]

((0])

(0]

((012])

(0]

[012)

((0])

[012)

(0]

[(012))

((012])

[0)

(012]

[(0))

((0)]

[(012))

(0]

[012]

((0)]

[012]

(0]

[(012)]

((012)]

[0]

(012]

[(0)]

((0)]

[(012)]

[0)

(012)

[(0))

(012)

[0)

((012))

[(012))

(0)

[012)

((0))

[(0))

((012))

[0)

(012]

[(0))

(012]

[0]
((012)]

[(012))
(0]

[012)
((0)]

[(0))
((012)]

[0)
[012)

[(0))
[012)

[0)
[(012))

[(012))
[0)

[012)

[(0))

[(0))

[(012))

[0)

[012]

[(0))

[012]

[0)

[(012)]

[(012))

[0]

[012)

[(0)]

[(0))

[(012)]

[0]
(012)

[(0)]
(012)

[0]
((012))

[(012)]
(0)

[012]
((0))

[(0)]
((012))

[0]
(012]

[(0)]
(012]

[0]
((012)]

[(012)]
(0]

[012]
((0)]

[(0)]
((012)]

[0]
[012)

[(0)]
[012)

[0]
[(012))

[(012)]
[0)

[012]

[(0)]

[(0)]

[(012))

[0]

[012]

[(0)]

[012]

[0]

[(012)]

[(012)]

[0]

[012]

[(0)]

[(0)]

[(012)]

4.2. R*-System

(012)

(0)

((012))

(0)

(012)

((0))

((0))

(012)

(0)

((012))

((012))

((0))

(012)

(0]

((012))

(0]

(012)

((0])

((0))

(012]

(0)

((012])

((012))

((0])

(012)

[0)

((012))

[0)

(012)

[(0))

((0))

[012)

(0)
[(012))

((012))
[(0))

(012)
[0]

((012))
[0]

(012)
[(0)]

((0))
[012]

(0)
[(012)]

((012))
[(0)]

(012]

(0)

((012])

(0)

(012]

((0))

((0])

(012)

(0]

((012))

((012])

((0))

(012]

(0]

((012])

(0]

(012]

((0]

((0]

(012]

(0]

((012)]

(012]

((0]

(012]

[0)

((012)]

[0)

(012]

[(0))

((0)]

[012)

(0)
[(012))

((012])
[(0))

(012]
[0]

((012])
[0]

(012]
[(0)]

((0)]
[012]

(0)
[(012)]

((012])
[(0)]

[012)

(0)

[(012))

(0)

[012)

((0))

[(0))

(012)

[0)

((012))

[(012))

((0))

[012)

(0]

[(012))

(0]

[012)

((0)]

[(0))

(012]

[0)

((012)]

[(012))

((0)]

[012)

[0)

[(012))

[0)

[012)

[(0))

[(0))

[012)

[0]

[(012))

[(012))

[(0))

[012)

[0]

[(012))

[0]

[012)

[(0)]

[(0))

[012]

[0]

[(012)]

[(012))

[(0)]

[012]

(0)

[(012)]

(0)

[012]

((0))

[(0)]

(012)

[0]

((012))

[(012)]

((0))

[012]

(0)

[(012)]

(0)

[012]

((0))

[(0)]

(012)

[0]

((012))

[(012)]

((0))

[012]

[0]

[(012)]

[0]

[012]

[(0))

[(0)]

[012)

[0]
[(012))

[(012)]
[(0))

[012]
[0]

[(012)]
[0]

[012]
[(0)]

[(0)]
[012]

[0]
[(012)]

[(012)]
[(0)]

5. (1.1, 2.0)-System

5.1. R-System

(00)

(001)

((00))

(001)

(00)

((001))

((001))

(00)

(001)

((00))

((00))

((001))

(00)

(001]

((00))

(001]

(00)

((001)]

((001))

(00]

(001)

((00)]

((00))

((001)]

(00)

[001)

((00))

[001)

(00)

[(001))

((001))

[00)

(001)

[(00)]

((00))

[(001)]

(00)

[001]

((00))

[001]

(00)

[(001)]

((001))

[00]

(001)

[(00)]

((00))

[(001)]

(00]

(001)

((00])

(001)

(00]

((001))

((001)

](00)

(001]

((00))

((00])

((001))

(00]

(001]

((00])

(001]

(00]

((001])

((001])

(00]

(001]

((00])

(00]

((001])

(00]

[001)

((00])

[001)

(00]

[(001))

((001])

[00)

(001]
[(00))

((00)]
[(001))

(00]
[001]

((00)]
[001]

(00]
[(001)]

((001)]
[00]

(001]
[(00)]

((00)]
[(001)]

[00)
(001)

[(00))
(001)

[00)
((001))

[(001))
(00)

[001)
((00))

[(00))
((001))

[00)
(001]

[(00))
(001]

[00)

((001])

[(001))

(00]

[001)

((00])

[(00))

((001])

[00)

[001)

[(00))

[001)

[00)

[(001))

[(001))

[00)

[001)

[(00))

[(00))

[(001))

[00)

[001]

[(00))

[001]

[00)

[(001)]

[(001))

[00]

[001)

[(00)]

[(00))

[(001)]

[00]
(001)

[(00)]
(001)

[00]
((001))

[(001)]
(00)

[001]
((00))

[(00)]
((001))

[00]
(001)

[(00)]
(001)

[00]

((001))

[(001)]

(00)

[001]

((00))

[(00)]

((001))

[00]

[001)

[(00)]

[001)

[00]

[(001))

[(001)]

[00)

[001]

[(00))

[(00)]

[(001))

[00]

[001]

[(00)]

[001]

[00]

[(001)]

[(001)]

[00]

[001]

[(00)]

[(00)]

[(001)]

5.2. R*-System

(001)

(00)

((001))

(00)

(001)

((00))

((00))

(001)

(00)

((001))

((001))

((00))

(001)

(00]

((001))

(00]

(001)

((00)]

((00))

(001]

(00)

((001)]

((001))

((00)]

(001)

[00)

((001))

[00)

(001)

[(00))

((00))

[001)

(00)
[(001))

((001))
[(00))

(001)
[00]

((001))
[00]

(001)
[(00)]

((00))
[001]

(00)
[(001)]

((001))
[(00)]

(001]

(00)

((001])

(00)

(001]

((00))

((00])

(001)

(00]

((001))

((001])

((00))

(001]

(00]

((001])

(00]

(001]

((00)]

((00)]

(001]

(00]

((001)]

(001]

((00)]

(001]

[00)

((001)]

[00)

(001]

[(00))

((00)]

[001)

(00]
[(001))

((001)]
[(00))

(001]
[00]

((001)]
[00]

(001]
[(00)]

((00)]
[001]

(00]
[(001)]

((001)]
[(00)]

[001)
(00)

[(001))
(00)

[001)
((00))

[(00))
(001)

[00)
((001))

[(001))
((00))

[001)
(00]

[(001))
(00]

[001)
((00)]

[(00))
(001]

[00)
((001)]

[(001))
((00)]

[001)
[00)

[(001))
[00)

[001)
[(00))

[(00))
[001)

[00)

[(001))

[(001))

[(00))

[001)

[00]

[(001))

[00]

[001)

[(00)]

[(00))

[001]

[00)

[(001)]

[(001))

[(00)]

[001]
(00)

[(001)]
(00)

[001]
((00))

[(00)]
(001)

[00]
((001))

[(001)]
((00))

[001]
(00]

[(001)]
(00]

[001]
((00)]

[(00)]
(001]

[00]
((001)]

[(001)]
((00)]

[001]
[00)

[(001)]
[00)

[001]
[(00))

[(00)]
[001)

[00]

[(001))

[(001)]

[(00))

[001]

[00]

[(001)]

[00]

[001]

[(00)]

[(00)]

[001]

[00]

[(001)]

[(001)]

[(00)]

6. (1.1, 2.1)-System

6.1. R-System

(00)

(010)

((00))

(010)

(00)

((010))

((010))

(00)

(010)

((00))

((00))

((010))

(00)

(010]

((00))

(010]

(00)

((010])

((010))

(00]

(010)

((00])

((00))

((010])

(00)

[010)

((00))

[010)

(00)

[(010))

((010))

[00)

(010)
[(00)]

((00))
[(010)]

(00)
[010]

((00))
[010]

(00)
[(010)]

((010))
[00]

(010)
[(00)]

((00))
[(010)]

(00]
(010)

((00)]
(010)

(00]
((010))

((010)]
(00)

(010]
((00))

((00)]
((010))

(00]
(010]

((00)]
(010]

(00]

((010]

((010]

(00]

(010]

((00]

(00]

((010]

(00]

[010)

((00]

[010)

(00]

[(010))

((010]

[00)

(010]
[(00))

((00)]
[(010))

(00]
[010]

((00)]
[010]

(00]
[(010)]

((010)]
[00]

(010]
[(00)]

((00)]
[(010)]

[00)
(010)

[(00))
(010)

[00)
((010))

[(010))
(00)

[010)
((00))

[(00))
((010))

[00)
(010]

[(00))
(010]

[00)

((010])

[(010))

(00]

[010)

((00])

[(00))

((010])

[00)

[010)

[(00))

[010)

[00)

[(010))

[(010))

[00)

[010)

[(00))

[(00))

[(010))

[00)

[010]

[(00))

[010]

[00)

[(010)]

[(010))

[00]

[010)

[(00)]

[(00))

[(010)]

[00]
(010)

[(00)]
(010)

[00]
((010))

[(010)]
(00)

[010]
((00))

[(00)]
((010))

[00]
(010]

[(00)]
(010]

[00]

((010))

[(010)]

(00)

[010]

((00))

[(00)]

((010))

[00]

[010)

[(00)]

[010)

[00]

[(010))

[(010)]

[00)

[010]

[(00))

[(00)]

[(010))

[00]

[010]

[(00)]

[010]

[00]

[(010)]

[(010)]

[00]

[010]

[(00)]

[(00)]

[(010)]

6.2. R*-System

(010)

(00)

((010))

(00)

(010)

((00))

((00))

(010)

(00)

((010))

((010))

((00))

(010)

(00]

((010))

(00]

(010)

((00)]

((00))

(010]

(00)

((010)]

((010))

((00)]

(010)

[00)

((010))

[00)

(010)

[(00))

((00))

[010)

(00)
[(010))

((010))
[(00))

(010)
[00]

((010))
[00]

(010)
[(00)]

((00))
[010]

(00)
[(010)]

((010))
[(00)]

(010]

(00)

((010]

(00)

(010]

((00))

((00)]

(010)

(00]

((010))

((010)]

((00))

(010]

(00]

((010)]

(00]

(010]

((00)]

((00)]

(010]

(00]

((010)]

(010]

((00)]

(010]

[00)

((010)]

[00)

(010]

[(00))

((00)]

[010)

(00]
[(010))

((010)]
[(00))

(010]
[00]

((010)]
[00]

(010]
[(00)]

((00)]
[010]

(00]
[(010)]

((010)]
[(00)]

[010)

(00)

[(010))

(00)

[010)

((00))

[(00))

(010)

[00)

((010))

[(010))

((00))

[010)

(00]

[(010))

(00]

[010)
((00)]

[(00))
(010]

[00)
((010)]

[(010))
((00)]

[010)
[00)

[(010))
[00)

[010)
[(00))

[(00))
[010)

[00)

[(010))

[(010))

[(00))

[010)

[00]

[(010))

[00]

[010)

[(00)]

[(00))

[010]

[00)

[(010)]

[(010))

[(00)]

[010]
(00)

[(010)]
(00)

[010]
((00))

[(00)]
(010)

[00]
((010))

[(010)]
((00))

[010]
(00]

[(010)]
(00]

[010]
((00)]

[(00)]
(010]

[00]
((010)]

[(010)]
((00)]

[010]
[00)

[(010)]
[00)

[010]
[(00))

[(00)]
[010)

[00]

[(010))

[(010)]

[(00))

[010]

[00]

[(010)]

[00]

[010]

[(00)]

[(00)]

[010]

[00]

[(010)]

[(010)]

[(00)]

7. (1.1, 2.2)-System

7.1. R-System

(00)

(011)

((00))

(011)

(00)

((011))

((011))

(00)

(011)

((00))

((00))

((011))

(00)

(011]

((00))

(011]

(00)

[(011)]

((011))

(00]

(011)

[(00)]

((00))

[(011)]

(00)

[011)

((00))

[011)

(00)

[(011))

((011))

[00)

(011)
[(00)]

((00))
[(011)]

(00)
[011]

((00))
[011]

(00)
[(011)]

((011))
[00]

(011)
[(00)]

((00))
[(011)]

(00]

(011)

((00])

(011)

(00]

((011))

((011])

(00)

(011]

((00))

((00])

((011))

(00]

(011]

((00])

(011]

(00]

((011])

((011])

(00]

(011]

((00])

(00]

((011])

(00]

[011)

((00])

[011)

(00]

[(011))

((011])

[00)

(011]
[(00))

((00)]
[(011))

(00]
[011]

((00)]
[011]

(00]
[(011)]

((011)]
[00]

(011]
[(00)]

((00)]
[(011)]

[00)

(011)

[(00))

(011)

[00)

((011))

[(011))

(00)

[011)

((00))

[(00))

((011))

[00)

(011]

[(00))

(011]

[00)

((011)]

[(011))

(00]

[011)

((00)]

[(00))

((011)]

[00)

[011)

[(00))

[011)

[00)

[(011))

[(011))

[00)

[011)

[(00))

[(00))

[(011))

[00)

[011]

[(00))

[011]

[00)

[(011)]

[(011))

[00]

[011)

[(00)]

[(00))

[(011)]

[00]
(011)

[(00)]
(011)

[00]
((011))

[(011)]
(00)

[011]
((00))

[(00)]
((011))

[00]
(011]

[(00)]
(011]

[00]

((011))

[(011)]

(00)

[011]

((00))

[(00)]

((011))

[00]

[011)

[(00)]

[011)

[00]

[(011))

[(011)]

[00)

[011]

[(00)]

[(00)]

[(011)]

[00]

[011]

[(00)]

[011]

[00]

[(011)]

[(011)]

[00]

[011]

[(00)]

[(00)]

[(011)]

7.2. R*-System

(011)

(00)

((011))

(00)

(011)

((00))

((00))

(011)

(00)

((011))

((011))

((00))

(011)

(00]

((011))

(00]

(011)

((00])

((00))

(011]

(00)

((011])

((011))

((00])

(011)

[00)

((011))

[00)

(011)

[(00))

((00))

[011)

(00)
[(011)]

((011))
[(00)]

(011)
[00]

((011))
[00]

(011)
[(00)]

((00))
[011]

(00)
[(011)]

((011))
[(00)]

(011]

(00)

((011])

(00)

(011]

((00))

((00])

(011)

(00]

((011))

((011])

((00))

(011]

(00]

((011])

(00]

(011]

((00]

((00]

(011]

(00]

((011)]

(011]

((00]

(011]

[00)

((011)]

[00)

(011]

[(00))

((00)]

[011)

(00]

[(011))

((011)]

[(00))

(011]

[00]

((011)]

[00]

(011]

[(00)]

((00)]

[011]

(00]

[(011)]

((011)]

[(00)]

[011)
(00)

[(011))
(00)

[011)
((00))

[(00))
(011)

[00)
((011))

[(011))
((00))

[011)
(00]

[(011))
(00]

[011)
((00)]

[(00))
(011]

[00)
((011)]

[(011))
((00)]

[011)
[00)

[(011))
[00)

[011)
[(00))

[(00))
[011)

[00)

[(011))

[(011))

[(00))

[011)

[00]

[(011))

[00]

[011)

[(00)]

[(00))

[011]

[00)

[(011)]

[(011))

[(00)]

[011]

(00)

[(011)]

(00)

[011]

((00))

[(00)]

(011)

[00]

((011))

[(011)]

((00))

[011]

(00)

[(011)]

(00)

[011]
((00)]

[(00)]
(011]

[00]
((011)]

[(011)]
((00)]

[011]
[00)

[(011)]
[00)

[011]
[(00))

[(00)]
[011)

[00]

[(011))

[(011)]

[(00))

[011]

[00]

[(011)]

[00]

[011]

[(00)]

[(00)]

[011]

[00]

[(011)]

[(011)]

[(00)]

8. (1.1, 2.3)-System

8.1. R-System

(00)

(012)

((00))

(012)

(00)

((012))

((012))

(00)

(012)

((00))

((00))

((012))

(00)

(012]

((00))

(012]

(00)

((012)]

((012))

(00]

(012)

((00)]

((00))

((012)]

(00)

[012)

((00))

[012)

(00)

[(012))

((012))

[00)

(012)
[(00)]

((00))
[(012)]

(00)
[012]

((00))
[012]

(00)
[(012)]

((012))
[00]

(012)
[(00)]

((00))
[(012)]

(00]

(012)

((00])

(012)

(00]

((012))

((012])

(00)

(012]

((00))

((00])

((012))

(00]

(012]

((00])

(012]

(00]

((012])

((012])

(00]

(012]

((00])

(00]

((012])

(00]

[012)

((00])

[012)

(00]

[(012))

((012])

[00)

(012]
[(00))

((00)]
[(012))

(00]
[012]

((00)]
[012]

(00]
[(012)]

((012)]
[00]

(012]
[(00)]

((00)]
[(012)]

[00)

(012)

[(00))

(012)

[00)

((012))

[(012))

(00)

[012)

((00))

[(00))

((012))

[00)

(012]

[(00))

(012]

[00)

((012)]

[(012))

(00]

[012)

((00)]

[(00))

((012)]

[00)

[012)

[(00))

[012)

[00)

[(012))

[(012))

[00)

[012)

[(00))

[(00))

[(012))

[00)

[012]

[(00))

[012]

[00)

[(012)]

[(012))

[00]

[012)

[(00)]

[(00))

[(012)]

[00]
(012)

[(00)]
(012)

[00]
((012))

[(012)]
(00)

[012]
((00))

[(00)]
((012))

[00]
(012]

[(00)]
(012]

[00]

((012))

[(012)]

(00)

[012]

((00))

[(00)]

((012))

[00]

[012)

[(00)]

[012)

[00]

[(012))

[(012)]

[00)

[012]

[(00))

[(00)]

[(012))

[00]

[012]

[(00)]

[012]

[00]

[(012)]

[(012)]

[00]

[012]

[(00)]

[(00)]

[(012)]

8.2. R*-System

(012)

(00)

((012))

(00)

(012)

((00))

((00))

(012)

(00)

((012))

((012))

((00))

(012)

(00]

((012))

(00]

(012)

((00])

((00))

(012]

(00)

((012])

((012))

((00])

(012)

[00)

((012))

[00)

(012)

[(00))

((00))

[012)

(00)

[(012))

((012))

[(00))

(012)

[00]

((012))

[00]

(012)

[(00)]

((00))

[012]

(00)

[(012)]

((012))

[(00)]

(012]

(00)

((012])

(00)

(012]

((00))

((00])

(012)

(00]

((012))

((012])

((00))

(012]

(00]

((012])

(00]

(012]

((00]

((00]

(012]

(00]

((012)]

(012]

((00]

(012]

[00)

((012)]

[00)

(012]

[(00))

((00)]

[012)

(00]

[(012))

((012)]

[(00))

(012]

[00]

((012)]

[00]

(012]

[(00)]

((00)]

[012]

(00]

[(012)]

((012)]

[(00)]

[012)
(00)

[(012))
(00)

[012)
((00))

[(00))
(012)

[00)
((012))

[(012))
((00))

[012)
(00]

[(012))
(00]

[012)
((00)]

[(00))
(012]

[00)
((012)]

[(012))
((00)]

[012)
[00)

[(012))
[00)

[012)
[(00))

[(00))
[012)

[00)

[(012))

[(012))

[(00))

[012)

[00]

[(012))

[00]

[012)

[(00)]

[(00))

[012]

[00)

[(012)]

[(012))

[(00)]

[012]
(00)

[(012)]
(00)

[012]
((00))

[(00)]
(012)

[00]
((012))

[(012)]
((00))

[012]
(00]

[(012)]
(00]

[012]
((00)]

[(00)]
(012]

[00]
((012)]

[(012)]
((00)]

[012]
[00)

[(012)]
[00)

[012]
[(00))

[(00)]
[012)

[00]

[(012))

[(012)]

[(00))

[012]

[00]

[(012)]

[00]

[012]

[(00)]

[(00)]

[012]

[00]

[(012)]

[(012)]

[(00)]

9. (1.2, 2.0)-System

9.1. R-System

(01)

(001)

((01))

(001)

(01)

((001))

((001))

(01)

(001)

((01))

((01))

((001))

(01)

(001]

((01))

(001]

(01)

((001)]

((001))

(01]

(001)

((01)]

((01))

((001)]

(01)

[001)

((01))

[001)

(01)

[(001))

((001))

[01)

(001)

[(01)]

((01))

[(001)]

(01)

[001]

((01))

[001]

(01)

[(001)]

((001))

[01]

(001)

[(01)]

((01))

[(001)]

(01]
(001)

((01)]
(001)

(01]
((001))

((001)]
(01)

(001]
((01))

((01)]
((001))

(01]
(001]

((01)]
(001]

(01]

((001])

((001])

(01]

(001]

((01])

(01]

((001])

(01]

[001)

((01])

[001)

(01]

[(001))

((001])

[01)

(001]
[(01))

((01)]
[(001))

(01]
[001]

((01)]
[001]

(01]
[(001)]

((001)]
[01]

(001]
[(01)]

((01)]
[(001)]

[01)
(001)

[(01))
(001)

[01)
((001))

[(001))
(01)

[001)
((01))

[(01))
((001))

[01)
(001]

[(01))
(001]

[01]
((001)]

[(001))
(01]

[001)
((01)]

[(01))
((001)]

[01)
[001)

[(01))
[001)

[01)
[(001))

[(001))
[01)

[001)

[(01))

[(01))

[(001))

[01)

[001]

[(01))

[001]

[01)

[(001)]

[(001))

[01]

[001)

[(01)]

[(01))

[(001)]

[01]
(001)

[(01)]
(001)

[01]
((001))

[(001)]
(01)

[001]
((01))

[(01)]
((001))

[01]
(001)

[(01)]
(001)

[01]

((001))

[(001)]

(01)

[001]

((01))

[(01)]

((001))

[01]

[001)

[(01)]

[001)

[01]

[(001))

[(001)]

[01)

[001]

[(01))

[(01)]

[(001))

[01]

[001]

[(01)]

[001]

[01]

[(001)]

[(001)]

[01]

[001]

[(01)]

[(01)]

[(001)]

9.2. R*-System

(001)

(01)

((001))

(01)

(001)

((01))

((01))

(001)

(01)

((001))

((001))

((01))

(001)

(01]

((001))

(01]

(001)

((01])

((01))

(001]

(01)

((001])

((001))

((01])

(001)

[01)

((001))

[01)

(001)

[(01))

((01))

[001)

(01)
[(001))

((001))
[(01))

(001)
[01]

((001))
[01]

(001)
[(01)]

((01))
[001]

(01)
[(001)]

((001))
[(01)]

(001]

(01)

((001])

(01)

(001]

((01))

((01])

(001)

(01]

((001))

((001])

((01))

(001]

(01]

((001])

(01]

(001]

((01])

((01])

(001]

(01]

((001])

(001]

((01])

(001]

[01)

((001])

[01)

(001]

[(01))

((01])

[001)

(01]
[(001))

((001)]
[(01))

(001]
[01]

((001)]
[01]

(001]
[(01)]

((01)]
[001]

(01]
[(001)]

((001)]
[(01)]

[001)

(01)

[(001))

(01)

[001)

((01))

[(01))

(001)

[01)

((001))

[(001))

((01))

[001)

(01]

[(001))

(01]

[001)
((01)]

[(01))
(001]

[01)
((001)]

[(001))
((01)]

[001)
[01)

[(001))
[01)

[001)
[(01))

[(01))
[001)

[01)

[(001))

[(001))

[(01))

[001)

[01]

[(001))

[01]

[001)

[(01)]

[(01))

[001]

[01)

[(001)]

[(001))

[(01)]

[001]
(01)

[(001)]
(01)

[001]
((01))

[(01)]
(001)

[01]
((001))

[(001)]
((01))

[001]
(01)

[(001)]
(01)

[001]
((01)]

[(01)]
(001]

[01]
((001)]

[(001)]
((01)]

[001]
[01)

[(001)]
[01)

[001]
[(01))

[(01)]
[001)

[01]

[(001))

[(001)]

[(01))

[001]

[01]

[(001)]

[01]

[001]

[(01)]

[(01)]

[001]

[01]

[(001)]

[(001)]

[(01)]

10. (1.2, 2.1)-System

10.1. R-System

(01)

(010)

((01))

(010)

(01)

((010))

((010))

(01)

(010)

((01))

((01))

((010))

(01)

(010]

((01))

(010]

(01)

((010])

((010))

(01]

(010)

((01])

((01))

((010])

(01)

[010)

((01))

[010)

(01)

[(010))

((010))
[01]

(010)
[(01))

((01))
[(010))

(01)
[010]

((01))
[010]

(01)
[(010)]

((010))
[01]

(010)
[(01)]

((01))
[(010)]

(01]
(010)

((01)]
(010)

(01]
((010))

((010)]
(01)

(010]
((01))

((01)]
((010))

(01]
(010]

((01])

(010]

(01]

((010])

((010])

(01]

(010]

((01])

(01]

((010])

(01]

[010)

((01])

[010)

(01]

[(010))

((010])
[01)

(010]
[(01))

((01])
[(010))

(01]
[010]

((01])
[010]

(01]
[(010)]

((010])
[01]

(010]
[(01)]

$((01))$

$[(010)]$

$[01)$

(010)

$[(01))$

(010)

$[01)$

$((010))$

$[(010))$

(01)

$[010)$

$((01))$

$[(01))$

$((010))$

$[01)$

$(010]$

[(01))
(010]

[01)
((010)]

[(010))
(01]

[010)
((01)]

[(01))
((010)]

[01)
[010)

[(01))
[010)

[01)
[(010))

[(010))

[01)

[010)

[(01))

[(01))

[(010))

[01)

[010]

[(01))

[010]

[01)

[(010)]

[(010))

[01]

[010)

[(01)]

$[(01)]$

$[(010)]$

$[01]$

(010)

$[(01)]$

(010)

$[01]$

$((010))$

$[(010)]$

(01)

$[010]$

$((01))$

$[(01)]$

$((010))$

$[01]$

$(010]$

$[(01)]$

(010)

$[01]$

$((010))$

$[(010)]$

(01)

$[010]$

$((01))$

$[(01)]$

$((010))$

$[01]$

$[010)$

$[(01)]$

$[010)$

$[01]$

$[(010))$

[(010)]

[01)

[010]

[(01))

[(01)]

[(010))

[01]

[010]

[(01)]

[010]

[01]

[(010)]

[(010)]

[01]

[010]

[(01)]

[(01)]

[(010)]

10.2. R*-System

(010)

(01)

((010))

(01)

(010)

((01))

((01))

(010)

(01)

((010))

((010))

((01))

(010)

(01]

((010))

(01]

(010)

((01])

((01))

(010]

(01)

((010])

((010))

((01])

(010)

[01)

((010))

[01)

(010)

[(01))

((01))

[010)

(01)

[(010))

((010))

[(01))

(010)

[01]

((010))

[01]

(010)

[(01)]

((01))

[010]

(01)

[(010)]

((010))

[(01)]

(010]

(01)

((010])

(01)

(010]

((01))

((01])

(010)

(01]

((010))

((010])

((01))

(010]

(01]

((010])

(01]

(010]

((01])

((01])

(010]

(01]

((010])

(010]

((01])

(010]

[01)

((010])

[01)

(010]

[(01))

((01])
[010)

(01]
[(010))

((010])
[(01))

(010]
[01]

((010])
[01]

(010]
[(01)]

((01])
[010]

(01]
[(010)]

$((010)]$

$[(01)]$

$[010)$

(01)

$[(010))$

(01)

$[010)$

$((01))$

$[(01))$

(010)

$[01)$

$((010))$

$[(010))$

$((01))$

$[010)$

$(01]$

[(010))
(01]

[010)
((01)]

[(01))
(010]

[01)
((010)]

[(010))
((01)]

[010)
[01)

[(010))
[01)

[010)
[(01))

[(01))

[010)

[01)

[(010))

[(010))

[(01))

[010)

[01]

[(010))

[01]

[010)

[(01)]

[(01))

[010]

[01)

[(010)]

$[(010)]$

$[(01)]$

$[010]$

(01)

$[(010)]$

(01)

$[010]$

$((01))$

$[(01)]$

(010)

$[01]$

$((010))$

$[(010)]$

$((01))$

$[010]$

(01)

[(010)]

(01)

[010]

((01))

[(01)]

(010)

[01]

((010))

[(010)]

((01))

[010]

[01)

[(010)]

[01)

[010]

[(01))

[(01)]

[010)

[01]

[(010))

[(010)]

[(01))

[010]

[01]

[(010)]

[01]

[010]

[(01)]

[(01)]

[010]

[01]

[(010)]

[(010)]

[(01)]

11. (1.2, 2.2)-System

11.1. R-System

(01)

(011)

((01))

(011)

(01)

((011))

((011))

(01)

(011)

((01))

((01))

((011))

(01)

(011]

((01))

(011]

(01)

((011])

((011))

(01]

(011)

((01])

((01))

((011])

(01)

[011)

((01))

[011)

(01)

[(011))

((011))
[01]

(011)
[(01))

((01))
[(011))

(01)
[011]

((01))
[011]

(01)
[(011)]

((011))
[01]

(011)
[(01)]

((01))
[(011)]

(01]
(011)

((01)]
(011)

(01]
((011))

((011)]
(01)

(011]
((01))

((01)]
((011))

(01]
(011]

((01])

(011]

(01]

((011])

((011])

(01]

(011]

((01])

(01]

((011])

(01]

[011)

((01])

[011)

(01]

[(011))

((011])
[01)

(011]
[(01))

((01])
[(011))

(01]
[011]

((01])
[011]

(01]
[(011)]

((011])
[01]

(011]
[(01)]

$((01))$

$[(011)]$

$[01)$

(011)

$[(01))$

(011)

$[01)$

$((011))$

$[(011))$

(01)

$[011)$

$((01))$

$[(01))$

$((011))$

$[01)$

$(011]$

[(01))
(011]

[01)
((011)]

[(011))
(01]

[011)
((01)]

[(01))
((011)]

[01)
[011)

[(01))
[011)

[01)
[(011))

[(011))

[01)

[011)

[(01))

[(01))

[(011))

[01)

[011]

[(01))

[011]

[01)

[(011)]

[(011))

[01]

[011)

[(01)]

$[(01)]$

$[(011)]$

$[01]$

(011)

$[(01)]$

(011)

$[01]$

$((011))$

$[(011)]$

(01)

$[011]$

$((01))$

$[(01)]$

$((011))$

$[01]$

(011)

$[(01)]$

(011)

$[01]$

$((011))$

$[(011)]$

(01)

$[011]$

$((01))$

$[(01)]$

$((011))$

$[01]$

$[011)$

$[(01)]$

$[011)$

$[01]$

$[(011))$

[(011)]

[01)

[011]

[(01))

[(01)]

[(011))

[01]

[011]

[(01)]

[011]

[01]

[(011)]

[(011)

][01]

[011]

[(01)]

[(01)]

[(011)]

11.2. R*-System

(011)

(01)

((011))

(01)

(011)

((01))

((01))

(011)

(01)

((011))

((011))

((01))

(011)

(01]

((011))

(01]

(011)

((01])

((01))

(011]

(01)

((011])

((011))

((01])

(011)

[01)

((011))

[01)

(011)

[(01))

((01))

[011)

(01)

[(011))

((011))

[(01))

(011)

[01]

((011))

[01]

(011)

[(01)]

((01))

[011]

(01)

[(011)]

((011))

[(01)]

(011]

(01)

((011])

(01)

(011]

((01))

((01])

(011)

(01]

((011))

((011])

((01))

(011]

(01]

((011])

(01]

(011]

((01])

((01])

(011]

(01]

((011])

(011]

((01])

(011]

[01)

((011])

[01)

(011]

[(01))

((01])

[011)

(01]

[(011))

((011])

[(01))

(011]

[01]

((011])

[01]

(011]

[(01)]

((01])

[011]

(01]

[(011)]

$((011))$

$[(01)]$

$[011)$

(01)

$[(011))$

(01)

$[011)$

$((01))$

$[(01))$

(011)

$[01)$

$((011))$

$[(011))$

$((01))$

$[011)$

$(01]$

[(011))
(01]

[011)
((01)]

[(01))
(011]

[01)
((011)]

[(011))
((01)]

[011)
[01)

[(011))
[01)

[011)
[(01))

[(01))

[011)

[01)

[(011))

[(011))

[(01))

[011)

[01]

[(011))

[01]

[011)

[(01)]

[(01))

[011]

[01)

[(011)]

[(011))

[(01)]

[011]

(01)

[(011)]

(01)

[011]

((01))

[(01)]

(011)

[01]

((011))

[(011)]

((01))

[011]

(01)

[(011)]
(01)

[011]
((01))

[(01)]
(011)

[01]
((011))

[(011)]
((01))

[011]
[01)

[(011)]
[01)

[011]
[(01))

[(01)]

[011)

[01]

[(011))

[(011)]

[(01))

[011]

[01]

[(011)]

[01]

[011]

[(01)]

[(01)]

[011]

[01]

[(011)]

[(011)]

[(01)]

12. (1.2, 2.3)-System

12.1. R-System

(01)

(012)

((01))

(012)

(01)

((012))

((012))

(01)

(012)

((01))

((01))

((012))

(01)

(012]

((01))

(012]

(01)

((012])

((012))

(01]

(012)

((01])

((01))

((012])

(01)

[012)

((01))

[012)

(01)

[(012))

((012))

[01]

(012)

[(01))

((01))

[(012))

(01)

[012]

((01))

[012]

(01)

[(012)]

((012))

[01]

(012)

[(01)]

((01))

[(012)]

(01]

(012)

((01])

(012)

(01]

((012))

((012])

(01)

(012]

((01))

((01])

((012))

(01]

(012]

((01])

(012]

(01]

((012])

((012])

(01]

(012]

((01])

(01]

((012])

(01]

[012)

((01])

[012)

(01]

[(012))

((012])
[01)

(012]
[(01))

((01])
[(012))

(01]
[012]

((01])
[012]

(01]
[(012)]

((012])
[01]

(012]
[(01)]

((01])

[(012)]

[01)

(012)

[(01))

(012)

[01)

((012))

[(012))

(01)

[012)

((01))

[(01))

((012))

[01)

(012]

[(01))

(012]

[01)

((012)]

[(012))

(01]

[012)

((01)]

[(01))

((012)]

[01)

[012)

[(01))

[012)

[01)

[(012))

[(012))

[01)

[012)

[(01))

[(01))

[(012))

[01)

[012]

[(01))

[012]

[01)

[(012)]

[(012))

[01]

[012)

[(01)]

[(01))

[(012)]

[01]

(012)

[(01)]

(012)

[01]

((012))

[(012)]

(01)

[012]

((01))

[(01)]

((012))

[01]

(012]

[(01)]

(012]

[01]

((012)]

[(012)]

(01]

[012]

((01)]

[(01)]

((012)]

[01]

[012)

[(01)]

[012)

[01]

[(012))

[(012)]

[01)

[012]

[(01))

[(01)]

[(012))

[01]

[012]

[(01)]

[012]

[01]

[(012)]

[(012)]

[01]

[012]

[(01)]

[(01)]

[(012)]

12.2. R*-System

(012)

(01)

((012))

(01)

(012)

((01))

((01))

(012)

(01)

((012))

((012))

((01))

(012)

(01]

((012))

(01]

(012)

((01])

((01))

(012]

(01)

((012])

((012))

((01])

(012)

[01)

((012))

[01)

(012)

[(01))

((01))

[012)

(01)

[(012))

((012))

[(01))

(012)

[01]

((012))

[01]

(012)

[(01)]

((01))

[012]

(01)

[(012)]

((012))

[(01)]

(012]

(01)

((012])

(01)

(012]

((01))

((01)]

(012)

(01]

((012))

((012])

((01))

(012]

(01]

((012])

(01]

(012]

((01])

((01])

(012]

(01]

((012])

(012]

((01])

(012]

[01)

((012])

[01)

(012]

[(01))

((01])

[012)

(01]

[(012))

((012])

[(01))

(012]

[01]

((012])

[01]

(012]

[(01)]

((01])

[012]

(01]

[(012)]

((012])

[(01)]

[012)

(01)

[(012))

(01)

[012)

((01))

[(01))

(012)

[01)

((012))

[(012))

((01))

[012)

(01]

[(012))
(01]

[012)
((01])

[(01))
(012]

[01)
((012])

[(012))
((01])

[012)
[01)

[(012))
[01)

[012)
[(01))

[(01))

[012)

[01)

[(012))

[(012))

[(01))

[012)

[01]

[(012))

[01]

[012)

[(01)]

[(01))

[012]

[01)

[(012)]

[(012))

[(01)]

[012]

(01)

[(012)]

(01)

[012]

((01))

[(01)]

(012)

[01]

((012))

[(012)]

((01))

[012]

(01)

[(012)]

(01)

[012]

((01))

[(01)]

(012)

[01]

((012))

[(012)]

((01))

[012]

[01)

[(012)]

[01)

[012]

[(01))

[(01)]

[012)

[01]

[(012))

[(012)]

[(01))

[012]

[01]

[(012)]

[01]

[012]

[(01)]

[(01)]

[012]

[01]

[(012)]

[(012)]

[(01)]

13. (1.3, 2.0)-System

13.1. R-System

(000)

(001)

((000))

(001)

(000)

((001))

((001))

(000)

(001)

((000))

((000))

((001))

(000)

(001]

((000))

(001]

(000)

((001])

((001))

(000]

(001)

((000])

((000))

((001])

(000)

[001)

((000))

[001)

(000)

[(001))

((001))

[000]

(001)

[(000))

((000))

[(001))

(000)

[001]

((000))

[001]

(000)

[(001)]

((001))

[000]

(001)

[(000)]

((000))

[(001)]

(000]

(001)

((000)]

(001)

(000]

((001))

((001)]

(000)

(001]

((000))

((000)]

((001))

(000]

(001]

((000])

(001]

(000]

((001])

((001])

(000]

(001]

((000])

(000]

((001])

(000]

[001)

((000])

[001)

(000]

[(001))

((001)]
[000)

(001]
[(000))

((000)]
[(001))

(000]
[001)

((000)]
[001)

(000]
[(001)]

((001)]
[000]

(001]
[(000)]

$((000))$

$[(001)]$

$[000)$

(001)

$[(000))$

(001)

$[000)$

$((001))$

$[(001))$

(000)

$[001)$

$((000))$

$[(000))$

$((001))$

$[000)$

$(001]$

[(000))
(001]

[000)
((001)]

[(001))
(000]

[001)
((000)]

[(000))
((001)]

[000)
[001)

[(000))
[001)

[000)
[(001))

[(001))

[000)

[001)

[(000))

[(000))

[(001))

[000)

[001]

[(000))

[001]

[000)

[(001)]

[(001))

[000]

001)

[(000)]

$[(000)]$

$[(001)]$

$[000]$

(001)

$[(000)]$

(001)

$[000]$

$((001))$

$[(001)]$

(000)

$[001]$

$((000))$

$[(000)]$

$((001))$

$[000]$

(001)

[(000)]

(001)

[000]

((001))

[(001)]

(000)

[001]

((000))

[(000)]

((001))

[000]

[001]

[(000)]

[001]

[000]

[(001)]

[(001)]

[000)

[001]

[(000))

[(000)]

[(001))

[000]

[001]

[(000)]

[001]

[000]

[(001)]

[(001)]

[000]

[001]

[(000)]

$[(000)]$

$[(001)]$

13.2. R*-System

(001)

(000)

$((001))$

(000)

(001)

$((000))$

$((000))$

(001)

(000)

$((001))$

$((001))$

$((000))$

(001)

$(000]$

((001))
(000]

(001)
((000)]

((000))
(001]

(000)
((001)]

((001))
((000)]

(001)
[000)

((001))
[000)

(001)
[(000))

((000))

[001)

(000)

[(001))

((001))

[(000))

(001)

[000]

((001))

[000]

(001)

[(000)]

((000))

[001]

(000)

[(001)]

((001))

[(000)]

(001]

(000)

((001])

(000)

(001]

((000))

((000])

(001)

(000]

((001))

((001])

((000))

(001]

(000]

((001])

(000]

(001]

((000])

((000])

(001]

(000]

((001])

(001]

((000])

(001]

[000)

((001])

[000)

(001]

[(000))

((000)]

[001)

(000]

[(001))

((001)]

[(000))

(001]

[000]

((001)]

[000]

(001]

[(000)]

((000)]

[001]

(000]

[(001)]

$((001))$

$[(000)]$

$[001)$

(000)

$[(001))$

(000)

$[001)$

$((000))$

$[(000))$

(001)

$[000)$

$((001))$

$[(001))$

$((000))$

$[001)$

$(000]$

[(001))
(000]

[001)
((000)]

[(000))
(001]

[000)
((001)]

[(001))
((000)]

[001)
[000)

[(001))
[000)

[001)
[(000))

[(000))

[001)

[000)

[(001))

[(001))

[(000))

[001)

[000]

[(001))

[000]

[001)

[(000)]

[(000))

[001]

[000)

[(001)]

$[(001)]$

$[(000)]$

$[001]$

(000)

$[(001)]$

(000)

$[001]$

$((000))$

$[(000)]$

(001)

$[000]$

$((001))$

$[(001)]$

$((000))$

$[001]$

(000)

[(001)]
(000]

[001]
((000)]

[(000)]
(001]

[000]
((001)]

[(001)]
((000)]

[001]
[000)

[(001)]
[000)

[001]
[(000))

[(000)]

[001)

[000]

[(001))

[(001)]

[(000))

[001]

[000]

[(001)]

[000]

[001]

[(000)]

[(000)]

[001]

[000]

[(001)]

[(001)]

[(000)]

14. (1.3, 2.1)-System

14.1. R-System

(000)

(010)

((000))

(010)

(000)

((010))

((010))

(000)

(010)

((000))

((000))

((010))

(000)

(010]

((000))

(010]

(000)

((010])

((010))

(000]

(010)

((000])

((000))

((010])

(000)

[010)

((000))

[010)

(000)

[(010))

((010))

[000]

(010)

[(000))

((000))

[(010))

(000)

[010]

((000))

[010]

(000)

[(010)]

((010))

[000]

(010)

[(000)]

((000))

[(010)]

(000]

(010)

((000)]

(010)

(000]

((010))

((010)]

(000)

(010]

((000))

((000)]

((010))

(000]

(010]

((000])

(010]

(000]

((010])

((010])

(000]

(010]

((000])

(000]

((010])

(000]

[010)

((000])

[010)

(000]

[(010))

((010])
[000)

(010]
[(000))

((000])
[(010))

(000]
[010]

((000])
[010]

(000]
[(010)]

((010])
[000]

(010]
[(000)]

$((000))$

$[(010)]$

$[000)$

(010)

$[(000))$

(010)

$[000)$

$((010))$

$[(010))$

(000)

$[010)$

$((000))$

$[(000))$

$((010))$

$[000)$

$(010]$

[(000))
(010]

[000)
((010)]

[(010))
(000]

[010)
((000)]

[(000))
((010)]

[000)
[010)

[(000))
[010)

[000)
[(010))

[(010))

[000)

[010)

[(000))

[(000))

[(010))

[000)

[010]

[(000))

[010]

[000)

[(010)]

[(010))

[000]

[010)

[(000)]

$[(000)]$

$[(010)]$

$[000]$

(010)

$[(000)]$

(010)

$[000]$

$((010))$

$[(010)]$

(000)

$[010]$

$((000))$

$[(000)]$

$((010))$

$[000]$

(010)

[(000)]
(010]

[000]
((010)]

[(010)]
(000]

[010]
((000)]

[(000)]
((010)]

[000]
[010)

[(000)]
[010)

[000]
[(010))

[(010)]

[000)

[010]

[(000))

[(000)]

[(010))

[000]

[010]

[(000)]

[010]

[000]

[(010)]

[(010)]

[000]

[010]

[(000)]

$[(000)]$

$[(010)]$

14.2. R*-System

(010)

(000)

$((010))$

(000)

(010)

$((000))$

$((000))$

(010)

(000)

$((010))$

$((010))$

$((000))$

(010)

$(000]$

((010))

(000]

(010)

((000)]

((000))

(010]

(000)

((010)]

((010))

((000)]

(010)

[000)

((010))

[000)

(010)

[(000))

((000))

[010]

(000)

[(010))

((010))

[(000))

(010)

[000]

((010))

[000]

(010)

[(000)]

((000))

[010]

(000)

[(010)]

$((010))$

$[(000)]$

$(010]$

(000)

$((010])$

(000)

$(010]$

$((000))$

$((000])$

(010)

$(000]$

$((010))$

$((010])$

$((000))$

$(010]$

$(000]$

((010])

(000]

(010]

((000])

((000])

(010]

(000]

((010])

(010]

((000])

(010]

[000)

((010])

[000)

(010]

[(000))

$((000))$

$[010]$

(000)

$[(010)]$

$((010))$

$[(000)]$

(010)

$[000]$

$((010))$

$[000]$

(010)

$[(000)]$

$((000))$

$[010]$

(000)

$[(010)]$

$((010))$

$[(000)]$

$[010)$

(000)

$[(010))$

(000)

$[010)$

$((000))$

$[(000))$

(010)

$[000)$

$((010))$

$[(010))$

$((000))$

$[010)$

$(000]$

[(010))
(000]

[010)
((000)]

[(000))
(010]

[000)
((010)]

[(010))
((000)]

[010)
[000)

[(010))
[000)

[010)
[(000))

[(000))

[010)

[000)

[(010))

[(010))

[(000))

[010)

[000]

[(010))

[000]

[010)

[(000)]

[(000))

[010]

[000)

[(010)]

$[(010)]$

$[(000)]$

$[010]$

(000)

$[(010)]$

(000)

$[010]$

$((000))$

$[(000)]$

(010)

$[000]$

$((010))$

$[(010)]$

$((000))$

$[010]$

(000)

[(010)]
(000]

[010]
((000)]

[(000)]
(010]

[000]
((010)]

[(010)]
((000)]

[010]
[000)

[(010)]
[000)

[010]
[(000))

[(000)]

[010]

[000]

[(010))

[(010)]

[(000))

[010]

[000]

[(010)]

[000]

[010]

[(000)]

[(000)]

[010]

[000]

[(010)]

[(010)]

[(000)]

15. (1.3, 2.2)-System

15.1. R-System

(000)

(011)

((000))

(011)

(000)

((011))

((011))

(000)

(011)

((000))

((000))

((011))

(000)

(011]

((000))

(011]

(000)

((011])

((011))

(000]

(011)

((000])

((000))

((011])

(000)

[011)

((000))

[011)

(000)

[(011))

((011))

[000)

(011)

[(000))

((000))

[(011))

(000)

[011]

((000))

[011]

(000)

[(011)]

((011))

[000]

(011)

[(000)]

((000))

[(011)]

(000]

(011)

((000)]

(011)

(000]

((011))

((011)]

(000)

(011]

((000))

((000)]

((011))

(000]

(011]

((000])

(011]

(000]

((011])

((011])

(000]

(011]

((000])

(000]

((011])

(000]

[011)

((000])

[011)

(000]

[(011))

((011])
[000)

(011]
[(000))

((000])
[(011))

(000]
[011]

((000])
[011]

(000]
[(011)]

((011])
[000]

(011]
[(000)]

$((000))$

$[(011)]$

$[000)$

(011)

$[(000))$

(011)

$[000)$

$((011))$

$[(011))$

(000)

$[011)$

$((000))$

$[(000))$

$((011))$

$[000)$

$(011]$

[(000))
(011]

[000)
((011)]

[(011))
(000]

[011)
((000)]

[(000))
((011)]

[000)
[011)

[(000))
[011)

[000)
[(011))

[(011))

[000)

[011)

[(000))

[(000))

[(011))

[000)

[011]

[(000))

[011]

[000)

[(011)]

[(011))

[000]

[011)

[(000)]

$[(000)]$

$[(011)]$

$[000]$

(011)

$[(000)]$

(011)

$[000]$

$((011))$

$[(011)]$

(000)

$[011]$

$((000))$

$[(000)]$

$((011))$

$[000]$

(011)

$[(000)]$

(011)

$[000]$

$((011))$

$[(011)]$

(000)

$[011]$

$((000))$

$[(000)]$

$((011))$

$[000]$

$[011)$

$[(000)]$

$[011)$

$[000]$

$[(011))$

[(011)]

[000)

[011]

[(000))

[(000)]

[(011))

[000]

[011]

[(000)]

[011]

[000]

[(011)]

[(011)]

[000]

[011]

[(000)]

$[(000)]$

$[(011)]$

15.2. R*-System

(011)

(000)

$((011))$

(000)

(011)

$((000))$

$((000))$

(011)

(000)

$((011))$

$((011))$

$((000))$

(011)

$(000]$

((011))
(000]

(011)
((000)]

((000))
(011]

(000)
((011)]

((011))
((000)]

(011)
[000)

((011))
[000)

(011)
[(000))

((000))

[011)

(000)

[(011))

((011))

[(000))

(011)

[000]

((011))

[000]

(011)

[(000)]

((000))

[011]

(000)

[(011)]

$((011))$

$[(000)]$

$(011]$

(000)

$((011])$

(000)

$(011]$

$((000))$

$((000])$

(011)

$(000]$

$((011))$

$((011])$

$((000))$

$(011]$

$(000]$

((011])

(000]

(011]

((000])

((000])

(011]

(000]

((011])

(011]

((000])

(011]

[000)

((011])

[000)

(011]

[(000))

((000)]

[011)

(000]

[(011))

((011)]

[(000))

(011]

[000]

((011)]

[000]

(011]

[(000)]

((000)]

[011]

(000]

[(011)]

$((011))$

$[(000)]$

$[011)$

(000)

$[(011))$

(000)

$[011)$

$((000))$

$[(000))$

(011)

$[000)$

$((011))$

$[(011))$

$((000))$

$[011)$

$(000]$

[(011))
(000]

[011)
((000)]

[(000))
(011]

[000)
((011)]

[(011))
((000)]

[011)
[000)

[(011))
[000)

[011)
[(000))

[(000))

[011)

[000)

[(011))

[(011))

[(000))

[011)

[000]

[(011))

[000]

[011)

[(000)]

[(000))

[011]

[000)

[(011)]

$[(011)]$

$[(000)]$

$[011]$

(000)

$[(011)]$

(000)

$[011]$

$((000))$

$[(000)]$

(011)

$[000]$

$((011))$

$[(011)]$

$((000))$

$[011]$

(000)

[(011)]
(000]

[011]
((000)]

[(000)]
(011]

[000]
((011)]

[(011)]
((000)]

[011]
[000)

[(011)]
[000)

[011]
[(000))

[(000)]

[011)

[000]

[(011))

[(011)]

[(000))

[011]

[000]

[(011)]

[000]

[011]

[(000)]

[(000)]

[011]

[000]

[(011)]

[(011)]

[(000)]

16. (1.3, 2.3)-System

16.1. R-System

(000)

(012)

((000))

(012)

(000)

((012))

((012))

(000)

(012)

((000))

((000))

((012))

(000)

(012]

((000))

(012]

(000)

((012])

((012))

(000]

(012)

((000])

((000))

((012])

(000)

[012)

((000))

[012)

(000)

[(012))

((012))
[000]

(012)
[(000))

((000))
[(012))

(000)
[012]

((000))
[012]

(000)
[(012)]

((012))
[000]

(012)
[(000)]

((000))

[(012)]

(000]

(012)

((000)]

(012)

(000]

((012))

((012)]

(000)

(012]

((000))

((000)]

((012))

(000]

(012]

((000])

(012]

(000]

((012])

((012])

(000]

(012]

((000])

(000]

((012])

(000]

[012)

((000])

[012)

(000]

[(012))

((012])
[000)

(012]
[(000))

((000])
[(012))

(000]
[012]

((000])
[012]

(000]
[(012)]

((012])
[000]

(012]
[(000)]

$((000))$

$[(012)]$

$[000)$

(012)

$[(000))$

(012)

$[000)$

$((012))$

$[(012))$

(000)

$[012)$

$((000))$

$[(000))$

$((012))$

$[000)$

$(012]$

[(000))
(012]

[000)
((012)]

[(012))
(000]

[012)
((000)]

[(000))
((012)]

[000)
[012)

[(000))
[012)

[000)
[(012))

[(012))

[000)

[012)

[(000))

[(000))

[(012))

[000)

[012]

[(000))

[012]

[000)

[(012)]

[(012))

[000]

[012)

[(000)]

[(000))

[(012)]

[000]

(012)

[(000)]

(012)

[000]

((012))

[(012)]

(000)

[012]

((000))

[(000)]

((012))

[000]

(012]

[(000)]

(012)

[000]

((012))

[(012)]

(000)

[012]

((000))

[(000)]

((012))

[000]

[012)

[(000)]

[012)

[000]

[(012))

[(012)]

[000)

[012]

[(000))

[(000)]

[(012))

[000]

[012]

[(000)]

[012]

[000]

[(012)]

[(012)]

[000]

[012]

[(000)]

$[(000)]$

$[(012)]$

16.2. R*-System

(012)

(000)

$((012))$

(000)

(012)

$((000))$

$((000))$

(012)

(000)

$((012))$

$((012))$

$((000))$

(012)

$(000]$

((012))

(000]

(012)

((000)]

((000))

(012]

(000)

((012)]

((012))

((000)]

(012)

[000)

((012))

[000)

(012)

[(000))

((000))

[012)

(000)

[(012))

((012))

[(000))

(012)

[000]

((012))

[000]

(012)

[(000)]

((000))

[012]

(000)

[(012)]

((012))

[(000)]

(012]

(000)

((012])

(000)

(012]

((000))

((000])

(012)

(000]

((012))

((012])

((000))

(012]

(000]

((012])

(000]

(012]

((000])

((000])

(012]

(000]

((012])

(012]

((000])

(012]

[000)

((012])

[000)

(012]

[(000))

((000])

[012)

(000]

[(012))

((012])

[(000))

(012]

[000]

((012])

[000]

(012]

[(000)]

((000])

[012]

(000]

[(012)]

$((012))$

$[(000)]$

$[012)$

(000)

$[(012))$

(000)

$[012)$

$((000))$

$[(000))$

(012)

$[000)$

$((012))$

$[(012))$

$((000))$

$[012)$

$(000]$

[(012))
(000]

[012)
((000)]

[(000))
(012]

[000)
((012)]

[(012))
((000)]

[012)
[000)

[(012))
[000)

[012)
[(000))

[(000))

[012)

[000)

[(012))

[(012))

[(000))

[012)

[000]

[(012))

[000]

[012)

[(000)]

[(000))

[012]

[000)

[(012)]

[(012))

[(000)]

[012]

(000)

[(012)]

(000)

[012]

((000))

[(000)]

(012)

[000]

((012))

[(012)]

((000))

[012]

(000]

[(012)]
(000]

[012]
((000)]

[(000)]
(012]

[000]
((012)]

[(012)]
((000)]

[012]
[000)

[(012)]
[000)

[012]
[(000))

[(000)]

[012)

[000]

[(012))

[(012)]

[(000))

[012]

[000]

[(012)]

[000]

[012]

[(000)]

[(000)]

[012]

[000]

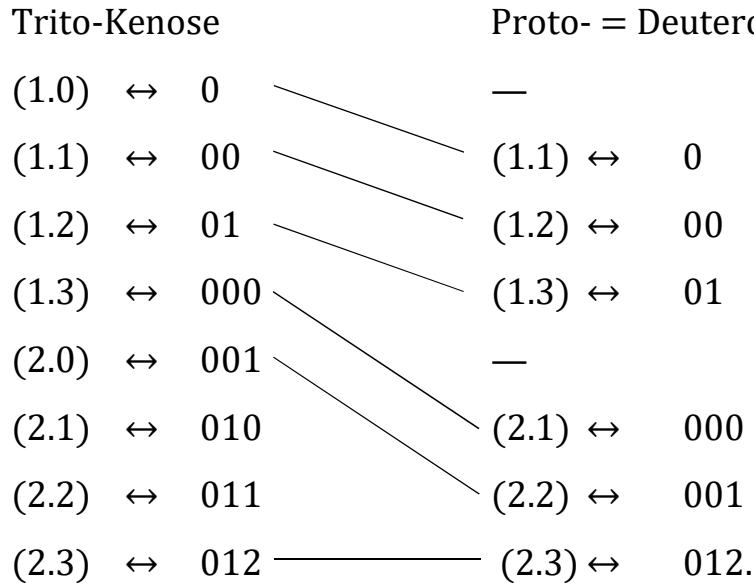
[(012)]

[(012)]

[(000)]

VIII. Ausblick: Höherwertige polykontexturale Semiotiken

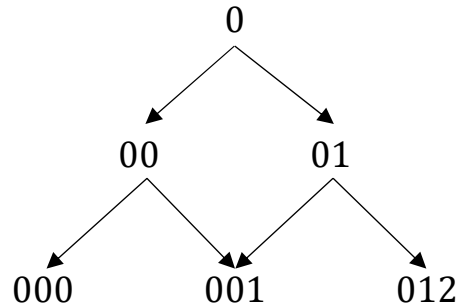
Wie wir bereits in Kap. 5 gezeigt hatten, stellt sich bei der in diesem Buche vollständig dargestellten polykontexturalen Semiotik das Problem, daß Proto- und Deuteroäquivalenz einerseits und Tritoäquivalenz andererseits der bijektiven Kenose nicht miteinander kompatibel sind



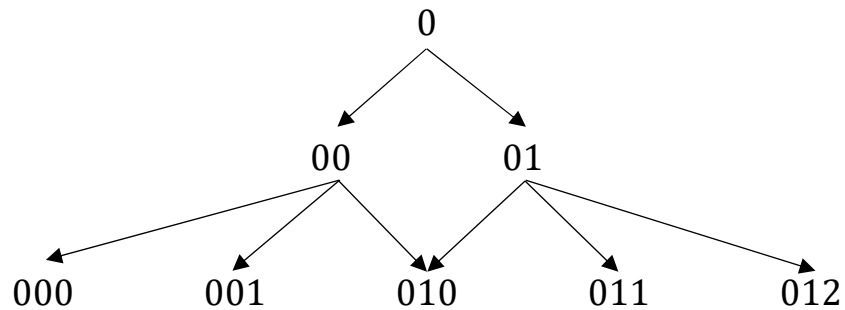
Ferner stellt sich ein noch viel bedeutenderes Problem, wenn man von 4-wertigen zu n-wertigen polykontexturalen Semiotik mit $n > 4$ übergehen möchte. Vergleichen wir hierzu die Anzahl der Proto-, Deutero- und Tritozahlen der ersten 4 Kontexturen

	Proto		Deutero		Trito
K = 1	1	}	1	}	1
K = 2	2	}	2	}	2
K = 3	3	}	3	}	5
K = 4	4		5		15

Während man also Proto- = Deutero-K = 3 durch das Stemma



und Trito-K = 3 durch das Stemma



darstellen kann, gibt es jedoch kein Stemma, durch das man Deutero-K = 4 und Trito-K = 4 darstellen kann, und zwar deswegen nicht, weil es keine Matrizen dazu gibt, mit denen ungeradzahlige Werte (also bei Deutero 5 und bei Trito 15) über der dyadischen Zeichenrelation

$$Z^{2,n} = ((w.x), (y.z))$$

(mit $n > 4$)

sinnvoll darstellbar, d.h. weder semiotisch ungesättigt noch übersättigt sind (vgl. dazu Toth 2008), vgl. etwa

für Deutero-K = 4

	0	1	2
1	1.0	1.1	2.2
2	2.0	2.1	?

(Hier muß irgendeine der 2 mal 3 = 6 Einträge leer sein, d.h. die Matrix ist untersättigt.)

für Trito- $K = 4$

	0	1	2	3	4
1	1.0	1.1	1.2	1.3	1.4
2	2.0	2.1	2.2	2.3	2.4
3	?	?	?	?	?

(Hier kommt der für $Z^{2,n}$ gerade nicht definierte dritte Wert wieder quasi durch die Hintertür herein, d.h. diese Matrix ist semiotisch übersättigt.)

Abschließend können wir also festhalten:

Eine polykontexturale Semiotik über $Z^{2,3}$ ist bis auf Proto- und Deuteroäquivalenz, eine polykontexturale Semiotik über $Z^{2,4}$ ist bis auf Trito-Äquivalenz konstruierbar. Allerdings gilt $Z^{2,3} \subset Z^{2,4}$ nicht, d.h. die 3-wertige Semiotik ist kein morphogrammatisches Fragment der 4-wertigen Semiotik. Ferner können Semiotiken für mehr als 4 Werte nicht über $Z^{2,n}$ dargestellt werden, da es keine Matrizen gibt, über denen die Anzahl der Werte von $K \geq 4$ im Falle von Ungeradzahligkeit ohne Verletzung der semiotischen Sättigung darstellbar sind.

Bibliographie

- Bense, Max, Semiotische Prozesse und Systeme. Baden-Baden 1975
- Bense, Max, Axiomatik und Semiotik. Baden-Baden 1981
- Bense, Max, Die Unwahrscheinlichkeit des Ästhetischen. Baden-Baden 1979
- Günther, Gotthard, Überwindung von Raum und Zeit. Düsseldorf 1952
- Gardner, Martin, Mathematical Games: The fantastic combinations of John Conway's new solitaire game "Life". In: Scientific American, vol. 223 (Oct. 1970), S. 120–123
- Kaehr, Rudolf, The Book of Diamonds. Glasgow 2007
- Kaehr, Rudolf, Memristive Cellular Automata. In: www.vordenker.de (Sommer Edition 2017), hrsg. von Joachim Paul, URL: http://www.vordenker.de/rk/rk_Memristive-Cellular-Automata_2011.pdf
- Kaehr, Rudolf/Mahler, Thomas, Morphogrammatik. Klagenfurt 1993
- Klaus, Georg, Semiotik. Berlin (DDR) 1962, 4. Aufl. München 1973
- Kronthaler, Engelbert, Grundlegung einer Mathematik der Qualitäten. Frankfurt am Main 1986
- Kronthaler, Engelbert, Zahl – Zeichen – Begriff. In: Semiosis 65-68, 1992, S. 282-302
- Leinster, Tom, Higher Operads, Higher Categories. Cambridge (UK) 2003
- Schadach, Dieter, A classification of mappings. BCL Report No. 2/2, February 1, 1967
- Toth, Alfred, Die Hochzeit von Semiotik und Struktur. Klagenfurt 2003
- Toth, Alfred, Balancierte und unbalancierte semiotische Systeme. In: Electronic Journal for Mathematical Semiotics, 2008
- Toth, Alfred, Die Logik des Jägers Gracchus. In: Electronic Journal for Mathematical Semiotics, 2015
- Toth, Alfred, Einbettungsrelationen topologischer semiotischer Relationen. In: Electronic Journal for Mathematical Semiotics, 2019a

- Toth, Alfred, Die Subzeichen der dyadisch-trichotomischen Zeichenrelation und ihre Kenose. In: Electronic Journal for Mathematical Semiotics, 2019b
- Toth, Alfred, Kontexturen statt Trichotomien. In: Electronic Journal for Mathematical Semiotics, 2019c
- Toth, Alfred, Grundlegung einer polykontexturalen Semiotik. In: Electronic Journal for Mathematical Semiotics, 2019d
- Toth, Alfred, Abbildungen von Peanozahlen auf polykontexturale Zahlen. In: Electronic Journal for Mathematical Semiotics, 2019e
- Toth, Alfred, Qualitative Kontinua in 4-adischen qualitativen semiotischen Relationen. In: Electronic Journal for Mathematical Semiotics, 2019f
- Toth, Alfred, Reflektorische Teilsysteme der polykontexturalen Semiotik. In: Electronic Journal for Mathematical Semiotics, 2019g
- Toth, Alfred, Zelluläre Automaten der polykontexturalen Semiotik. In: Electronic Journal for Mathematical Semiotics, 2019h
- Toth, Alfred, Das Desertieren aus der Menschheit. In: Electronic Journal for Mathematical Semiotics, 2019i
- Walther, Elisabeth, Allgemeine Zeichenlehre. 2. Aufl. Stuttgart 1979